

# Wireless Telecommunications

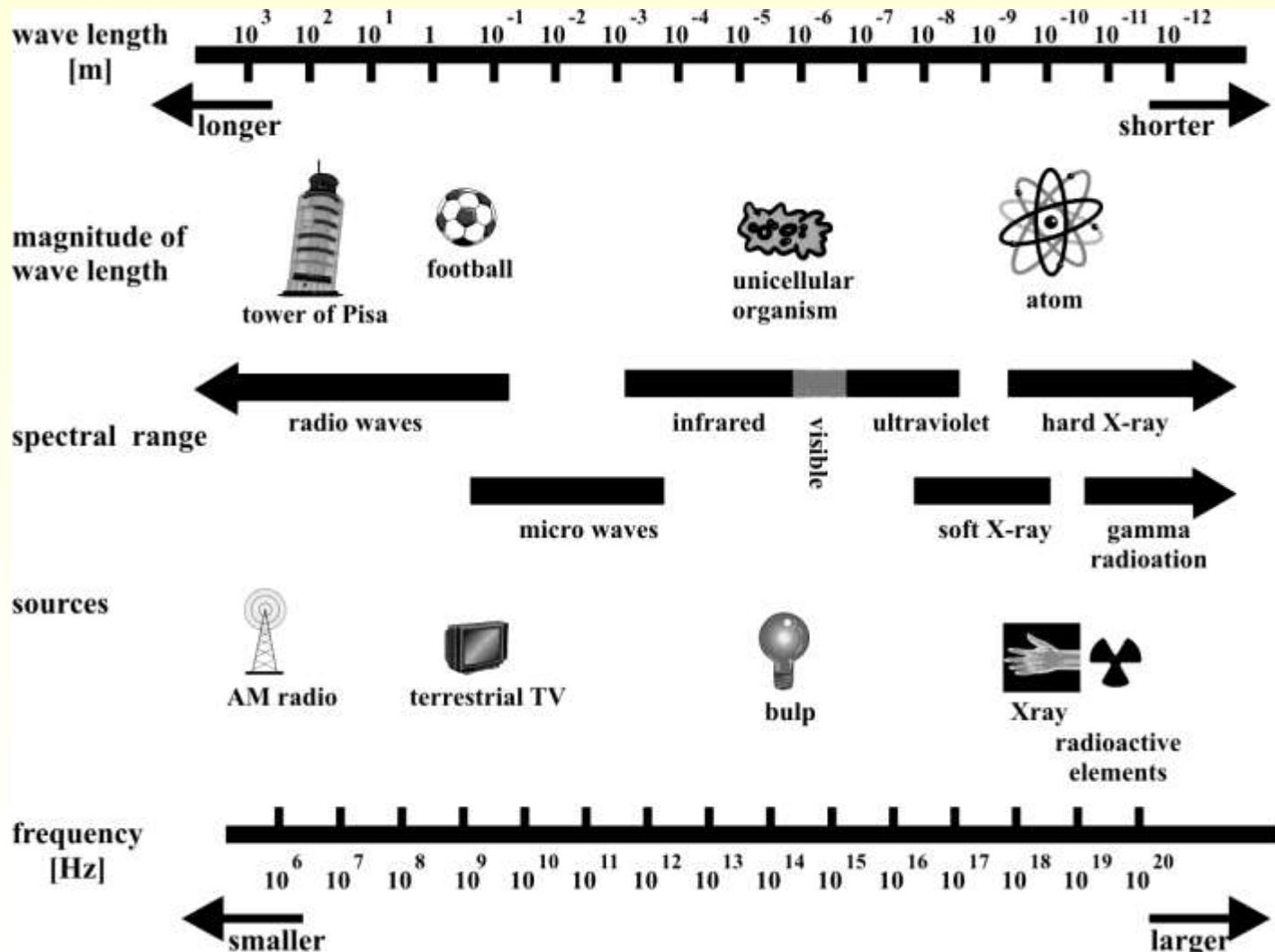
## Enrichment Material

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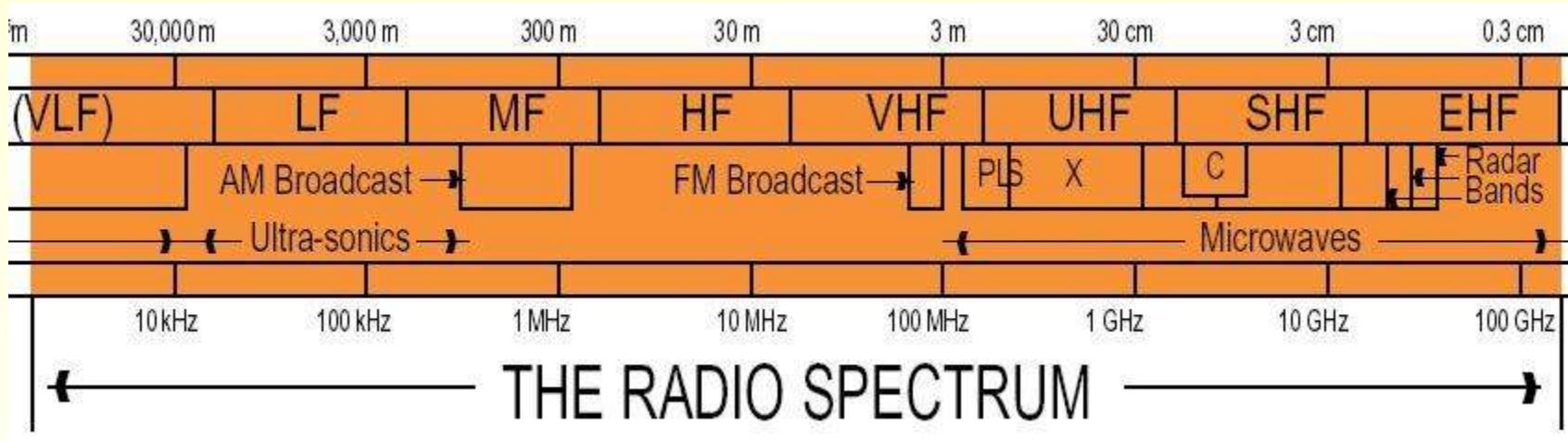
1. The RF Spectrum
2. Propagation
3. Antenna Basics
4. Transmitters and Receivers
5. Broadcasting: Video, Audio and Data
6. Fixed and Land Mobile Services
7. Radar Systems
8. RF Regulation
9. EMC and RFI
10. RF Human Hazards

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# The RF Spectrum

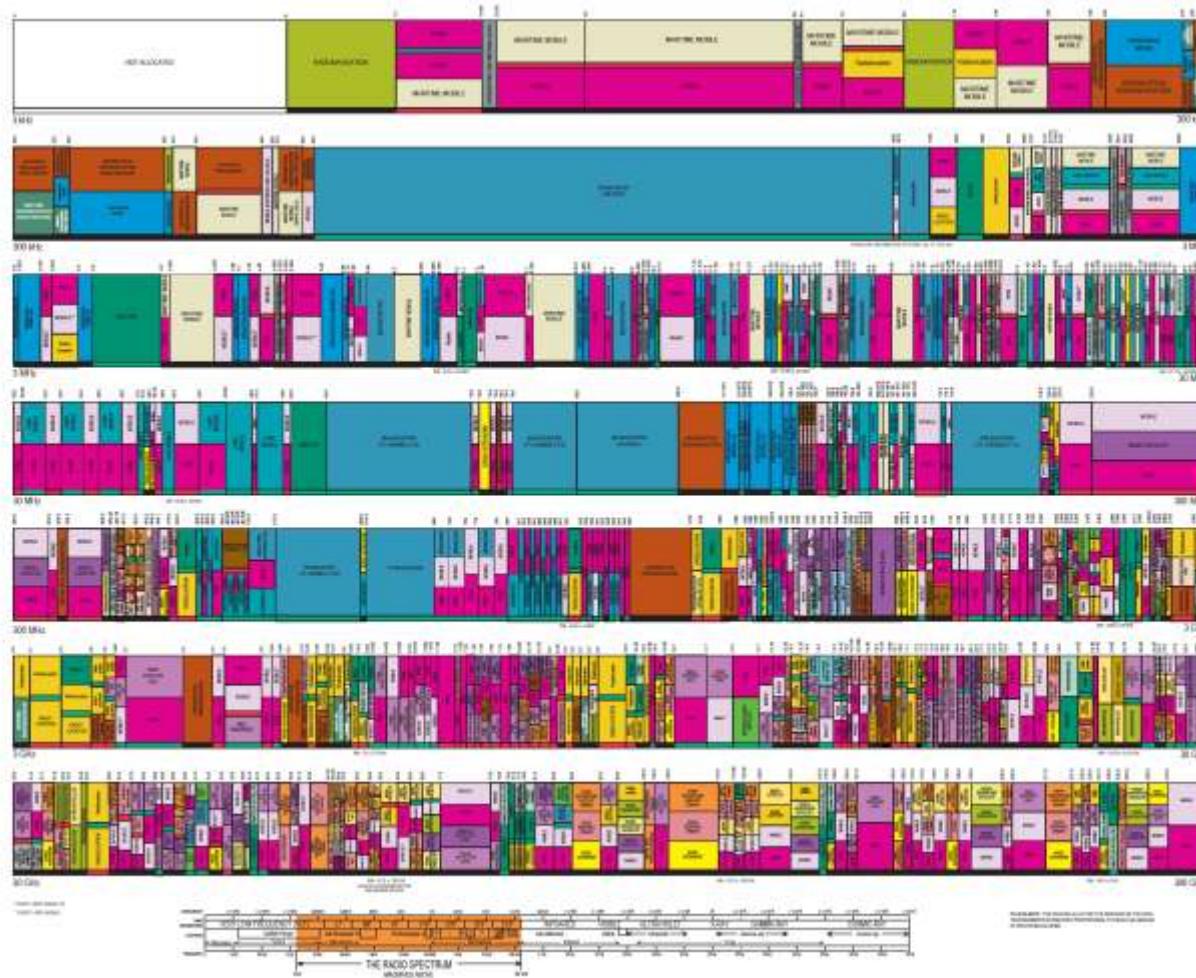


# The RF Spectrum: including ITU symbols



# US RF Allocations, 2003

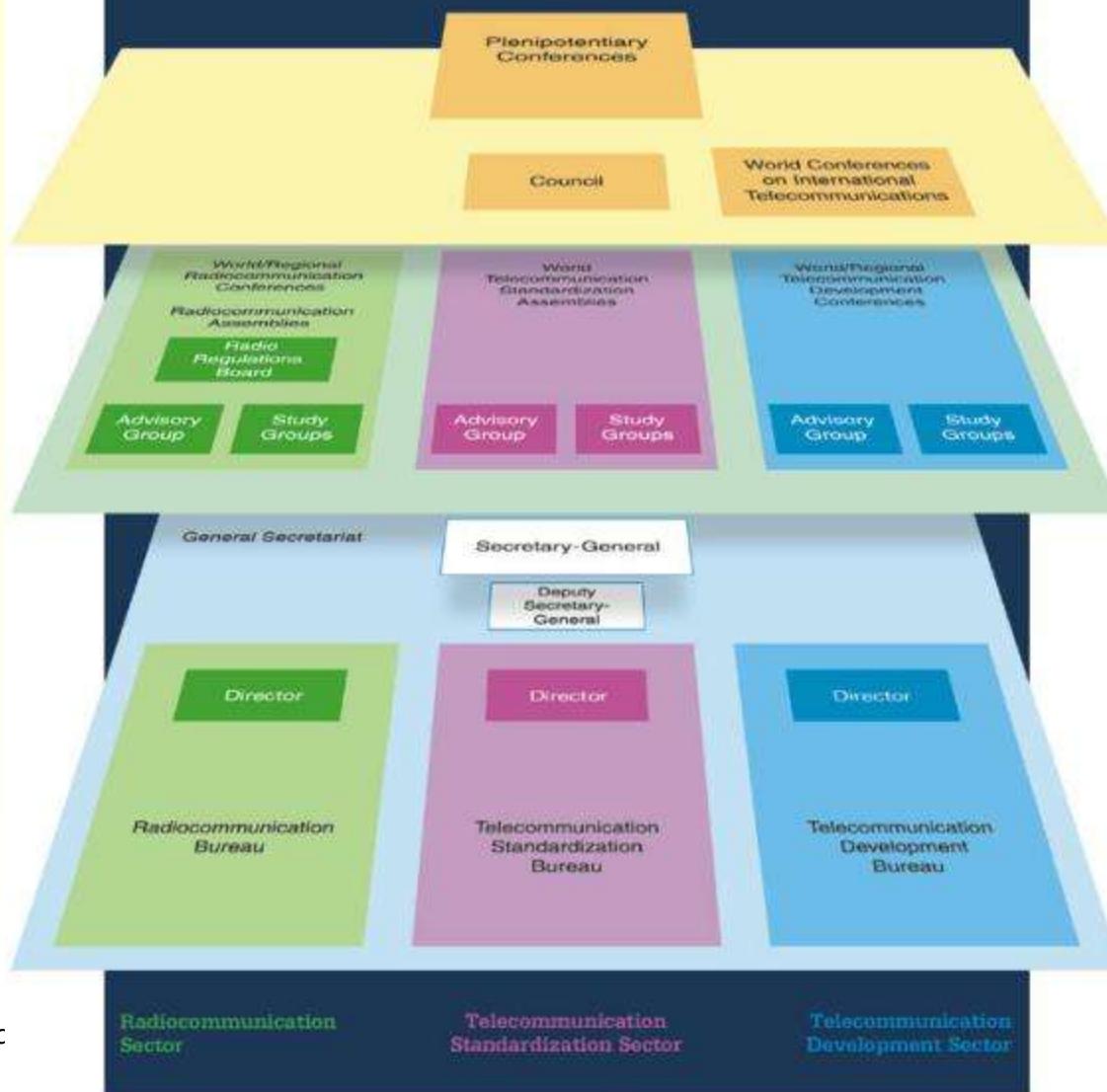
**UNITED  
STATES  
FREQUENCY  
ALLOCATIONS  
THE RADIO SPECTRUM**



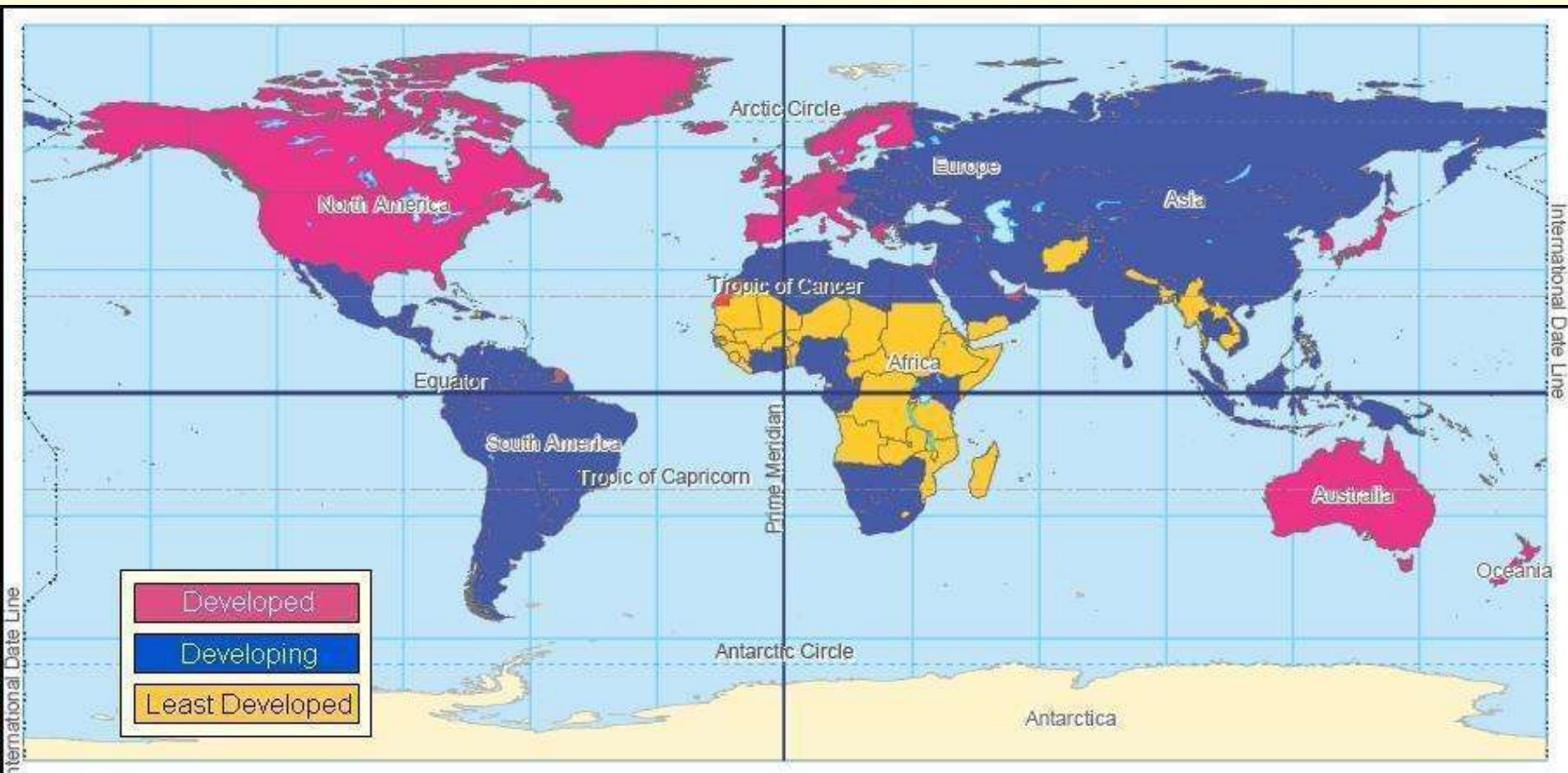
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Wireless Telecommunications Systems

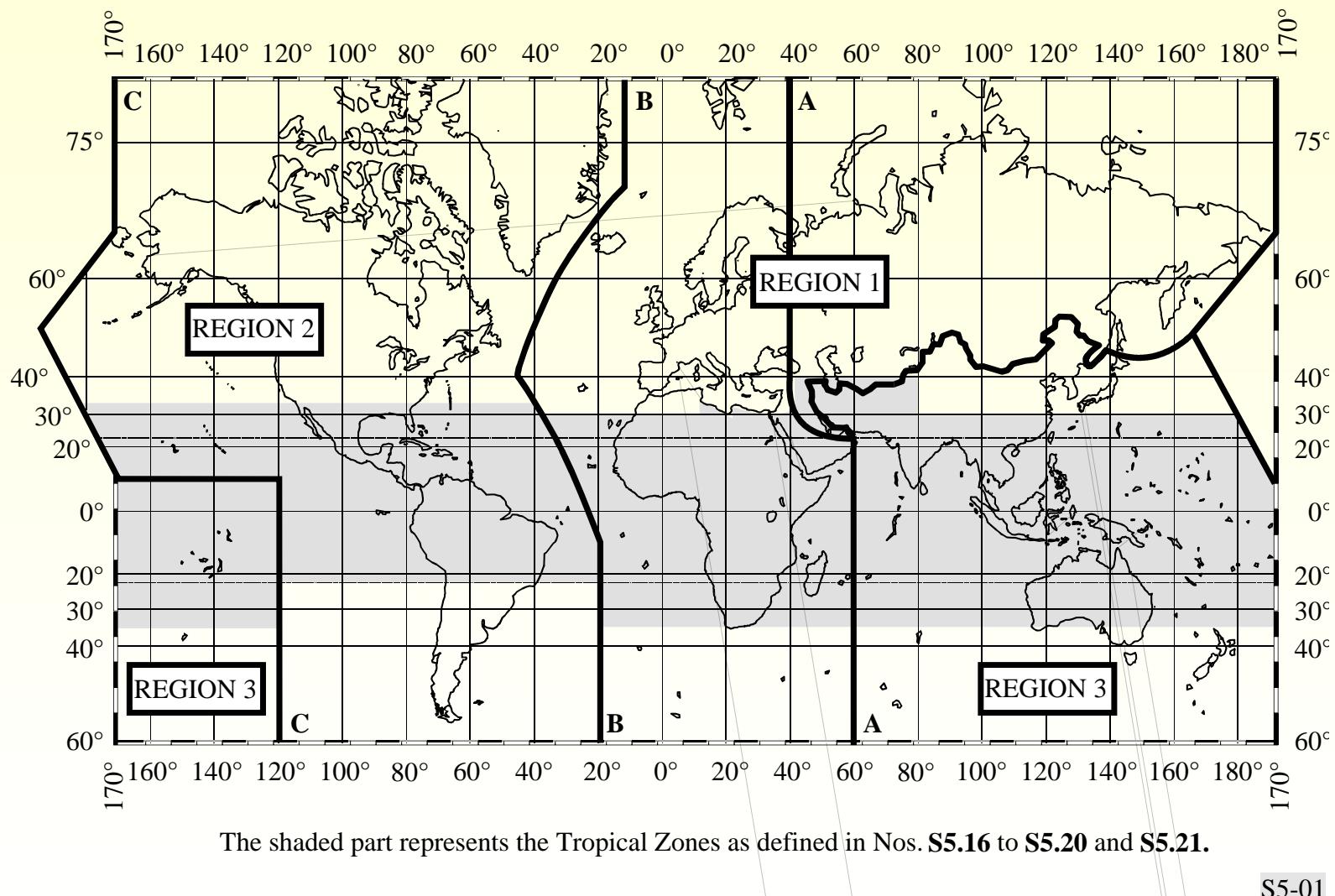
# Structure



# Countries: Developed, Developing and LDCs



# Three ITU-R Regions



S5-01

# ITU Regions



# Allocation, Allotment and Assignment

## RR 5.1

<b>Frequency distribution to:</b>	<b>English</b>
Services	Allocation (to allocate)
Areas or countries	Allotment (to allot)
Stations	Assignment (to assign)

# Wireless Telecommunications

## Enrichment Material

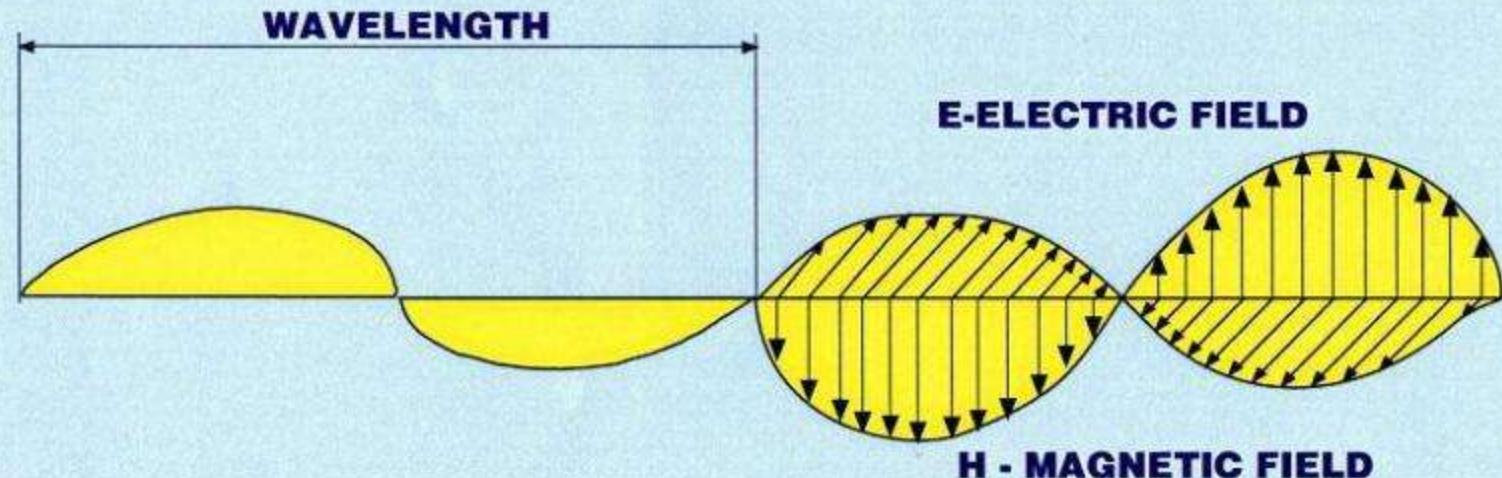
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### Propagation

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# Propagation Theory

## EM WAVE PROPERTIES



**LIGHT VELOCITY = 300,000Km/ sec**

**ELECTRIC FIELD UNITS - V/m**

**MAGNETIC FIELD UNITS - A/m**

**POINTING VECTOR UNITS - W/ m<sup>2</sup> [P = E · H]**

$$f \text{ (MHz)} = \frac{300}{\lambda \text{ (m)}}$$

# Elements Influencing Propagation Loss (ITU-R P.1812)

- *line-of-sight*
- *diffraction* (embracing smooth-Earth, irregular terrain and sub-path cases)
- *tropospheric scatter*
- *anomalous propagation* (ducting and layer reflection/refraction)
- *height-gain variation in clutter*
- *location variability*
- *building entry losses*
- *Earth Radius =6,371 km*

# Free Space loss, power

PL=PropagationLoss;  $P_t$ =TxPower,  $P_r$ =RxPower; d=distance,  $\lambda$ =wavelength,  $A_e$  =Effective ant. area

Assuming  $g_r$  &  $g_t = 1$ , at d, power density =  $\frac{P_t}{4\pi d^2}$

$$A_e = \frac{g_r \lambda^2}{4\pi}$$

$$PL = \frac{P_t}{P_r} = \frac{P_t}{\left[ (P_t \div 4\pi d^2) \bullet \frac{\lambda^2}{4\pi} \right]} = \left( \frac{4\pi d}{\lambda} \right)^2$$

$$PL(dB) = 10 \log \left( \frac{4\pi d}{\lambda} \right)^2 = 20 \log \left( \frac{4\pi d}{\lambda} \right)$$

$$PL(dB) = 20 \log(d_{kM} / \lambda_m) + 82 = 82 + 20 \log d_{kM} - 20 \log \lambda_m$$

$$PL(dB) = 20 \log d_{kM} f_{MHz} + 32.44 = 32.44 + 20 \log d_{kM} + 20 \log f_{MHz}$$

# Free Space loss, Field Strength

P<sub>t</sub>=T<sub>x</sub>Power, g= antenna gain d=distance, P<sub>t</sub> xg- EiRP E=field strength H=magnetic field

$$Poynting\ Vector = \frac{P_t g}{4\pi d^2} = (\vec{E} \times \vec{H}) = \frac{1}{\mu_0} (\vec{E} \times \vec{B}) = \frac{E_o^2}{Z_0}$$

The impedance, Z<sub>0</sub> in ohms, relates the magnitudes of electric and magnetic fields travelling through free space. Z<sub>0</sub> ≡ |E|/|H|. From the plane wave solution to Maxwell's equations , the impedance of free space equals the product of the vacuum permeability (or magnetic constant) μ<sub>0</sub> and the speed of light c<sub>0</sub> in a free space.

$$c_0 \equiv \frac{1}{\sqrt{\epsilon_0 \mu_0}} \quad Z_0 \equiv \mu_0 c_0 = \sqrt{\frac{\mu_0}{\epsilon_0}} = \frac{1}{\epsilon_0 c_0} = 120\pi \approx 377$$

$$E_0 = \frac{\sqrt{30 \cdot P_t \cdot g}}{d} = \frac{\sqrt{30 \cdot EiRP}}{d}$$

# Free Space loss, Field Strength

Based on ITU-R P. 525 Field strength for a given isotropically transmitted power:

$$E = Pt - 20 \log d + 74.8 \quad (7)$$

Isotropically received power for a given field strength:

$$Pr = E - 20 \log f - 167.2 \quad (8)$$

Free-space basic transmission loss for a given isotropically transmitted power and field strength:

$$Lbf = Pt - E + 20 \log f + 167.2 \quad (9)$$

Power flux-density for a given field strength:

$$S = E - 145.8 \quad (10)$$

$Pt$ : isotropically transmitted power (dB(W))

$Pr$ : isotropically received power (dB(W))

$E$ : electric field strength (dB( $\mu$ V/m))

$f$ : frequency (GHz)

$d$ : radio path length (km)

$Lbf$ : free-space basic transmission loss (dB)

$S$ : power flux-density (dB(W/m<sup>2</sup>)).

The free-space field strength relative to a half-wave dipole for 1 kW e.r.p. is given by:

$$E = 106.9 - 20 \log d$$

$E$ : free-space field strength (dB( $\mu$ V/m))

$d$ : distance (km) between transmitting and receiving antenna.

<i>Voltage or current ratio</i>	<i>Power ratio</i>	<i>Decibels</i>	<i>Voltage or current ratio</i>	<i>Power ratio</i>
1.00	1.000	0	1.000	1.000
0.989	0.977	0.1	1.012	1.022
0.977	0.955	0.2	1.023	1.047
0.966	0.933	0.3	1.035	1.072
0.955	0.912	0.4	1.047	1.096
0.944	0.891	0.5	1.059	1.122
0.933	0.871	0.6	1.072	1.148
0.912	0.832	0.8	1.096	1.202
0.891	0.794	1.0	1.122	1.259
0.841	0.708	1.5	1.189	1.413
0.794	0.631	2.0	1.259	1.585
0.750	0.562	2.5	1.334	1.778
0.708	0.501	3.0	1.413	1.995
0.668	0.447	3.5	1.496	2.239
0.631	0.398	4.0	1.585	2.512
0.596	0.355	4.5	1.679	2.818
0.562	0.316	5.0	1.778	3.162
0.501	0.251	6.0	1.995	3.981
0.447	0.200	7.0	2.239	5.012
0.398	0.159	8.0	2.512	6.310
0.355	0.126	9.0	2.818	7.943
0.316	0.100	10	3.162	10.00
0.282	0.0794	11	3.55	12.6
0.251	0.0631	12	3.98	15.9
0.224	0.0501	13	4.47	20.0
0.200	0.0398	14	5.01	25.1
0.178	0.316	15	5.62	31.6
0.159	0.0251	16	6.31	39.8
0.126	0.0159	18	7.94	63.1
0.100	0.0100	20	10.00	100.0
$3.16 \times 10^{-2}$	$10^{-3}$	30	$3.16 \times 10$	$10^3$
$10^{-2}$	$10^{-4}$	40	$10^2$	$10^4$
$3.16 \times 10^{-3}$	$10^{-5}$	50	$3.16 \times 10^2$	$10^5$
$10^{-3}$	$10^{-6}$	60	$10^3$	$10^6$
$3.16 \times 10^{-4}$	$10^{-7}$	70	$3.16 \times 10^3$	$10^7$
$10^{-4}$	$10^{-8}$	80	$10^4$	$10^8$
$3.16 \times 10^{-5}$	$10^{-9}$	90	$3.16 \times 10^4$	$10^9$
$10^{-5}$	$10^{-10}$	100	$10^5$	$10^{10}$
$3.16 \times 10^{-6}$	$10^{-11}$	110	$3.16 \times 10^5$	$10^{11}$
$10^{-6}$	$10^{-12}$	120	$10^6$	$10^{12}$

# Correspondence e.i.r.p., e.r.p., field strength, $E$ , and pfd

e.i.r.p. (dBm)	e.i.r.p. (nW)	e.i.r.p. (dB(pW))	e.i.r.p. (dBW)	e.r.p. (dBm)	$E$ field free space (dB( $\mu$ V/m)) at 10 m	$E_{max}$ OATS (dB( $\mu$ V/m)) at 10 m	pfd free space (dB(W/m <sup>2</sup> )) at 10 m	pfd maximum OATS (dB(W/m <sup>2</sup> )) at 10 m
-90	0.001	0	-120	-92.15	-5.2	-1.2	-151.0	-147.0
-80	0.01	10	-110	-82.15	4.8	8.8	-141.0	-137.0
-70	0.1	20	-100	-72.15	14.8	18.8	-131.0	-127.0
-60	1	30	-90	-62.15	24.8	28.8	-121.0	-117.0
-50	10	40	-80	-52.15	34.8	38.8	-111.0	-107.0
-40	100	50	-70	-42.15	44.8	48.8	-101.0	-97.0
-30	1 000	60	-60	-32.15	54.8	58.8	-91.0	-87.0
-20	10 000	70	-50	-22.15	64.8	68.8	-81.0	-77.0
-10	100 000	80	-40	-12.15	74.8	78.8	-71.0	-67.0
0	1 000 000	90	-30	-2.15	84.8	88.8	-61.0	-57.0

## Open Area Test Site (OATS)

# Far-Field, Near-Field

## ■ Near-field region:

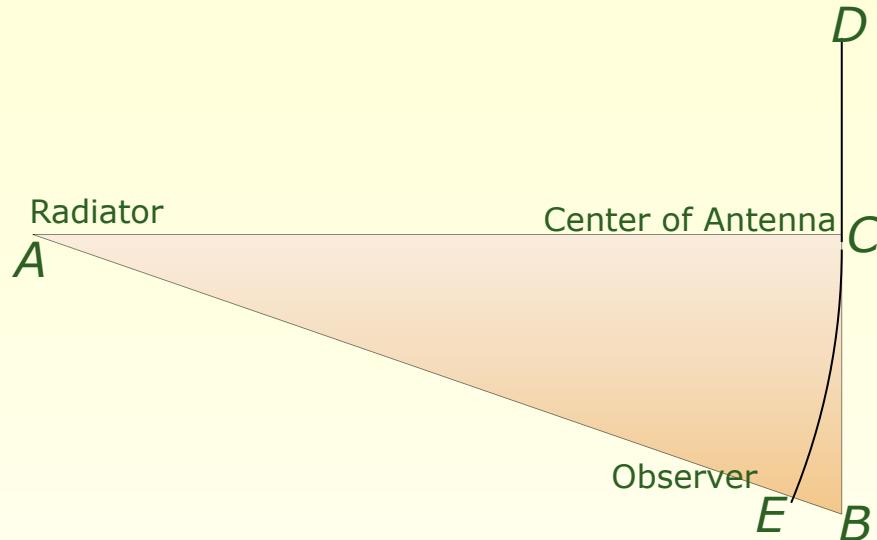
- Angular distribution of energy depends on distance from the antenna; Reactive field components dominate ( $L$ ,  $C$ )
- In the reactive near-field (very close to the antenna), the relationship between the strengths of the  $E$  and  $H$  fields is often too complex to predict
- The energy in the radiative near-field is all radiant energy, although its mixture of magnetic and electric components are still different from the far field

## ■ Far-field region:

- Angular distribution of energy is independent on distance
- Radiating field component dominates ( $R$ )

# Far-Field, Near-Field

The Fraunhofer distance is the value of:  $2 \frac{D^2}{\lambda}$ , where  $D$  is the largest dimension of the radiator (or the cross-sectional diametre of the antenna and  $\lambda$  is the wavelength of the radio wave. Phase variation over the ant. Aperture is less than  $\pi/8$  radians



$AB = \text{Tx/Rx distance}$

$AC = X$ , limit far/near field

$BD = D$ , largest dimension of Ant

$BC = D/2$

$AE = AC$ ;  $EB = \lambda/16$

$\lambda$  = wavelength of the radio wave

Phase difference  $2\pi$  is equivalent to  $\lambda$ ; phase diff  $\pi/8$  equivalent to  $\lambda/16$ .

$$X^2 + (D/2)^2 = (X + \lambda/16)^2 = X^2 + X\lambda/8 + (\lambda/16)^2$$

$(\lambda/16)^2$  is relatively small to  $X\lambda/8$  (as  $X \gg \lambda/32$ ), so  $X^2 + (D/2)^2 \approx X^2 + X\lambda/8$  and  $(D/2)^2 \approx X\lambda/8$ ,  $D^2 \approx X\lambda/2$  and  $X \approx 2D^2/\lambda$  QED

If  $2D^2/\lambda > X > \lambda/2\pi$  Radiating near-field region

If  $\lambda/2\pi > X$  Reactive near-field region

**For non directive antenna, far field is beyond  $3\lambda$**

# Fresnel Zones

- The Fresnel zone is the ellipsoid that stretches between the two antennas; locus of points such that the difference between the direct path  $\overline{AB}$  and the indirect path  $\overline{ACB}$  is half the wavelength.  $\lambda =$  The wavelength of the transmitted signal  $F_n$  is the  $n^{\text{th}}$  Fresnel zone radius  $d(\overline{AB}) = d_1(\overline{PA}) + d_2(\overline{PB})$ ,  $F$  gets the same unit as  $\lambda$ ,  $d_1$  and  $d_2$  (e.g. meter). Units:  $d_1, d_2, \lambda$  in metres

$$F_n = \sqrt{\frac{n \lambda d_1 d_2}{d_1 + d_2}} \quad F_n = F_1 \sqrt{n}$$

- the max value of  $F_n, b$ , equals

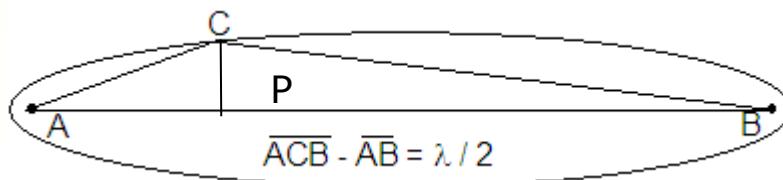
$$b = \sqrt{\frac{n \lambda d}{4}}$$

- For  $f$ : frequency (GHz);  $d, d_1, d_2$ : path lengths (km)  $F_1$  is the radius of the first Fresnel ellipsoid, in metres  $F_3$  is the radius of the third Fresnel ellipsoid, in metres

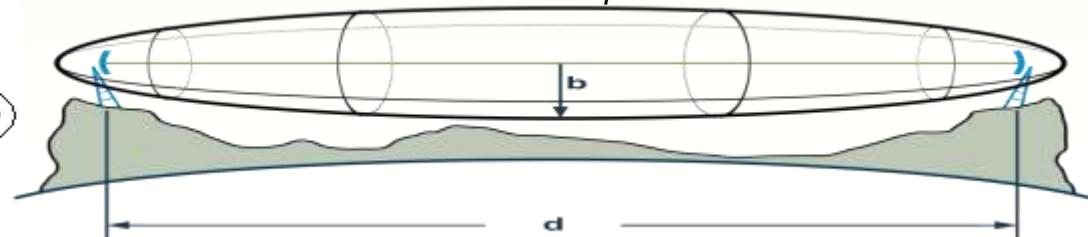
$$F_1 = 17.3 \sqrt{\frac{d_1 d_2}{fd}}$$

$$F_3 = 30 \sqrt{\frac{d_1 d_2}{fd}}$$

*The First Fresnel zone*



*The Fresnel Ellipsoid*

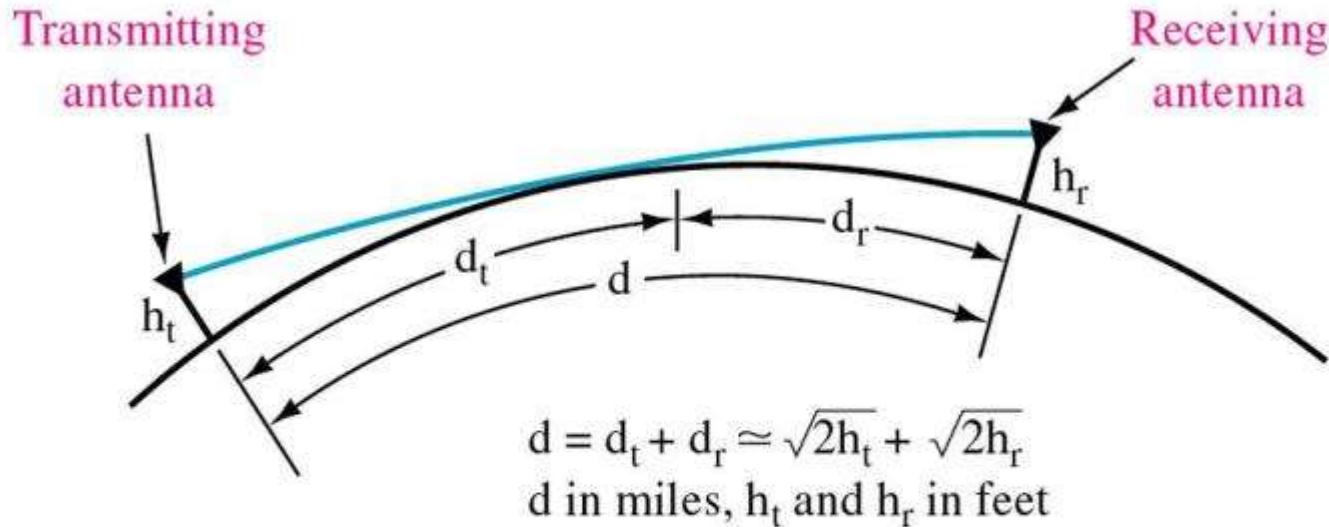


## Effective Radius of the Earth (P. 310)

- **Effective radius of the Earth:** a Radius of a hypothetical spherical Earth, without atmosphere, for which propagation paths are along straight lines, the heights and ground distances being the same as for the actual Earth in an atmosphere with a constant vertical gradient of refractivity. Note – For an atmosphere having a standard refractivity gradient, the effective radius of the Earth is about **4/3** that of the actual radius, which corresponds to approximately **8 500 km**
- **Refractive index  $n$**  Ratio of the speed of radio waves in vacuo to the speed in the medium under consideration
- **Refractivity;  $N$**  One million times the amount by which the refractive index  $n$  in the atmosphere exceeds unity:  $N = (n - 1)10^6$
- **Effective Earth-radius factor,  $k$**  Ratio of the effective radius of the Earth to the actual Earth radius. Note 1 – This factor  $k$  is related to the vertical gradient  $dn/dh$  of the refractive index  $n$  and to the actual Earth radius  $a$  by the equation:

$$k = \frac{1}{1 + a \frac{dn}{dh}}$$

# Radio horizon Tx & Rx Antennas



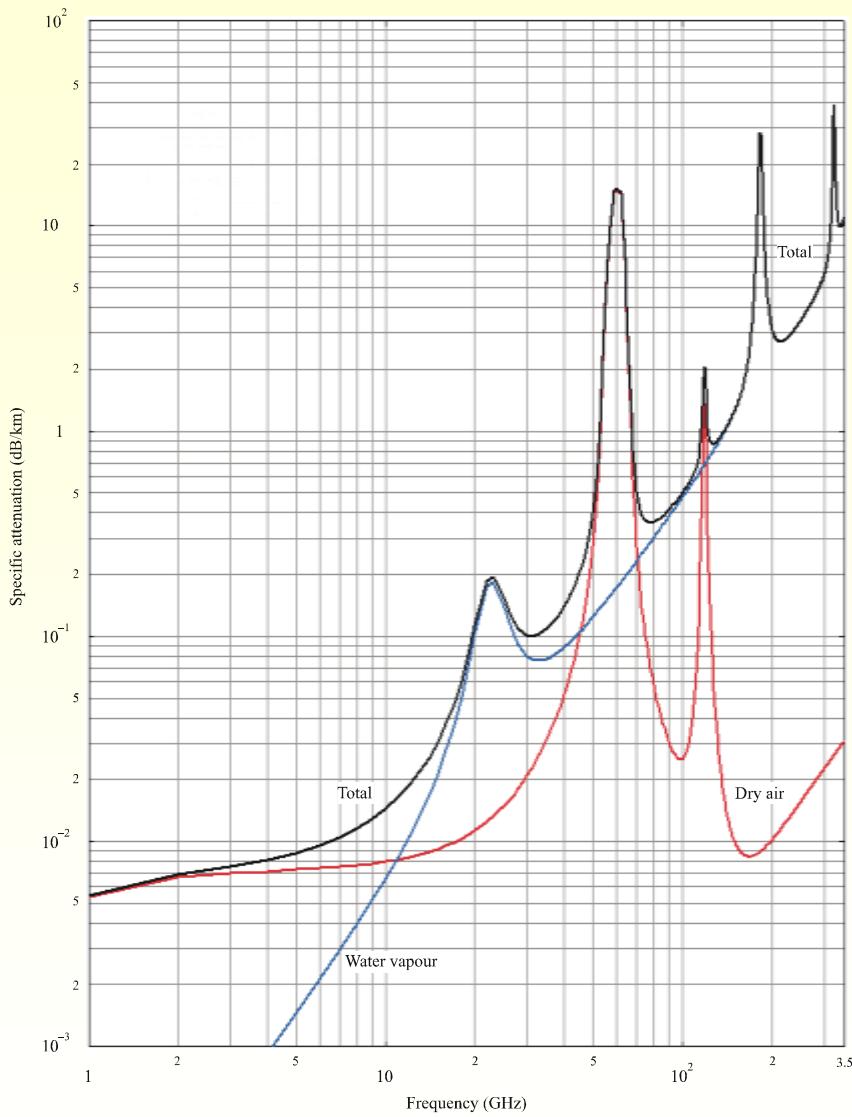
$$(a+h_1)^2 = a^2 + 2h_1a + h_1^2 = x^2 + a^2 ; 2h_1a + h_1^2 = x^2$$

$$(a+h_2)^2 = a^2 + 2h_2a + h_2^2 = x^2 + a^2 ; 2h_2a + h_2^2 = x^2$$

$$x = \sqrt{2h_1a + h_1^2} + \sqrt{2h_2a + h_2^2} \approx \sqrt{2h_1a} + \sqrt{2h_2a}$$

$$x = \sqrt{2h_1a} + \sqrt{2h_2a} \text{ when } x \ll a$$

FIGURE 5  
Specific attenuation due to atmospheric gases

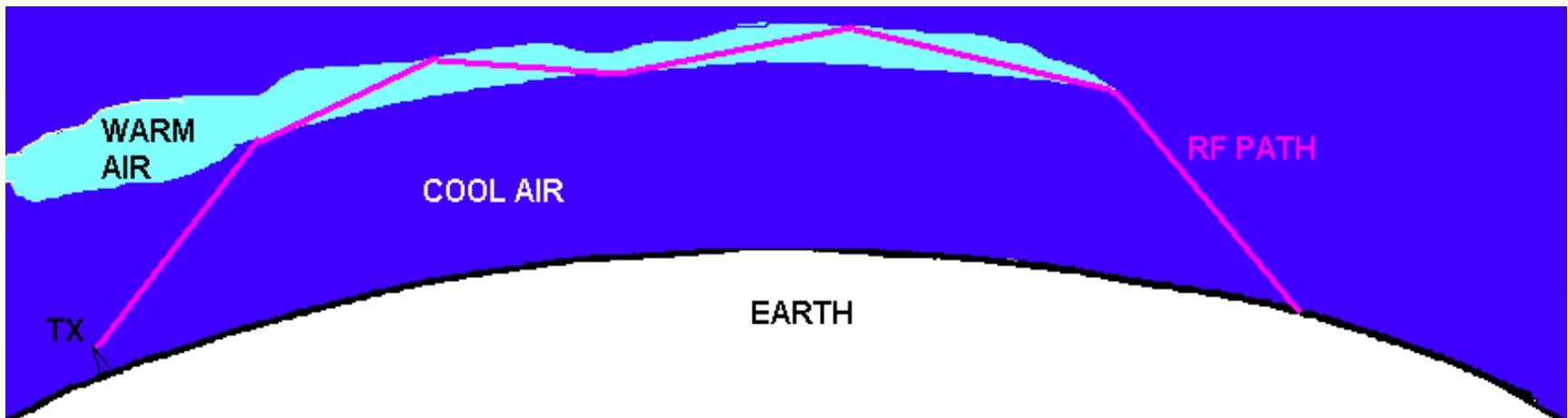


Pressure: 1 013 hPa  
Temperature: 15° C  
Water vapour density: 7.5 g/m<sup>3</sup>

0676-05

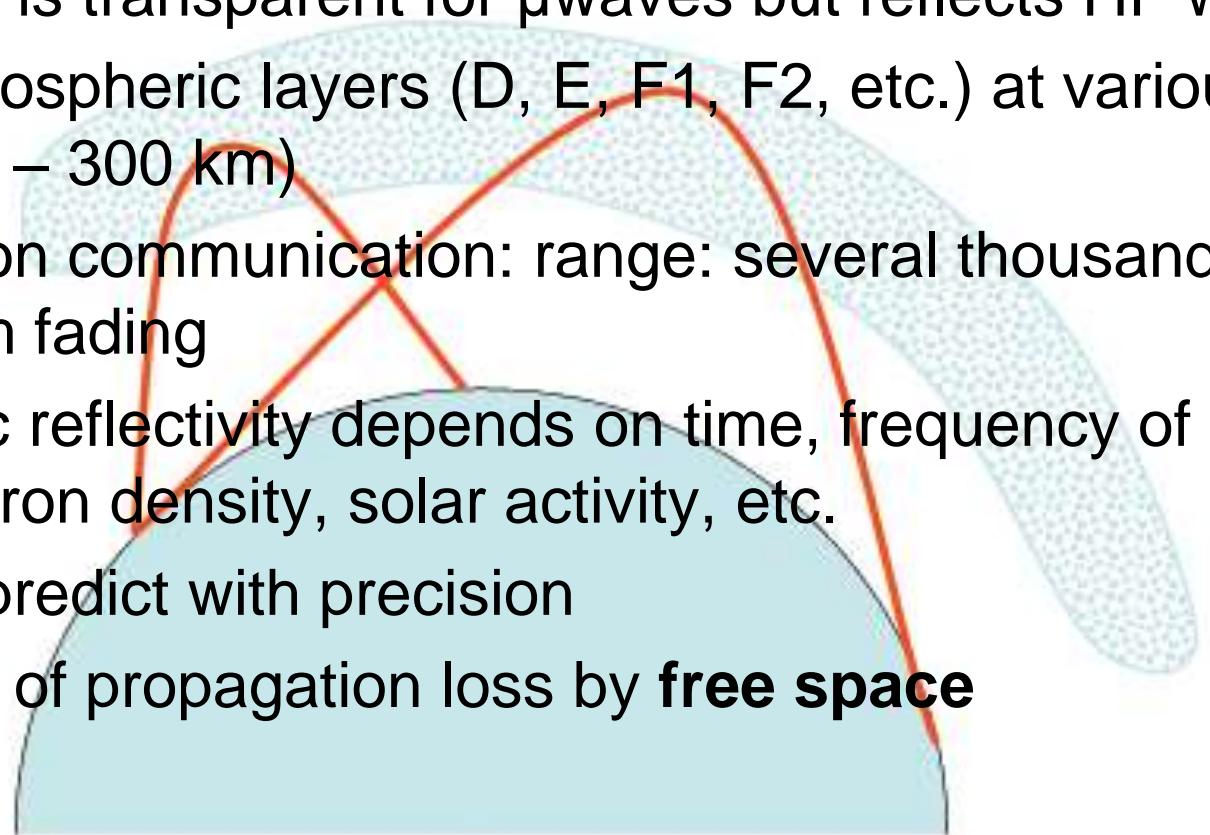
# Duct: Temperature Inversion / Troposphere Ducting

1. **Certain weather conditions** produce a layer of air in the Troposphere that will be at a higher temperature than the layers of air above & below it.
2. Such a layer **will provide a "duct"** creating a path through the warmer layer of air
3. These ducts occur over relatively long distances and at varying heights from almost ground level to several hundred meters above the earth
4. This propagation takes place when hot days are followed by rapid cooling at night. Signals can propagate hundreds of kM up to about 2,000 kM



# HF Propagation

- Ionospheric “reflections”
- Ionosphere is transparent for  $\mu$ waves but reflects HF waves
- Various ionospheric layers (D, E, F1, F2, etc.) at various heights (50 – 300 km)
- Over-horizon communication: range: several thousand km; suffers from fading
- Ionospheric reflectivity depends on time, frequency of incident wave, electron density, solar activity, etc.
- Difficult to predict with precision
- Calculation of propagation loss by **free space**



# Propagation Loss HF (P. 533)

$$PL(\text{dB}) = 20 \log \left( \frac{4\pi d}{\lambda} \right) \quad PL(dB) = 32.44 + 20 \log d_{kM} + 20 \log f_{MHz}$$

## P. 533 5.2.2 Field strength determination

the median field strength is given by:

$$E_w = 136.6 + P_t + G_t + \mathbf{20 \log f} - L_b \quad \text{dB } (\mu\text{V/m}) \quad (17)$$

where:

$f$  : transmitting frequency (MHz)

$P_t$  : transmitter power (dB(1 kW))

$G_t$  : Tx ant gain at the required azimuth & elevation angles relative to an isotropic ant (dB)

$L_b$  : ray path basic transmission loss for the mode under consideration given by:

$$L_b = 32.45 + \mathbf{20 \log f} + 20 \log p' + L_i + L_m + L_g + L_h + L_z \quad (18)$$

$p'$  : virtual slant range (km)

$L_i$  : absorption loss (dB) for an  $n$ -hop mode given by

$L_m$  : "above-the-MUF" loss.

$L_g$  : summed ground-reflection loss at intermediate reflection points

$L_h$  : factor to allow for auroral and other signal losses

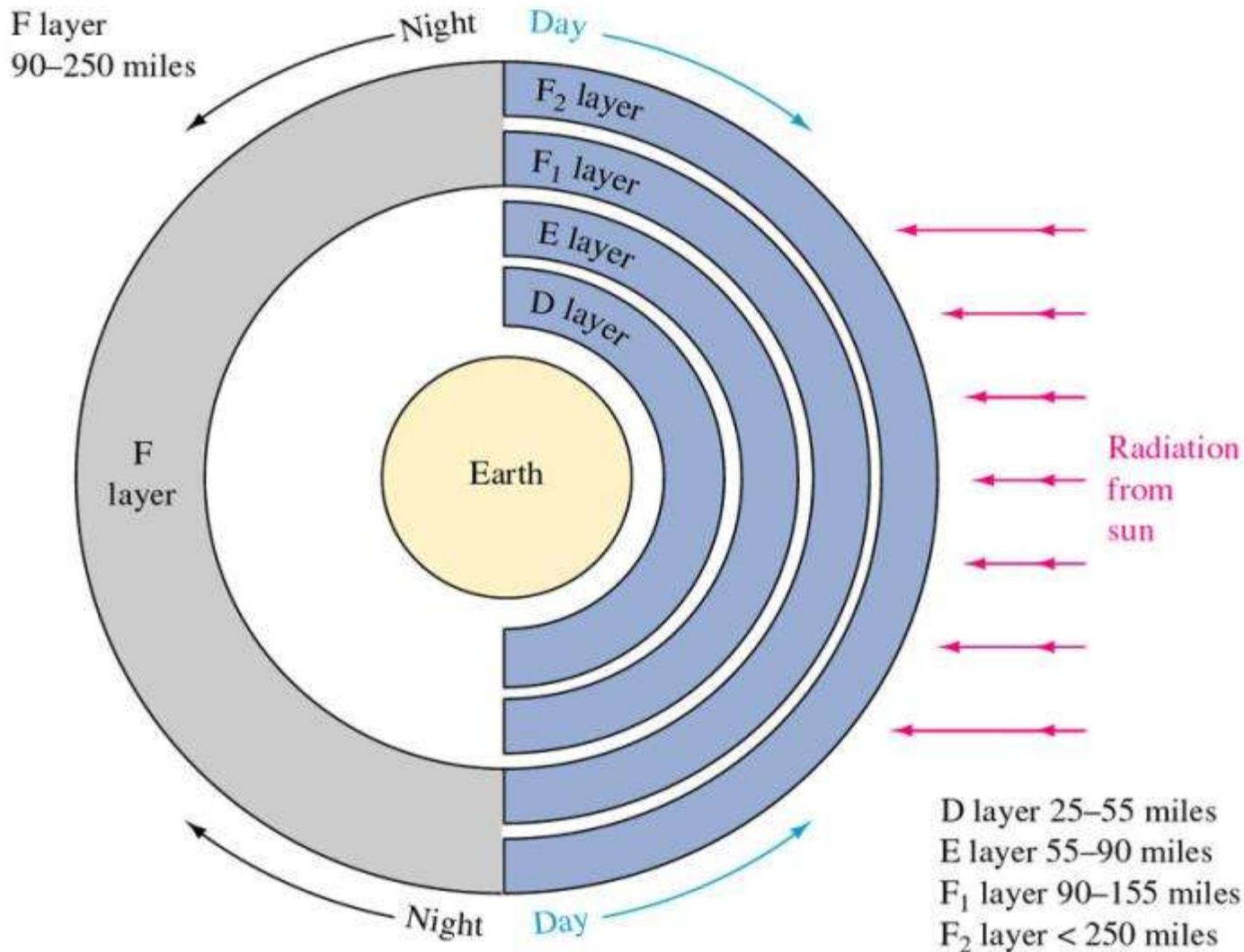
$L_z$  : term containing those effects in sky-wave propagation

Note: **20 log f** of  $E_w$  is subtracted by **20 log f** at  $L_b$

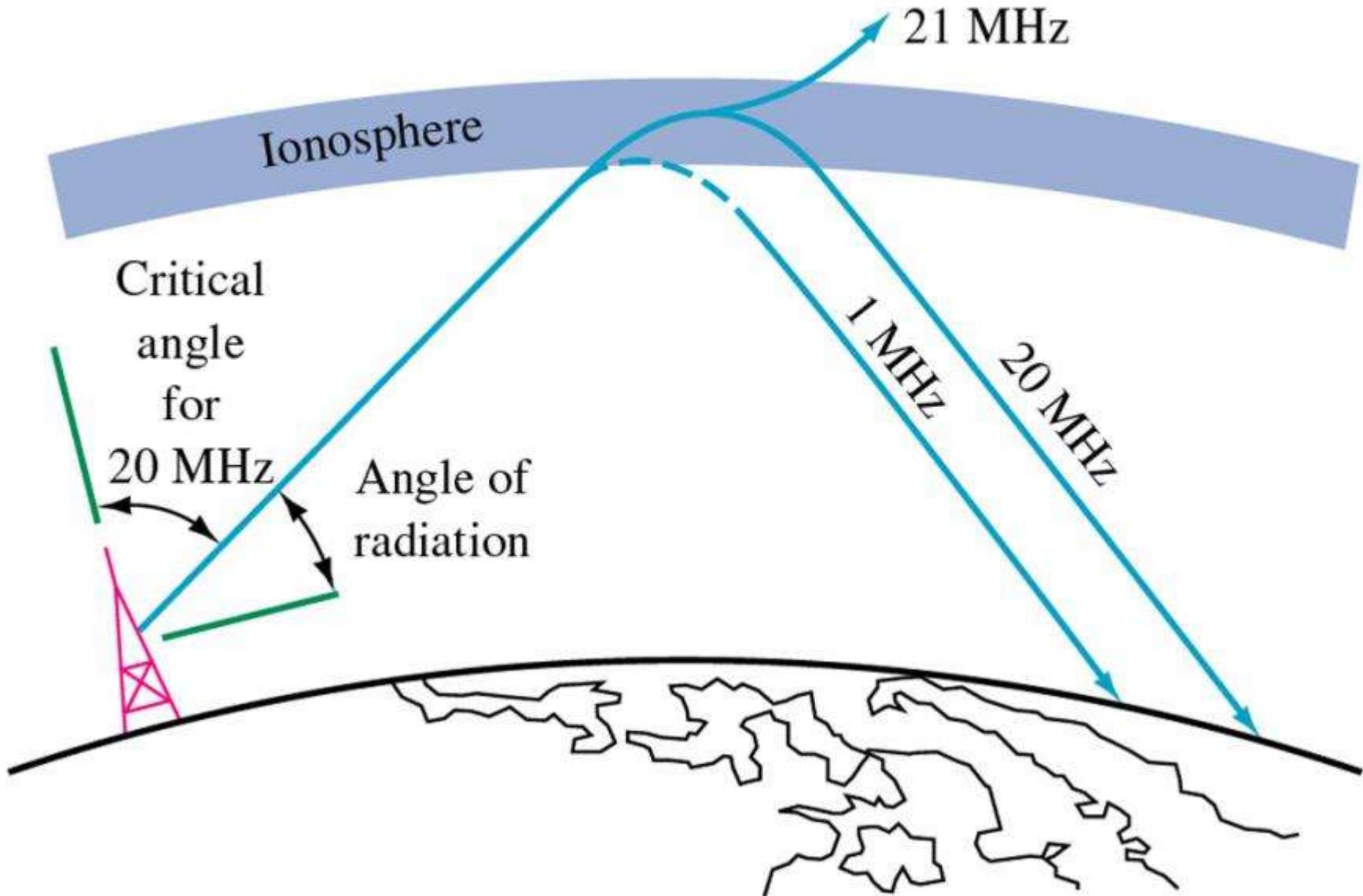
# HF Propagation; Definitions

1. *basic MUF* is the highest frequency by which a radiowave can propagate between given terminals, on a specified occasion, by ionospheric refraction alone
2. *Optimum working frequency (OWF)*: the lower decile of the daily values of operational MUF at a given time over a specified period, usually a month. That is, it is the frequency that is exceeded by the operational MUF during 90% of the specified period
3. *Highest probable frequency (HPF)*: the upper decile of the daily values of operational MUF at a given time over a specified period, usually a month. That is, it is the frequency that is exceeded by the operational MUF during 10% of the specified period
4. *Lowest usable frequency (LUF)*: the lowest frequency that would permit acceptable performance of a radio circuit by signal propagation via the ionosphere between given terminals at a given time under specified working conditions

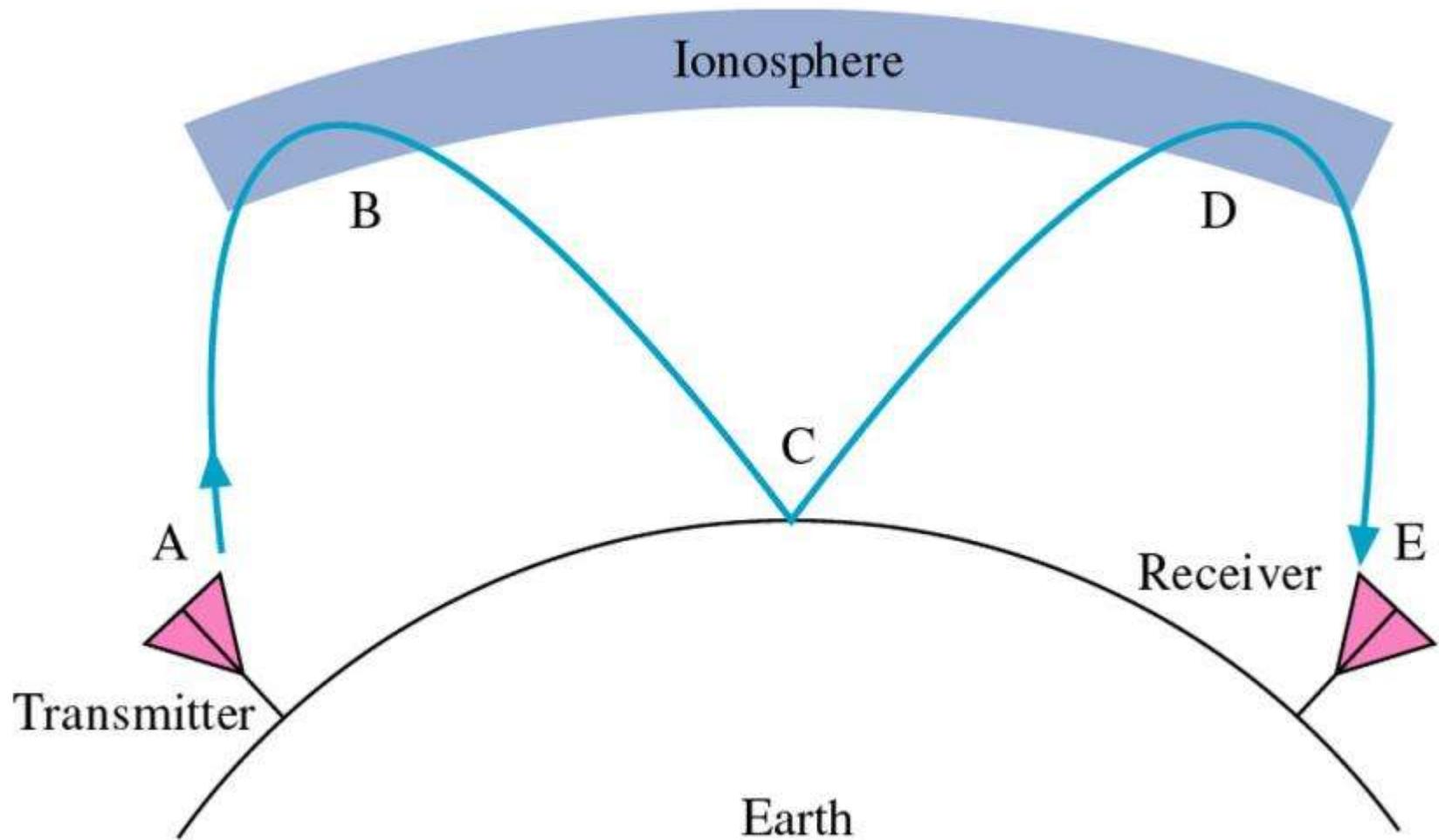
# Ionospheric Layers



# Ionospheric Layers (cont'd)



# HF Hops



# Wireless Telecommunications

## Gain, Beamwidths, Patterns and VSWR

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# Definitions

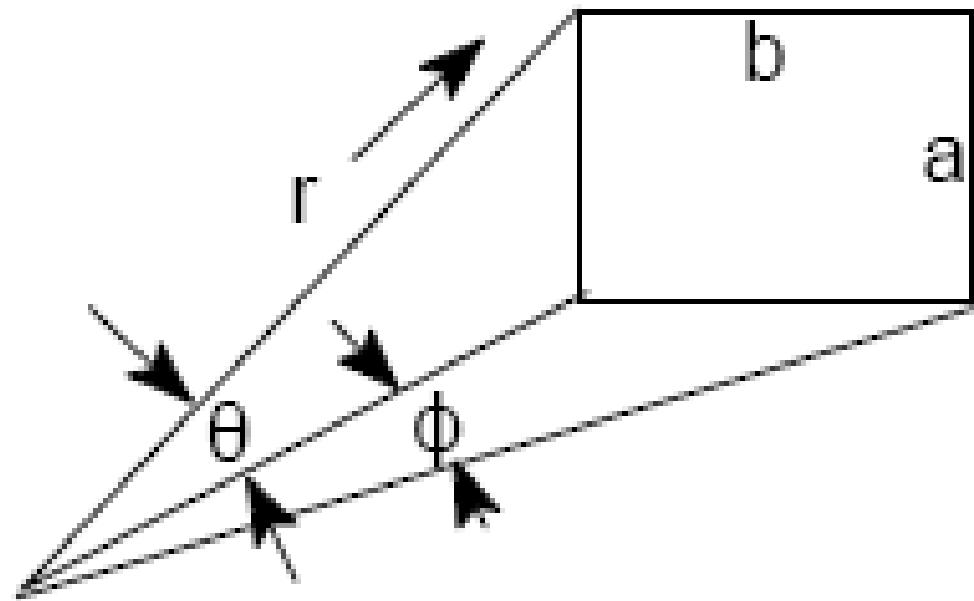
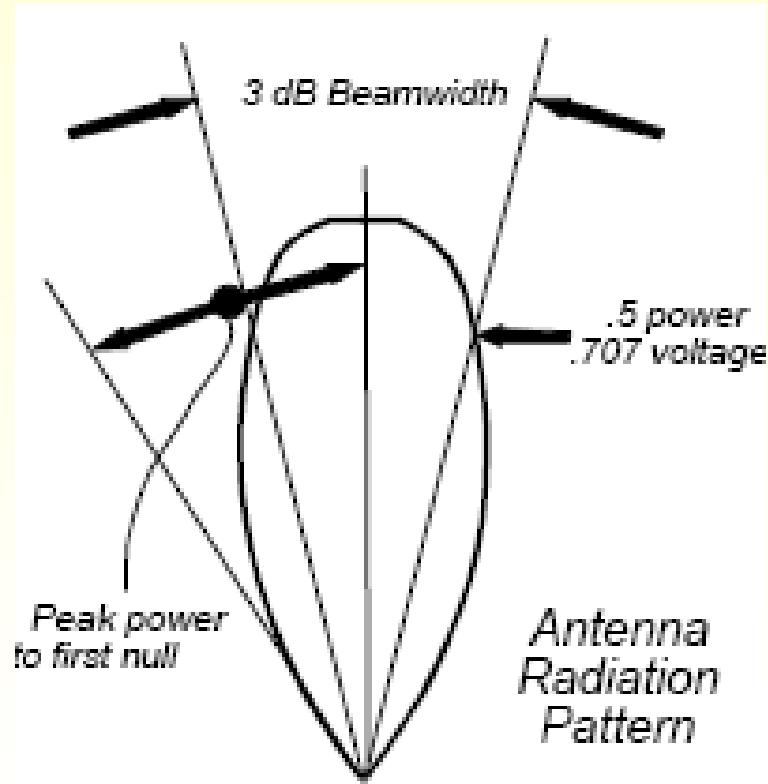
## Isotropic, Omni and Directional

- Isotropic = equal radiation in all angles ( $4\pi$  steradian)
- Omni Directional = equal radiation in one plane
- Directional = the radiation goes to a narrow sector

## Antenna RF Bandwidth

Bandwidth is the relative RF band  $BW = f_{max} - f_{min} / f_{mean}$

# Antenna Aperture and Beamwidths (Paul Wade)



# Effective Capture Area

For  $\eta$  = Aperture efficiency;  $A$  = Physical aperture area,  $A_e$  = Effective aperture area;  
 $g$  = Ant Gain ,  $G$  = Ant Gain (dBi),  $G_d = G_i - 2.15$ ;  $\lambda$  = wavelength,  
 $BW$  = Ant beamwidth,  $\theta = BW_{elv}$   $\phi = BW_{az}$

$$\eta = \frac{P_{rad}}{P_{input}} = \frac{A_e}{A} \quad \phi = \lambda/a, \theta = \lambda/b, \text{ also from Fraunhofer theory of diffraction, } G = \eta (4 \pi / \lambda^2) A$$

$$g = \frac{4\pi}{\Omega(\text{steradians})} = \frac{4\pi}{\phi\theta(\text{radians})} = \frac{4\pi a_{az} b_{el}}{\lambda^2} = \frac{4\pi A_e}{\lambda^2} = \frac{4\pi \eta A}{\lambda^2}$$

$$A = \frac{g\lambda^2}{\eta 4\pi} \quad A_e = \frac{g\lambda^2}{4\pi} \quad \text{Equation to calculate the gain of a passive reflector}$$

# Practical Formulas, for Ant. Gain

For  $\eta = 0.7$

$$g = \eta \frac{4\pi}{\varphi\theta(\text{radians})} = \eta \frac{4\pi}{\varphi\theta(^0)} \left( \frac{360}{2\pi} \frac{360}{2\pi} \right) = \eta \frac{41,253}{\varphi\theta(^0)} = \eta \frac{41,253}{\varphi\theta(^0)} \approx \frac{28,800}{\varphi\theta(^0)}$$

$G=44.6 \text{ dBi} - 10\log\theta^0 - 10\log\varphi^0$ ; for circular Ant,  $G=44.6 \text{ dBi} - 20\log \theta$

# Rec F699 Patterns for 1 GHz to about 70 GHz, where $D/\lambda < 100$

$D$ = Ant length or diameter; these formulas apply for circular reflectors

$G(\varphi)$ : gain relative to an isotropic antenna;  $\varphi$ : off-axis angle (degrees)

$D$ : antenna diameter  
 $\lambda$ : wavelength } expressed in the same units

$G_1$ : gain of the first side-lobe  $= 2 + 15 \log D/\lambda$        $\varphi_m = \frac{20\lambda}{D} \sqrt{G_{max} - G_1}$  degrees

$G(\varphi) = G_{max} - 2.5 \times 10^{-3} \left( \frac{D}{\lambda} \varphi \right)^2$       for  $0^\circ < \varphi < \varphi_m$

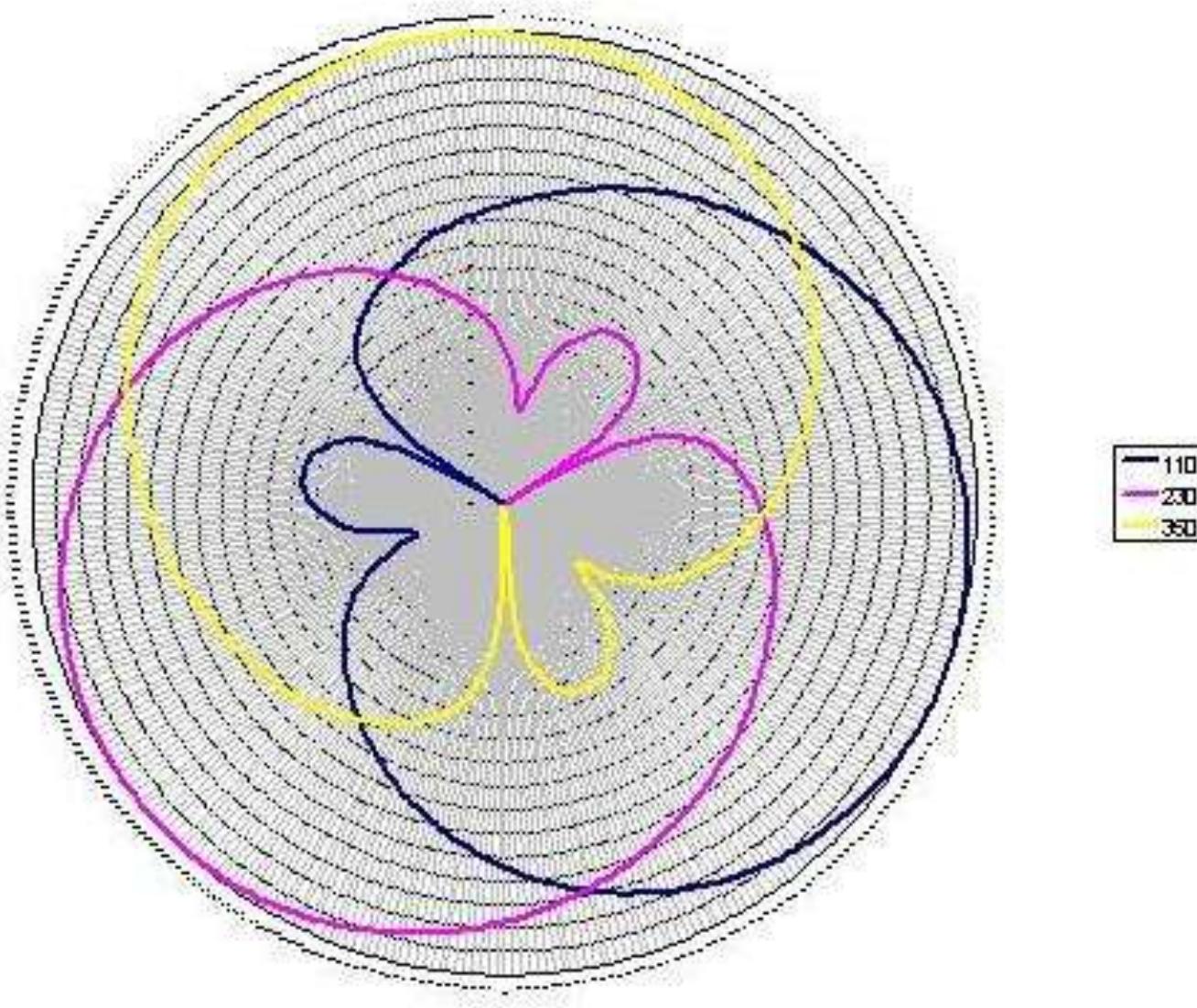
$G(\varphi) = G_1$       for  $\varphi_m \leq \varphi < 100 \frac{\lambda}{D}$

$G(\varphi) = 52 - 10 \log \frac{D}{\lambda} - 25 \log \varphi$       for  $100 \frac{\lambda}{D} \leq \varphi < 48^\circ$

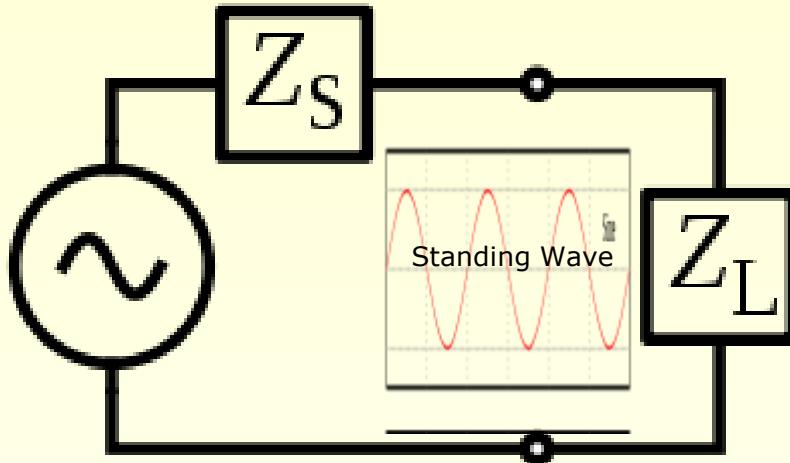
$G(\varphi) = 10 - 10 \log \frac{D}{\lambda}$       for  $48^\circ \leq \varphi \leq 180^\circ$

$20 \log \frac{D}{\lambda} \approx G_{max} - 7.7$        $D/\lambda \approx 70 / \theta$        $G_{max}$  (dBi)  $\approx 44.5 - 20 \log \theta$   
 For  $\eta = 0.7$  (not at 699)

# Photo and Horiz Pattern of a Typical Cellular Antenna



# Impedance, Return Loss and VSWR



$Z_S$  represents the Tx and  $Z_L$  the ant impedance, a complex number.

$$Z = R + jX = |Z|e^{j\theta} \quad Z_L = Z_a = R_{\text{losses}} + R_{\text{radiation}} + j X_L$$

At resonance  $Z_a = R_r$  (Radiation Resistance).

The ant impedance can be viewed as a load connected to a transmission line with characteristic impedance of  $Z_0$ .

The reflection coefficient  $\Gamma$  is the ratio of reflected voltage to incident voltage waves at the ant terminals

$$\Gamma \text{ is related to the impedances at resonance by: } \Gamma = (R_r - Z_0) / (R_r + Z_0)$$

The returned power from the ant to the generator is the Power Loss (PL) or Return Loss

$$PL = RL = |\Gamma|^2 = \rho^2$$

# VSWR: Voltage Standing Wave Ratio

The voltage component of a standing wave consists of the forward wave (with amplitude  $V_f$ ) superimposed on the reflected wave (with amplitude  $V_r$ ).

The voltage reflection coefficient  $\Gamma \equiv V_r / V_f$     $\rho \equiv |\Gamma|$    Return Loss  $\equiv \rho^2$

$$V_{\max} = V_f + V_r = V_f + \rho V_f \quad V_f = V_f (1 + \rho) \quad V_{\min} = V_f - V_r = V_f - \rho V_f = V_f (1 - \rho)$$

$$\text{VSWR} = \frac{V_{\max}}{V_{\min}} = \frac{1 + \rho}{1 - \rho} \quad \rho = \frac{\text{VSWR} - 1}{\text{VSWR} + 1}$$

$\rho$  always falls in the range  $[0, 1]$ , so the VSWR is always  $\geq +1$   
SWR is also defined as the ratio of the maximum amplitude of the electric field to its minimum amplitude  $E_{\max} / E_{\min}$     $\text{SWR} = \frac{E_{\max}}{E_{\min}} = \frac{1 + \rho}{1 - \rho}$

## return loss Vs. VSWR

table of return loss vs. voltage standing wave ratio

RETURN LOSS (dB)	VSWR								
46.064	1.01	13.842	1.51	9.485	2.01	7.327	2.51	5.999	3.01
40.086	1.02	13.708	1.52	9.428	2.02	7.294	2.52	5.970	3.02
36.607	1.03	13.577	1.53	9.372	2.03	7.262	2.53	5.956	3.03
34.151	1.04	13.449	1.54	9.317	2.04	7.230	2.54	5.935	3.04
32.256	1.05	13.324	1.55	9.262	2.05	7.198	2.55	5.914	3.05
30.714	1.06	13.201	1.56	9.208	2.06	7.167	2.56	5.893	3.06
29.417	1.07	13.081	1.57	9.155	2.07	7.135	2.57	5.872	3.07
28.299	1.08	12.964	1.58	9.103	2.08	7.105	2.58	5.852	3.08
27.318	1.09	12.849	1.59	9.051	2.09	7.074	2.59	5.832	3.09
26.444	1.10	12.736	1.60	8.999	2.10	7.044	2.60	5.811	3.10
25.658	1.11	12.625	1.61	8.949	2.11	7.014	2.61	5.791	3.11
24.943	1.12	12.518	1.62	8.899	2.12	6.984	2.62	5.771	3.12
24.289	1.13	12.412	1.63	8.849	2.13	6.954	2.63	5.751	3.13
23.686	1.14	12.308	1.64	8.800	2.14	6.925	2.64	5.732	3.14
23.127	1.15	12.207	1.65	8.752	2.15	6.896	2.65	5.712	3.15
22.607	1.16	12.107	1.66	8.705	2.16	6.867	2.66	5.693	3.16
22.120	1.17	12.009	1.67	8.657	2.17	6.839	2.67	5.674	3.17
21.664	1.18	11.913	1.68	8.611	2.18	6.811	2.68	5.654	3.18
21.234	1.19	11.818	1.69	8.565	2.19	6.783	2.69	5.635	3.19
20.828	1.20	11.725	1.70	8.519	2.20	6.755	2.70	5.617	3.20
20.443	1.21	11.634	1.71	8.474	2.21	6.728	2.71	5.598	3.21
20.079	1.22	11.545	1.72	8.430	2.22	6.700	2.72	5.579	3.22
19.732	1.23	11.457	1.73	8.386	2.23	6.673	2.73	5.561	3.23
19.401	1.24	11.370	1.74	8.342	2.24	6.646	2.74	5.542	3.24
19.085	1.25	11.285	1.75	8.299	2.25	6.620	2.75	5.524	3.25
18.783	1.26	11.202	1.76	8.257	2.26	6.594	2.76	5.506	3.26
18.493	1.27	11.120	1.77	8.215	2.27	6.567	2.77	5.488	3.27
18.216	1.28	11.039	1.78	8.173	2.28	6.541	2.78	5.470	3.28
17.949	1.29	10.960	1.79	8.138	2.29	6.516	2.79	5.452	3.29
17.690	1.30	10.881	1.80	8.091	2.30	6.490	2.80	5.435	3.30
17.445	1.31	10.804	1.81	8.051	2.31	6.465	2.81	5.417	3.31
17.207	1.32	10.729	1.82	8.011	2.32	6.440	2.82	5.400	3.32
16.977	1.33	10.654	1.83	7.972	2.33	6.415	2.83	5.383	3.33
16.755	1.34	10.581	1.84	7.933	2.34	6.390	2.84	5.365	3.34
16.540	1.35	10.509	1.85	7.894	2.35	6.366	2.85	5.348	3.35
16.332	1.36	10.437	1.86	7.856	2.36	6.341	2.86	5.331	3.36
16.131	1.37	10.367	1.87	7.818	2.37	6.317	2.87	5.315	3.37
15.936	1.38	10.298	1.88	7.781	2.38	6.293	2.88	5.298	3.38
15.747	1.39	10.230	1.89	7.744	2.39	6.270	2.89	5.281	3.39
15.563	1.40	10.163	1.90	7.707	2.40	6.246	2.90	5.265	3.40
15.385	1.41	10.097	1.91	7.671	2.41	6.223	2.91	5.248	3.41
15.211	1.42	10.032	1.92	7.635	2.42	6.200	2.92	5.232	3.42
15.043	1.43	9.968	1.93	7.599	2.43	6.177	2.93	5.216	3.43
14.879	1.44	9.904	1.94	7.564	2.44	6.154	2.94	5.200	3.44
14.719	1.45	9.842	1.95	7.529	2.45	6.131	2.95	5.184	3.45
14.564	1.46	9.780	1.96	7.494	2.46	6.109	2.96	5.168	3.46
14.412	1.47	9.720	1.97	7.460	2.47	6.086	2.97	5.152	3.47
14.264	1.48	9.660	1.98	7.426	2.48	6.064	2.98	5.137	3.48
14.120	1.49	9.601	1.99	7.393	2.49	6.042	2.99	5.121	3.49
13.979	1.50	9.542	2.00	7.360	2.50	6.021	3.00	5.105	3.50



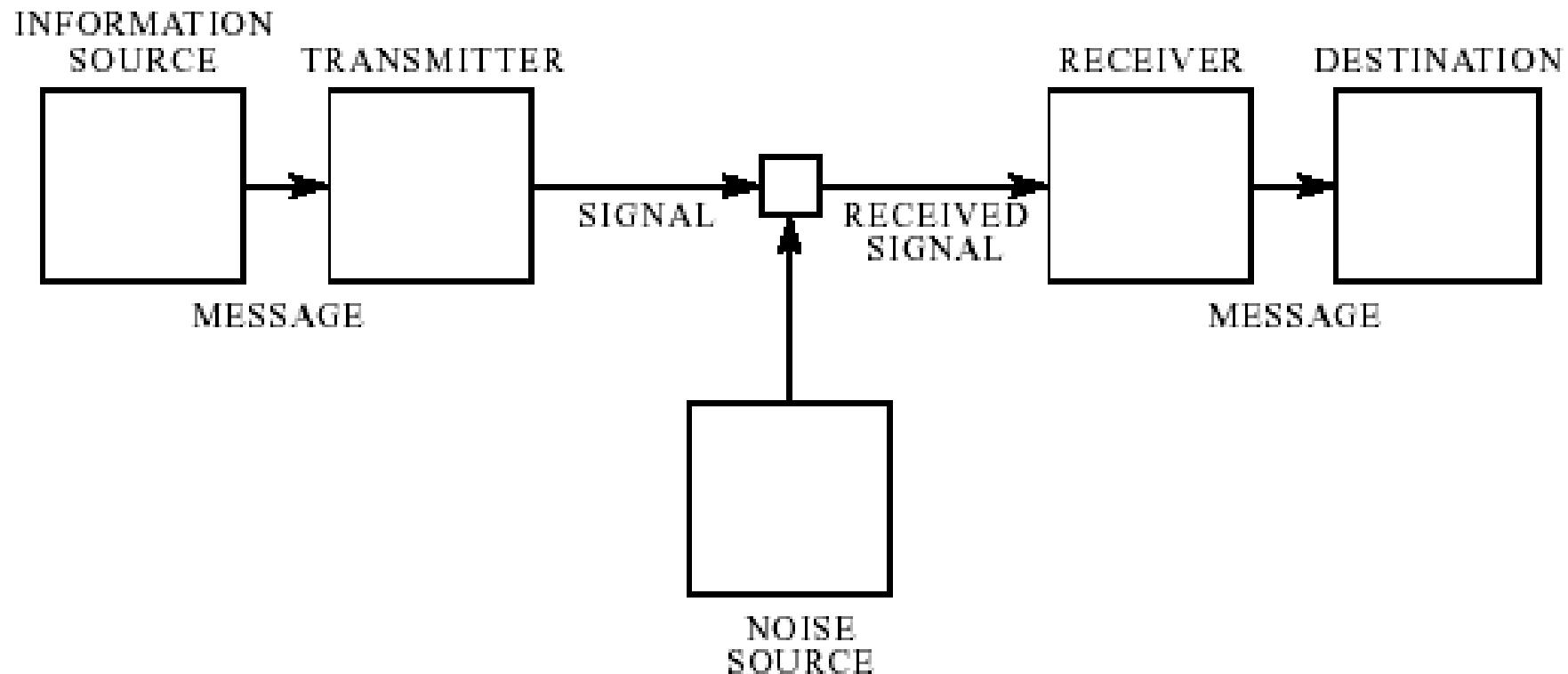
# Wireless Telecommunications

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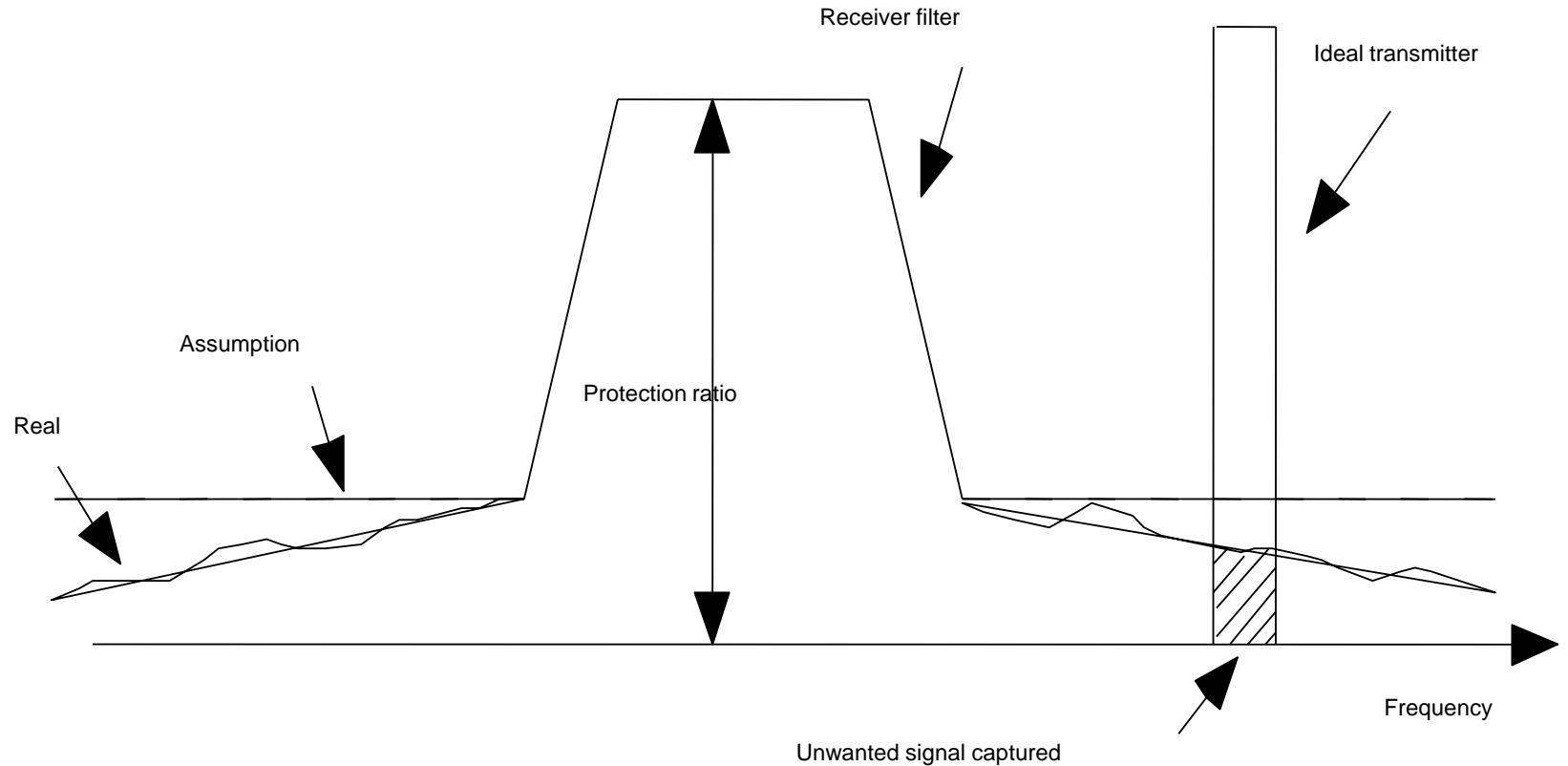
## Transmitters and Receivers

<http://people.itu.int/~mazar/>

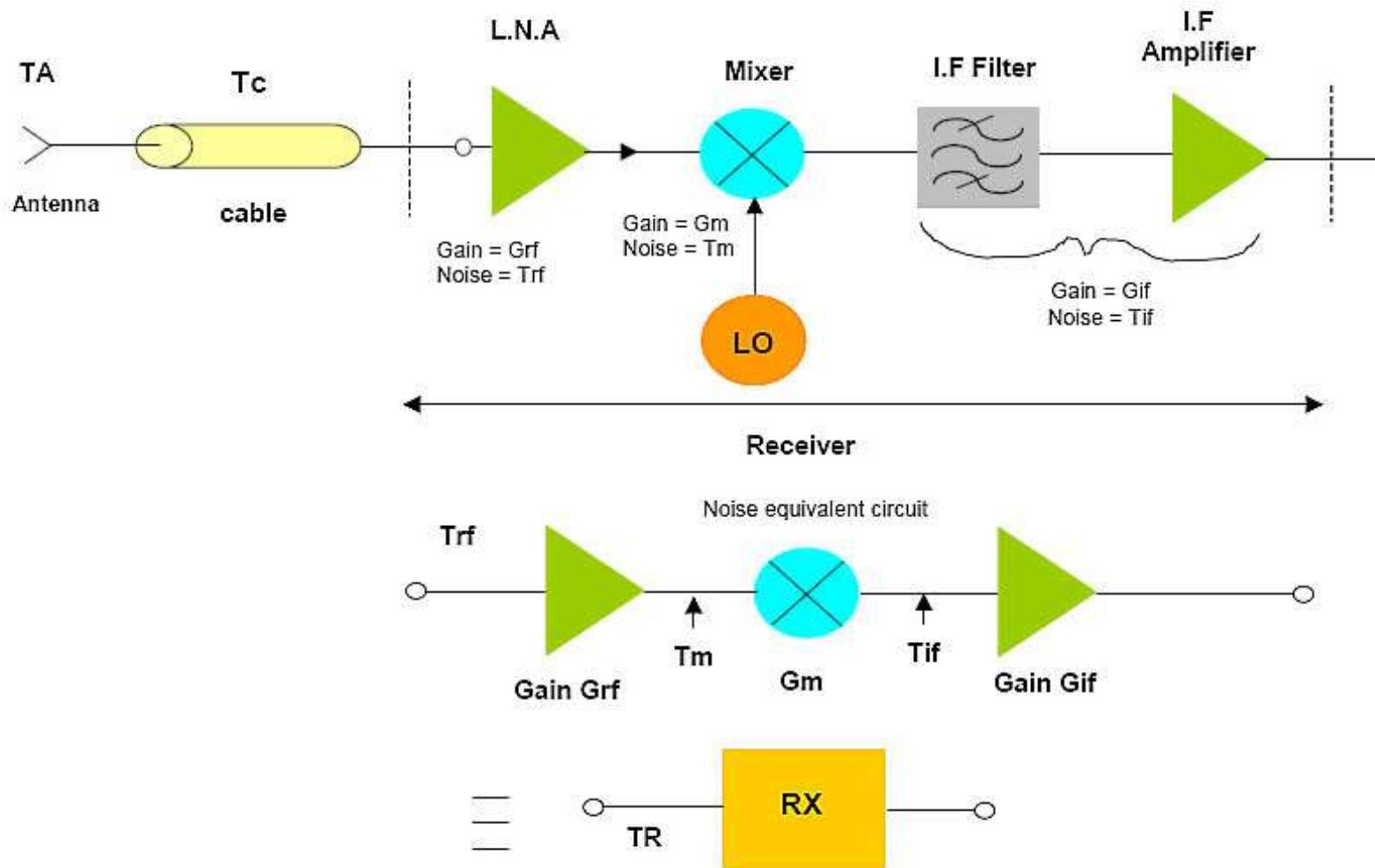
# Schematic Diagram of a General Communication (Shannon & Weaver 1949)



# Receiving Conditions



# Typical Rx Schematics (Rami Neuderfer)



# Noise Figure and Terms to specify noise intensity and inter-relationship

*Noise Figure (and Noise Factor) is defined as the ratio of the output noise power to the portion attributed to thermal noise in the input termination at standard noise temperature  $t_c$  (usually 290 K)*

$$f = \frac{SNR_{in}}{SNR_{out}}$$

If devices are cascaded use with Friis' Formula: where  $F_n$  is the noise factor for the  $n$ -th device and  $G_n$  is the power gain (linear, not in dB) of the  $n$ -th device.

$$F = F_1 + \frac{F_2 - 1}{G_1} + \frac{F_3 - 1}{G_1 G_2} + \frac{F_4 - 1}{G_1 G_2 G_3} + \cdots + \frac{F_n - 1}{G_1 G_2 G_3 \cdots G_{n-1}},$$

In a well designed receive chain, only the noise factor of the first amplifier is significant.

## Noise Figure and Terms to specify noise intensity... (cont'd)

$f_a$  : the external noise factor is defined as

$$f_a = \frac{P_n}{k t_0 b}$$

$P_n$ : available noise power from an equivalent lossless ant

Logarithm  $F_a = 10 \log f_a$  dB

$$f = f_a - 1 + f_c f_t f_r$$

Given  $t_c = t_t = t_0$

$t_0$  : reference temperature (K) taken as 290 K

$t_c$  : actual temperature (K) of the antenna and nearby ground

$t_t$  : actual temperature (K) of the transmission line

$k$  : Boltzmann's constant =  $1.38 \times 10^{-23}$  J/K

$b$  : noise power bandwidth of the receiving system (Hz)

$f_r$  : noise factor of the receiver

# Noise Figure (cont'd)

k : Boltzmann's constant =  $1.38 \times 10^{-23}$  J/K

b : noise power bandwidth of the receiving system (Hz)

$f_r$  : noise factor of the receiver

$$f_a = \frac{P_n}{k t_0 b} \quad f_a = \frac{t_a}{t_0}$$

external noise factor can be expressed as a temp  $t_a$ , where, by definition of  $f_a$ :

$t_a$  is the effective antenna temperature due to external noise

$P_n$  from  $f_a$  in dB:  $P_n = F_a + B - 204$  dBW

$P_n = 10 \log P_n$  available power (W)

$B = 10 \log b$

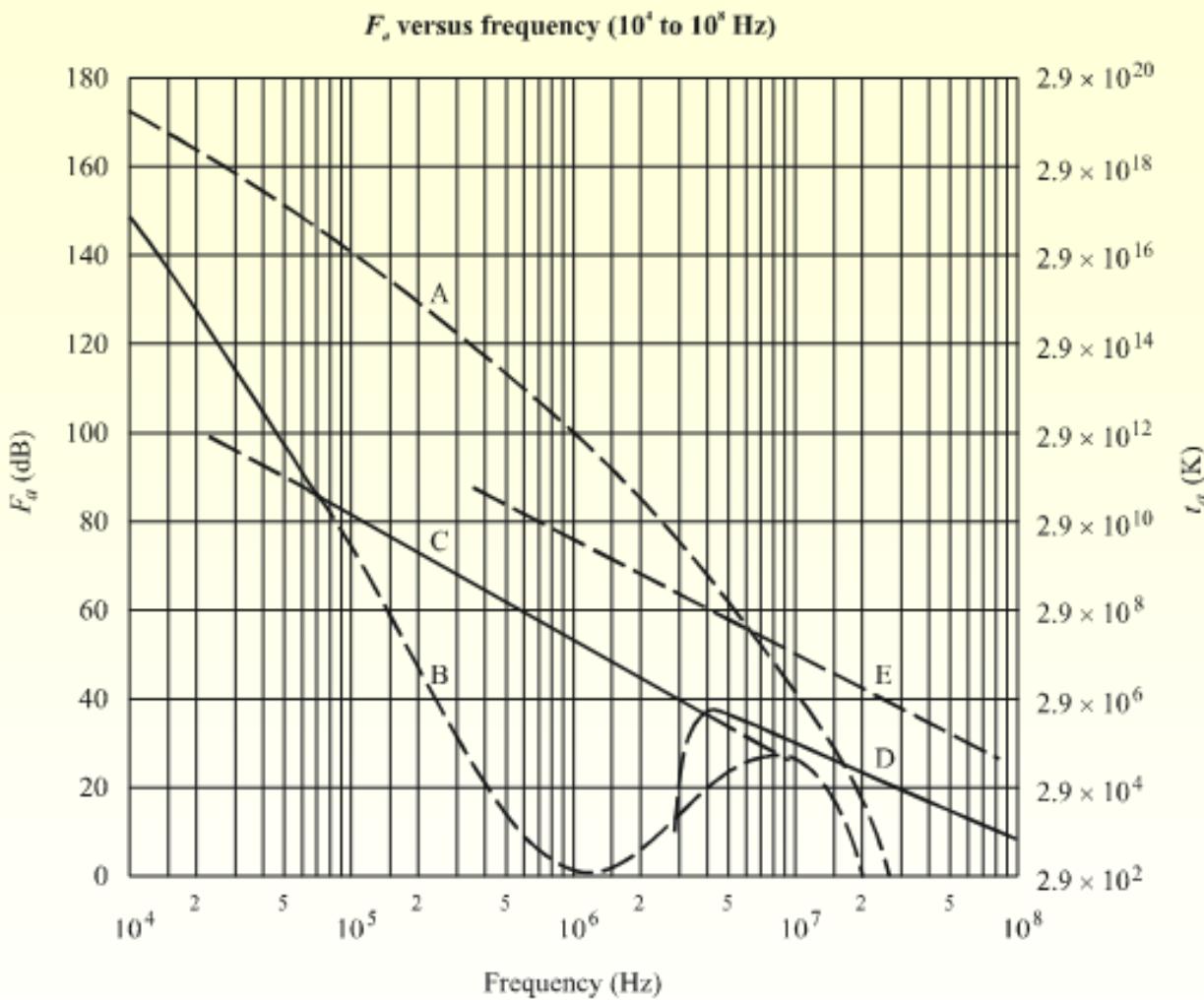
$-204 = 10 \log k t_0$  ( $1.38 \times 290 = 400.2$ )

for a half-wave dipole in free space:

$$P_r = \frac{E^2 G \lambda^2}{Z_0 4\pi} = \frac{E^2 G c^2}{480 \pi^2 f^2}$$

$E_n = F_a + 20 \log f(\text{MHz}) + B (\text{MHz}) - 98.9$  dB( $\mu$  V/m)

# Radio Noise: $F_a$ vs RF ITU-R P. 372 ; 10 kHz to 100 MHz

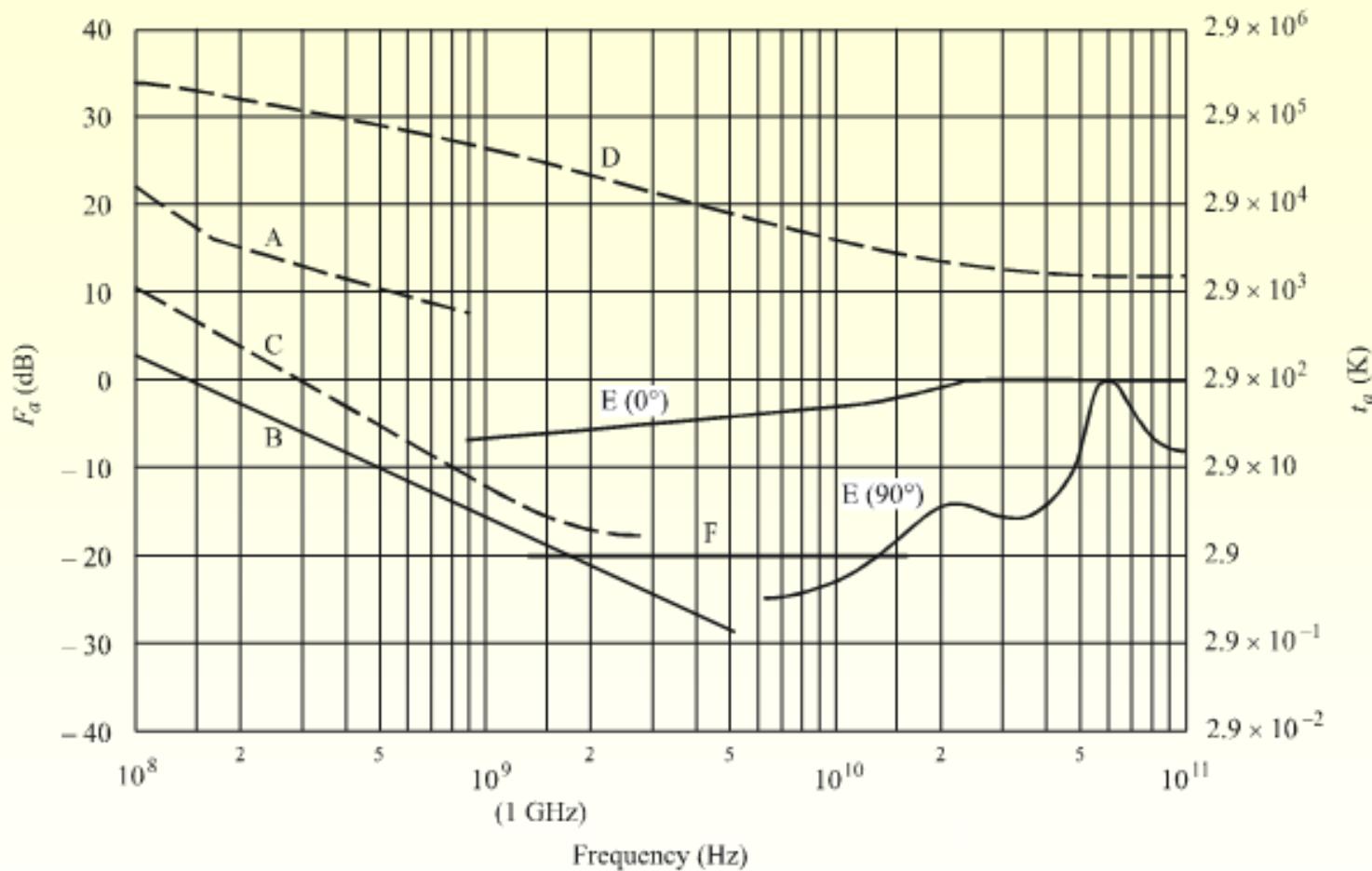


- A: atmospheric noise, value exceeded 0.5% of time  
B: atmospheric noise, value exceeded 99.5% of time  
C: man-made noise, quiet receiving site  
D: galactic noise  
E: median city area man-made noise  
minimum noise level expected

0372-02

# Radio Noise: $F_a$ vs RF ITU-R P. 372 ; 100 MHz to 100 GHz

$F_a$  versus frequency ( $10^8$  to  $10^{11}$  Hz)

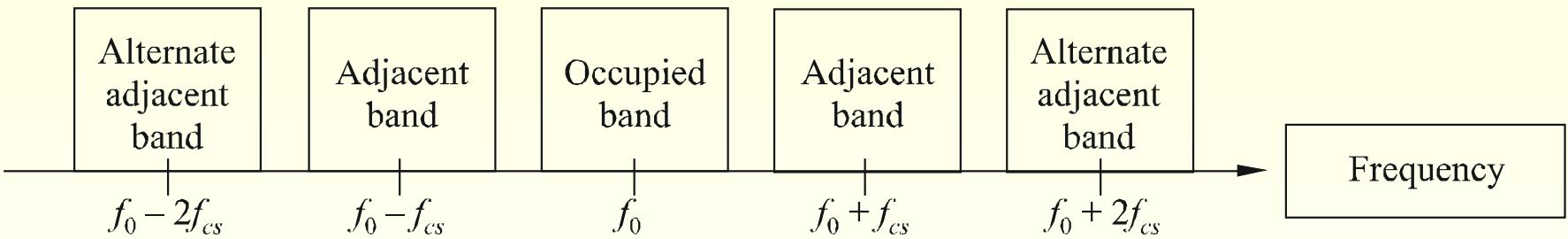


- A: estimated median city area man-made noise
- B: galactic noise
- C: galactic noise (toward galactic centre with infinitely narrow beamwidth)
- D: quiet Sun ( $\frac{1}{2}^\circ$  beamwidth directed at Sun)
- E: sky noise due to oxygen and water vapour (very narrow beam antenna); upper curve,  $0^\circ$  elevation angle; lower curve,  $90^\circ$  elevation angle
- F: black body (cosmic background), 2.7 K minimum noise level expected

0372-03

# Unwanted Masks, Rec SM 1541

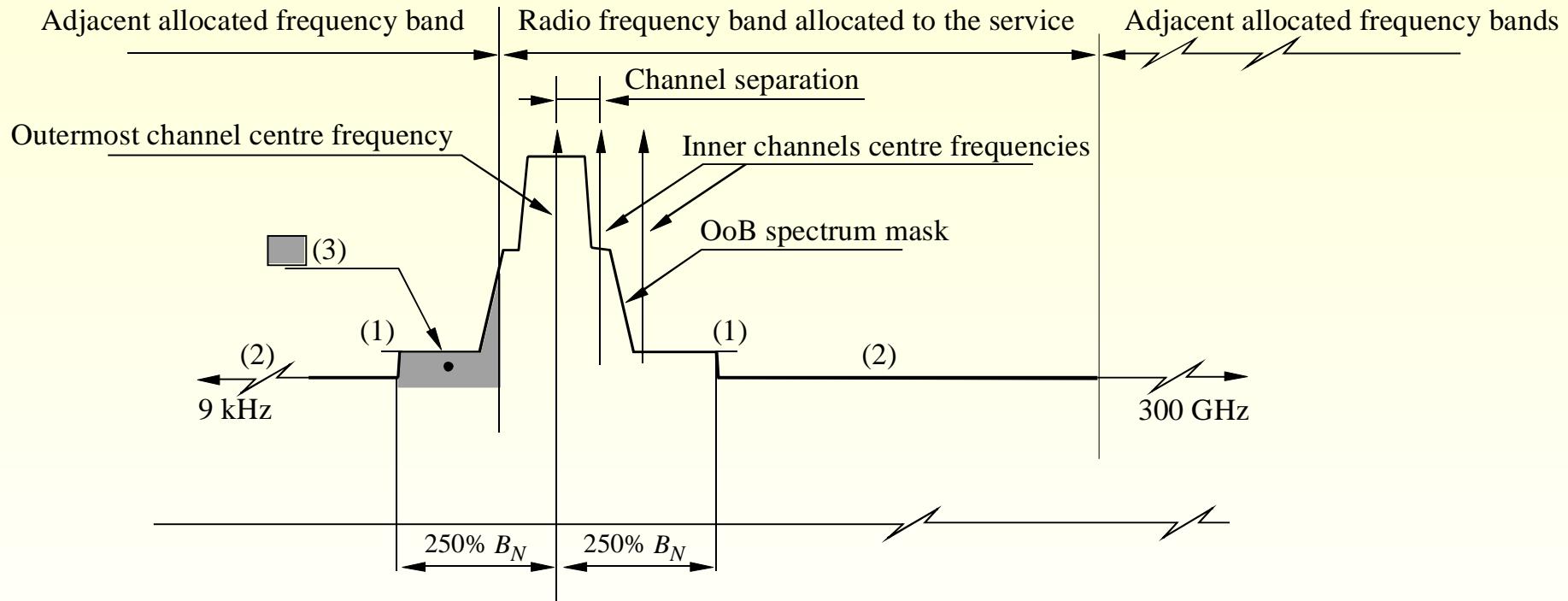
FIGURE 3  
**Power measurement bands**



$f_{cs}$ : spacing between assigned frequencies

1541-03

# Unwanted Emissions (Rec SM.1540)



- (1) Actual OoB mask for the system under consideration
- (2) Spurious limit defined by RR Appendix 3 or Recommendation ITU-R SM.329
- (3) Unwanted emissions in the OoB domain falling in the adjacent allocated frequency band

1540-01

# Wireless Telecommunications

## Enrichment Material

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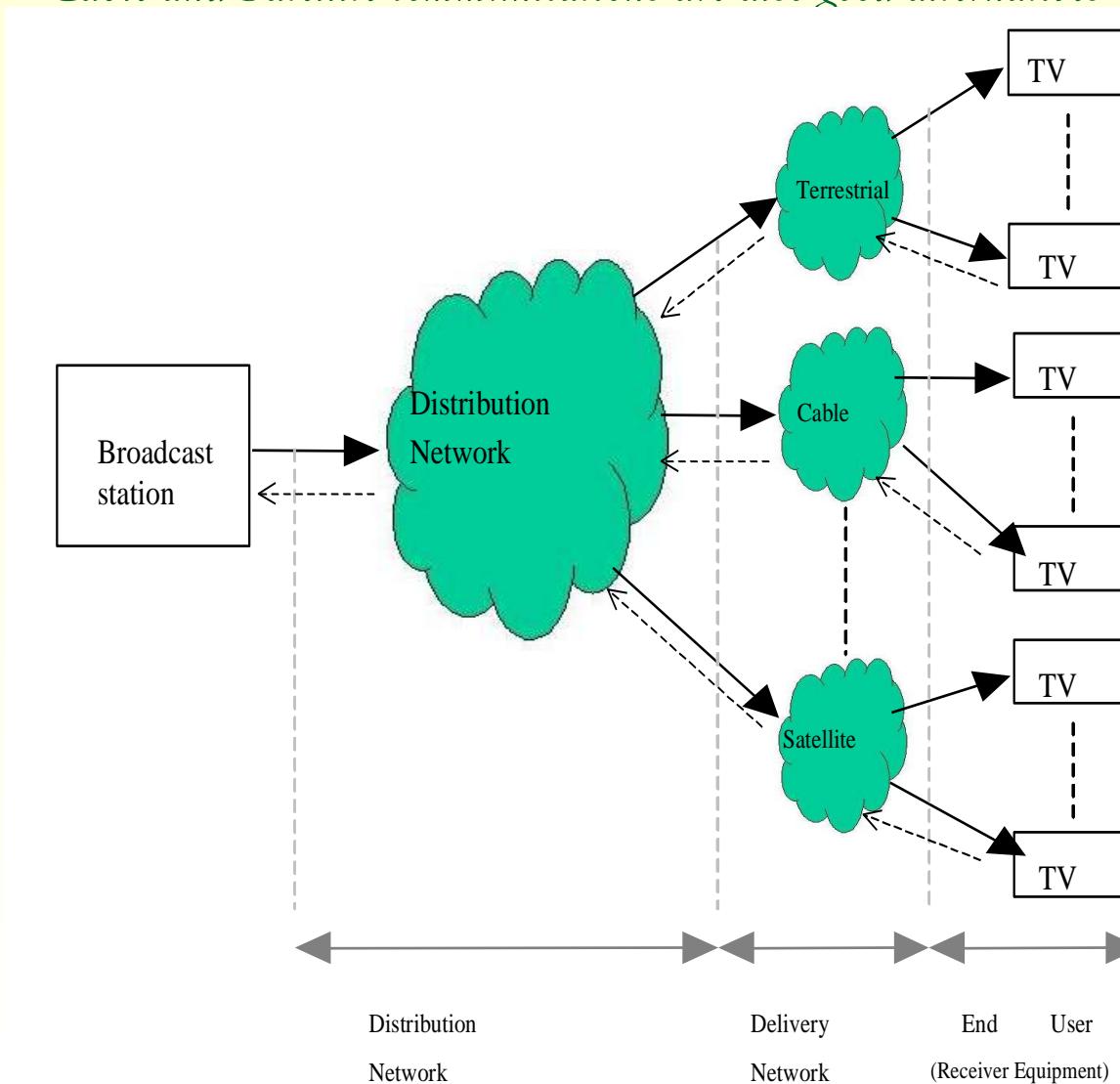
### Broadcasting: Video, Audio and Data

<http://people.itu.int/~mazar/>

# Broadcasting Network

Henten A., Samarajiva R., Melody WH. 2003

*Cable and Satellite communications are also good alternatives*



# Technical Parameters of the TV systems

The three Analogue (or Analog) TV standards

	Lines per frame (visible lines)	Fields per second	Line Frequency (Hz)	Video Bandwidth (MHz)	Colour subcarrier (MHz)	Subcarrier Modulation	Year implemented
NTSC	525 (480)	59.94	15,734.264	4.2	3.58	Quadrature Amplitude (QAM)	1954
PAL	625 (576)	50	15,625. Only for PAL-M 15,734.264	5; 5.5; 6	4.43; PAL-M 3.58, PAL-N 3.58	Frequency (FM)	1967
SECAM							

median field strength

Band	I	III	IV	V
dB( $\mu$ V/m)	+48	+55	+65	+70

The Three Digital TV Standards (Aware Channel Separation)

	Reception speed	Scanning Lines	Image size Pixels	Modulation
ATSC	Portable	1125	1920x1080	Single 8-VSB carrier codes
DVB-T	< 90 km/h, for 8k carriers; <180 km/h, 2k	Flexible		OFDM
ISDB-T				

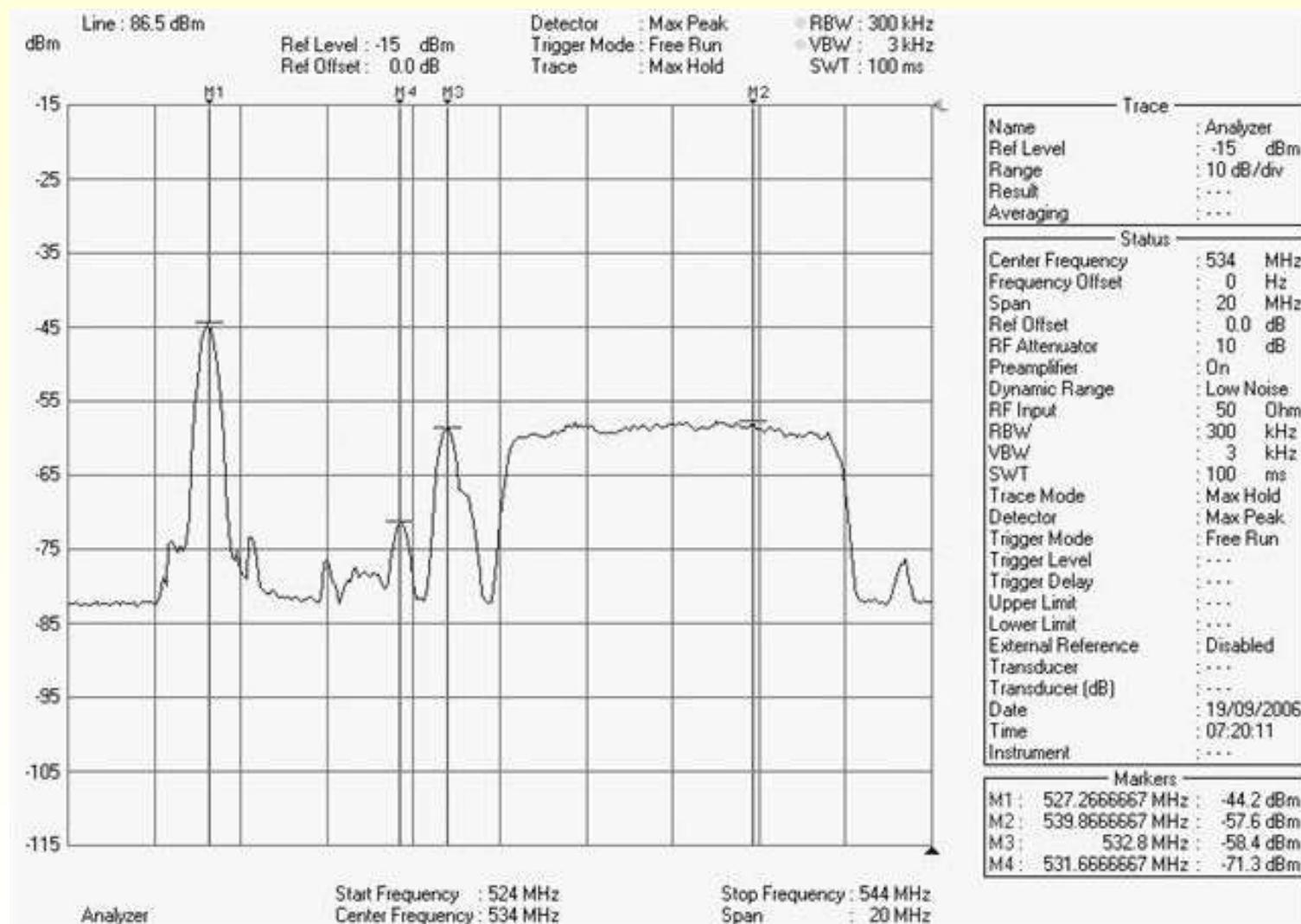
See author's PhD thesis at <http://eprints.mdx.ac.uk/133/2/MazarAug08.pdf> p. 20

# TV Standards; ITU report –Digital TV

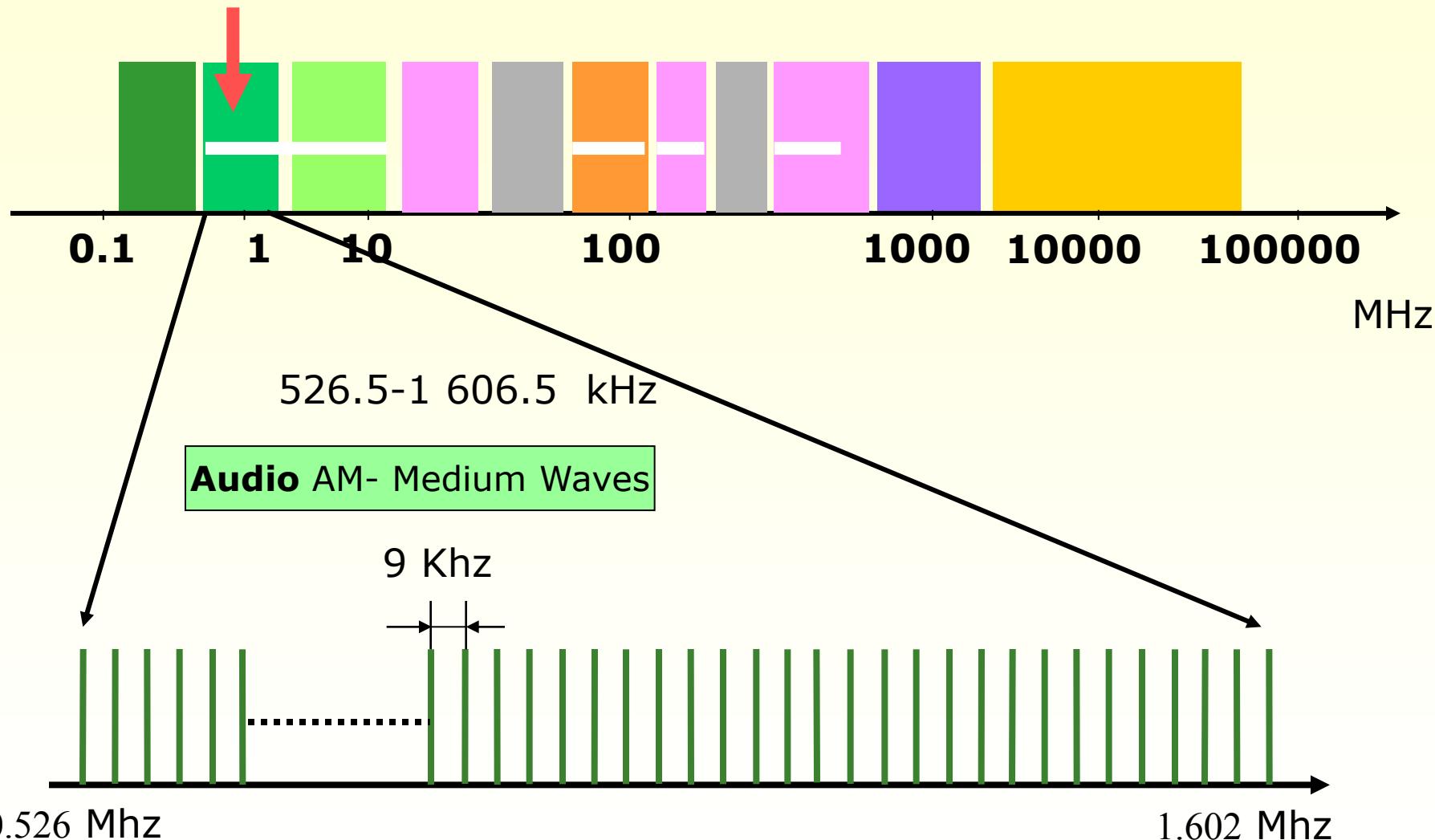
<u>Standard</u>	<u>Channels</u>	<u>Band</u>	<u>Modulation</u>	<u>Applicable standards</u>
ATSC	6 MHz	UHF/VHF	8-VSB	A/52,A/53, A/65, A/153
ChinaDTV	8 MHz	UHF/VHF	OFDM	GB 20600-2006
DVB-T	6, 7 and 8 MHz	UHF/VHF	OFDM	EN 300 744
DVB-H	5, 6, 7 and 8 MHz	UHF/VHF	OFDM	EN 302 304
ISDB-T	6, 7 and 8 MHz	UHF/VHF	Segmented OFDM	ARIB STD-B31
T-DMB	1.75 MHz	VHF/1.5GHz	OFDM	ETSI TS 102 427 and ETSI TS 102 428
FLO	5, 6, 7 and 8 MHz	UHF/VHF	OFDM	TIA 1099
ISDB-T <sub>SB</sub>	0.43, 0.50, 0.57 MHz 1.29, 1.50, 1.71 MHz	UHF/VHF	Segmented OFDM	ARIB STD-B29

TV Analog ch. 28 (526-534 MHz) adjacent to Digital ch. 29 (534-542 MHz)

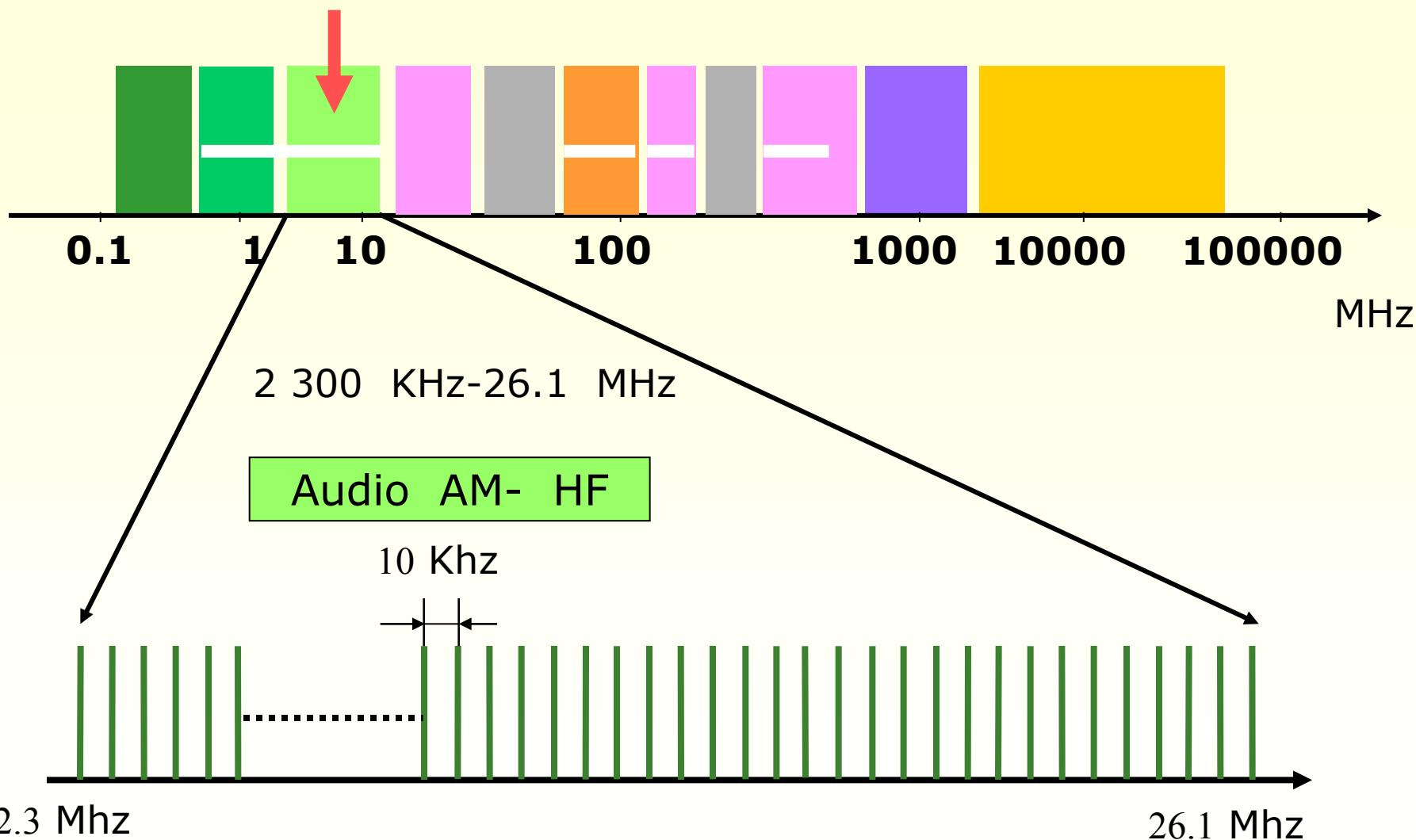
19/09/06; measured by author; M1-an.Video,M4-an.sync,M3-an.sound, M2-dig. OFDM



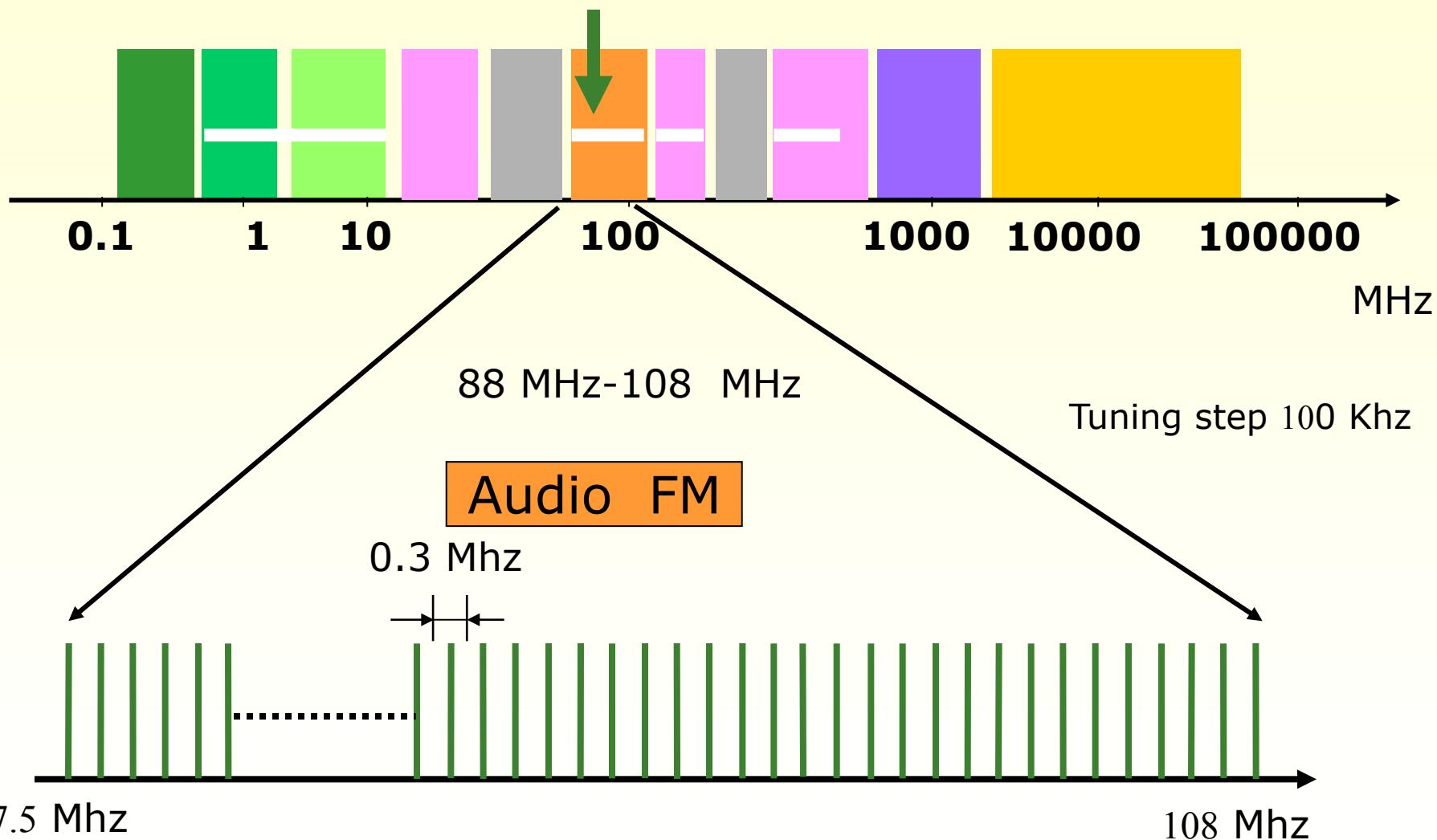
# Radio Frequency



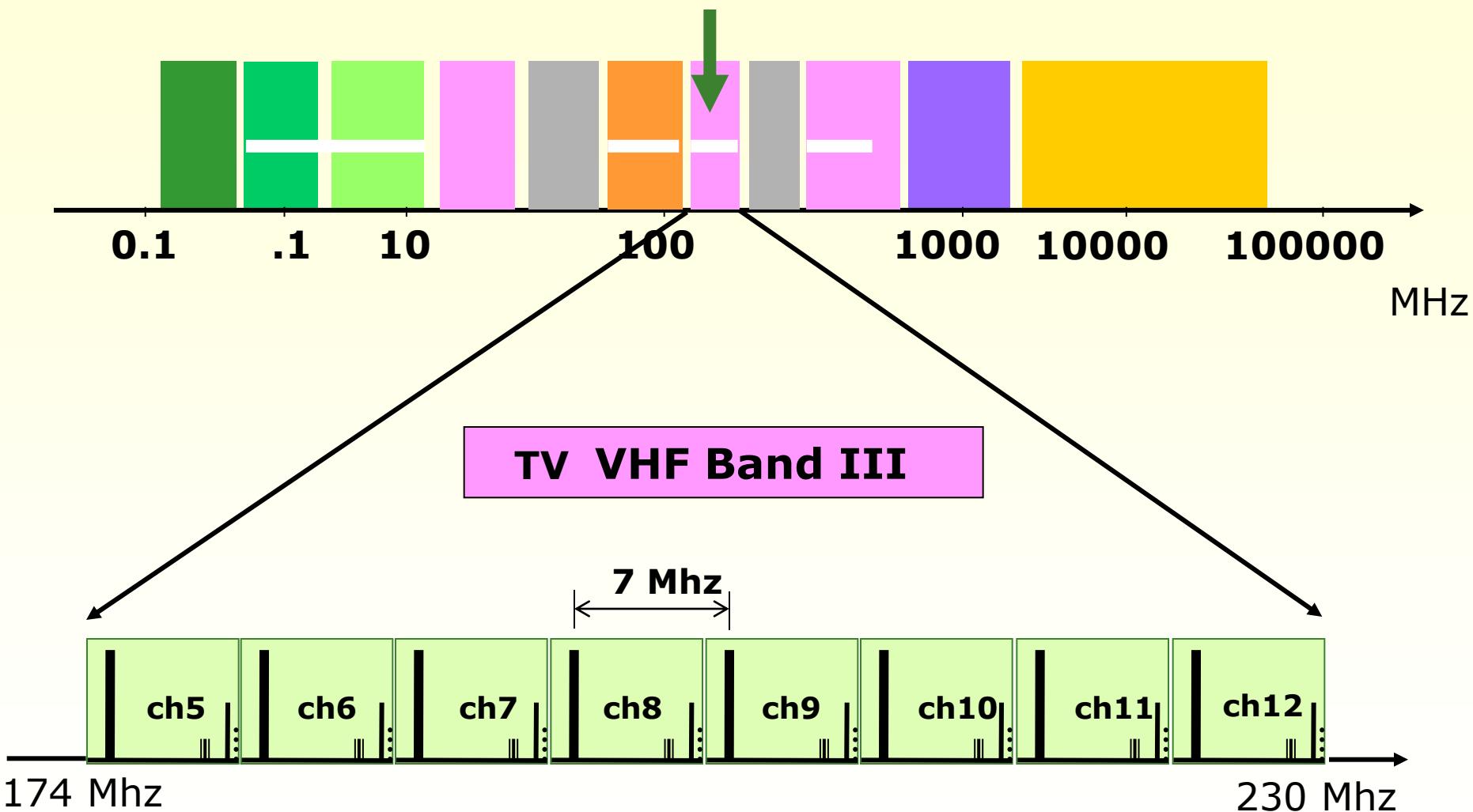
# Radio Frequency



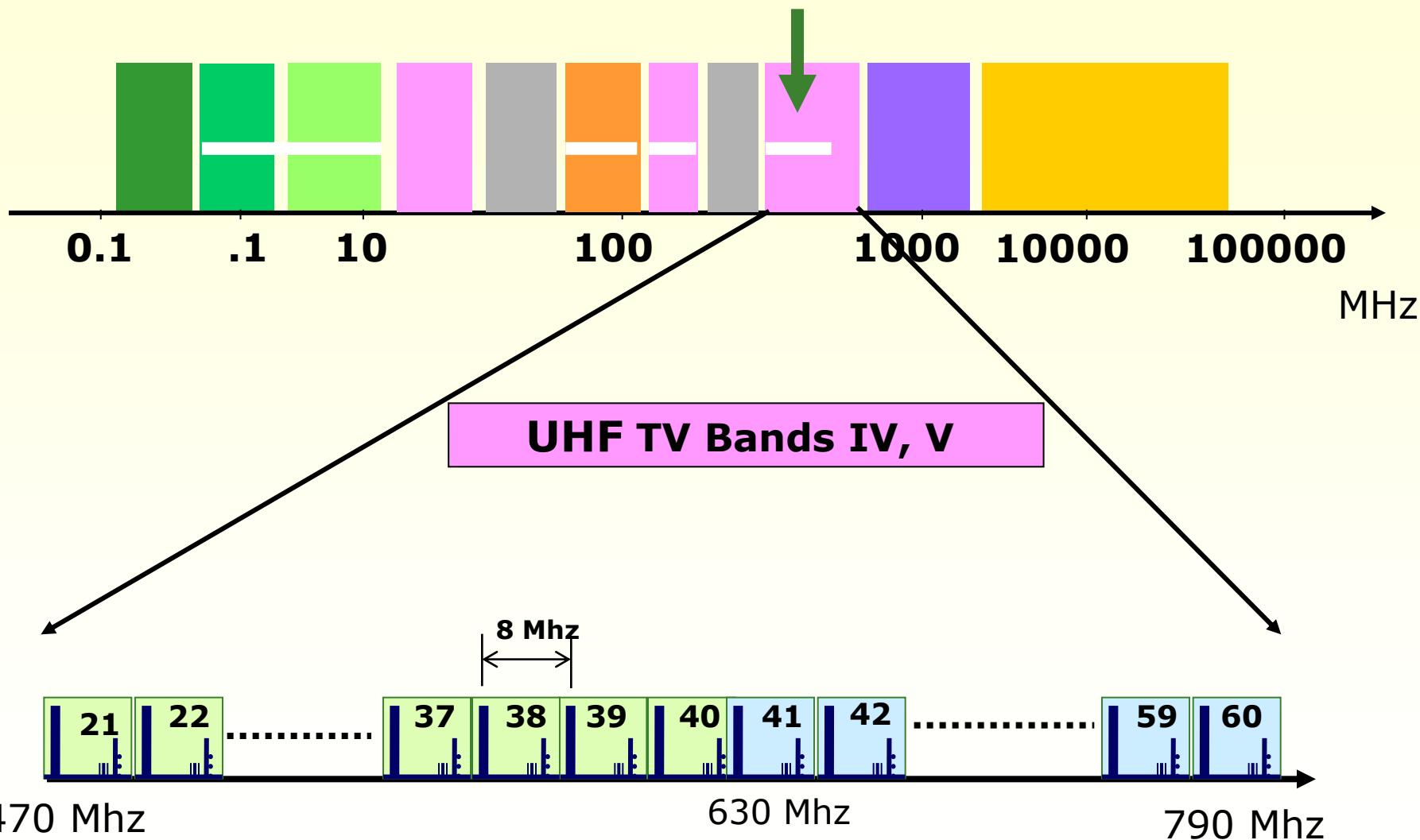
# Radio Frequency



# Radio Frequency



# Radio Frequency



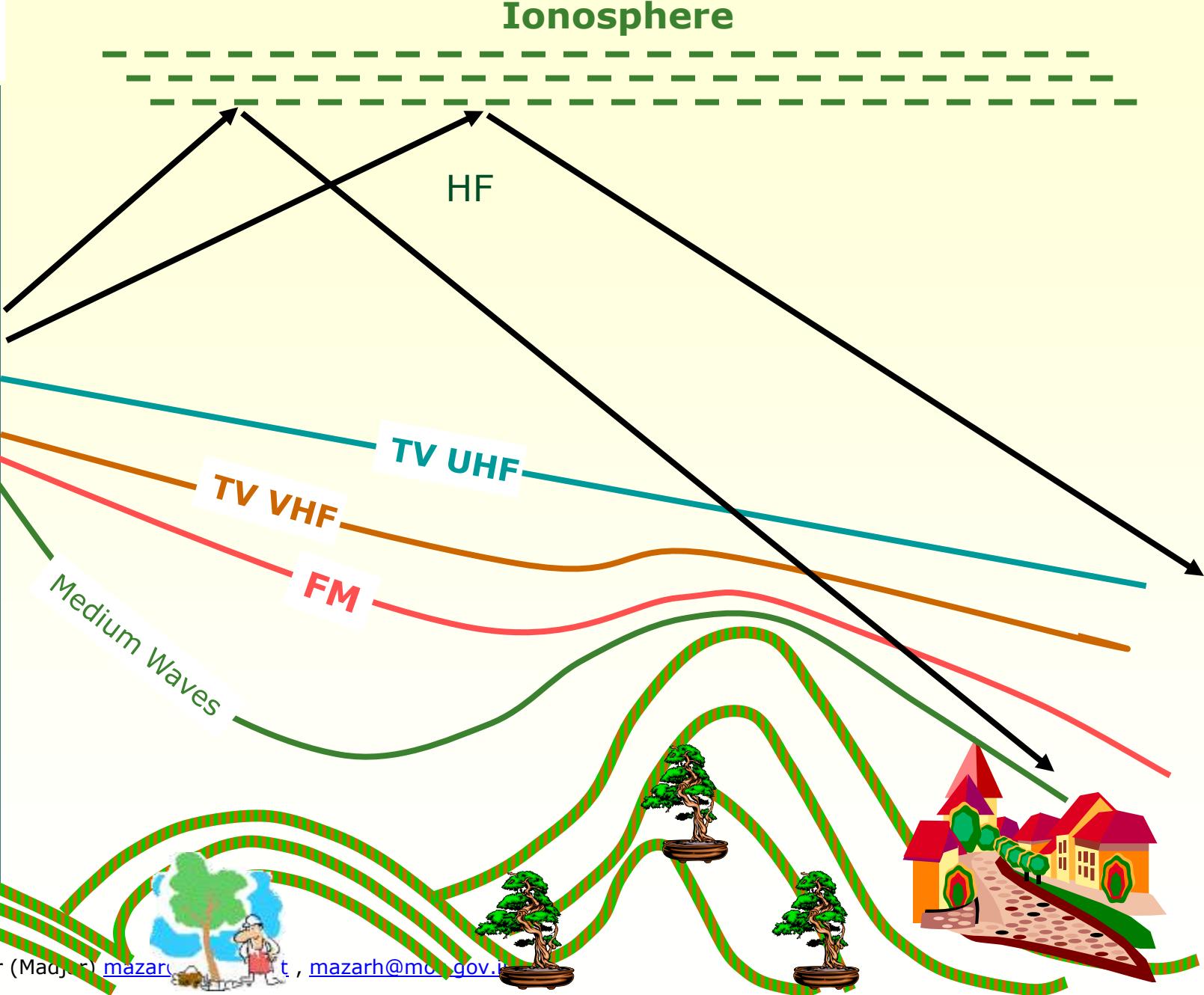
# Band I and Band II TV Channel separation

<i>Channel number</i>	<i>Channel Limits (7 MHz channel spacing)</i>
2	47 – 54
3	54 – 61
4	61 – 68
5	174 – 181
6	181-188
7	188 – 195
8	195 – 202
9	202 – 209
10	209 – 216
11	216 – 223
12	223 – 230

# Ch. numbering in Band IV (ch. 21-34) & in Band V (ch. 35- 69)

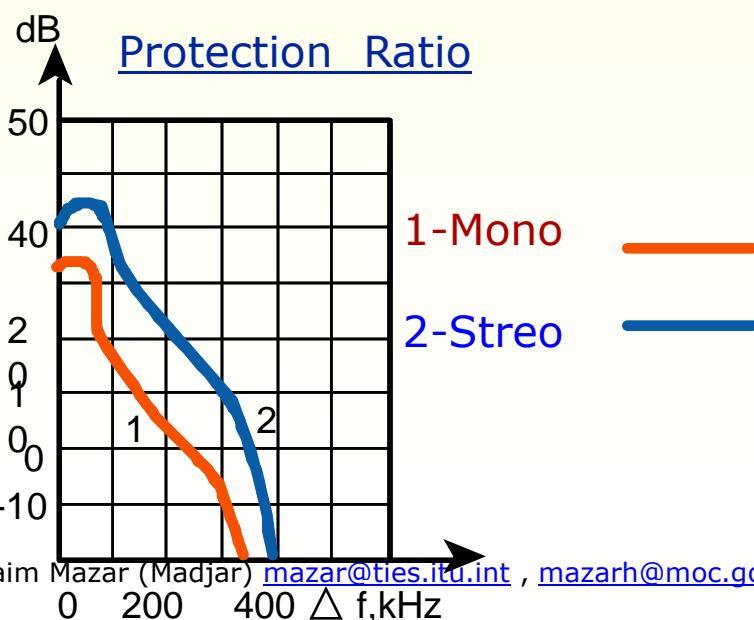
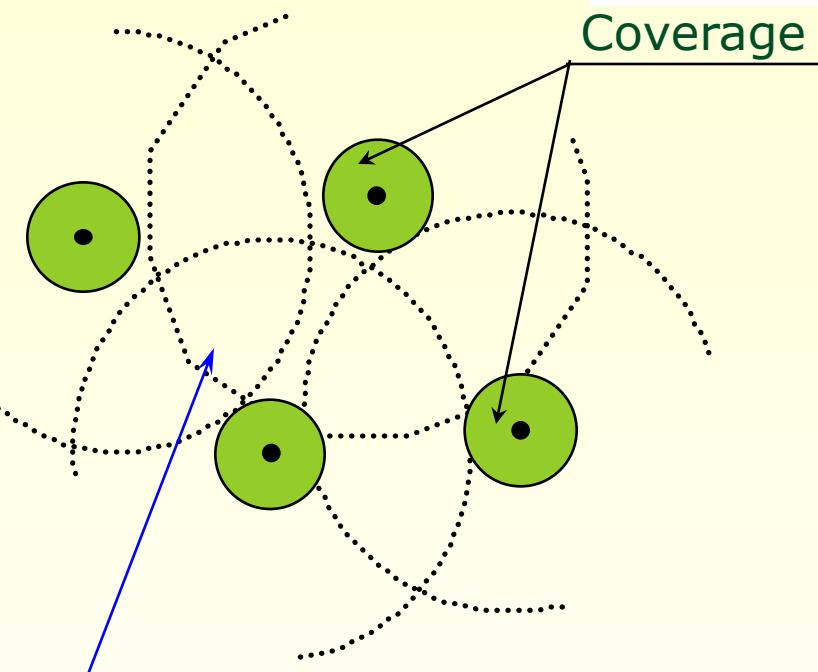
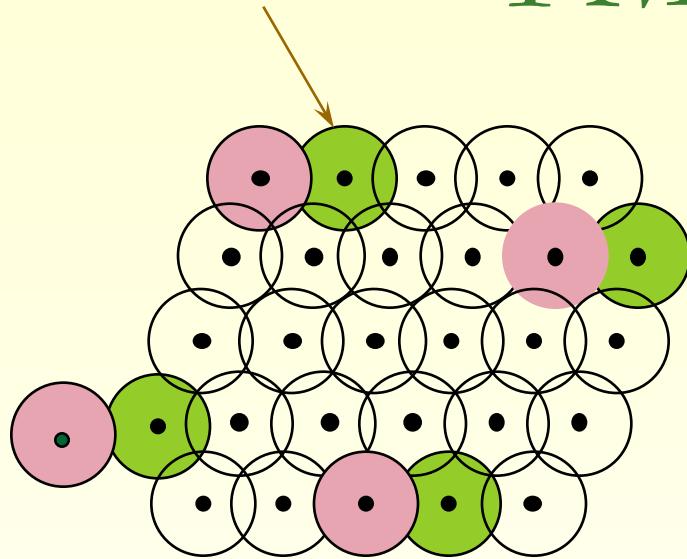
<i>Channel number</i>	<i>Channel limits</i>	<i>Channel number</i>	<i>Channel limits</i>
21	470 - 478	51	710 - 718
22	478 - 486	52	718 - 726
23	486 - 494	53	726 - 734
24	494 - 502	54	734 - 742
25	502 - 510	55	742 - 750
26	510 - 518	56	750 - 758
27	518 - 526	57	758 - 766
28	526 - 534	58	766 - 774
29	534 - 542	59	774 - 782
30	542 - 550	60	782 - 790
31	550 - 558	61	790 - 798
32	558 - 566	62	798 - 806
33	566 - 574	63	806 - 814
34	574 - 582	64	814 - 822
		65	822 - 830
35	582 - 590	66	830 - 838
36	590 - 598	67	838 - 846
37	598 - 606	68	846 - 854
38	606 - 614	69	854 - 862
39	614 - 622		
40	622 - 630		
41	630 - 638		
42	638 - 646		
43	646 - 654		
44	654 - 662		
45	662 - 670		
46	670 - 678		
47	678 - 686		
48	686 - 694		

# Ionosphere



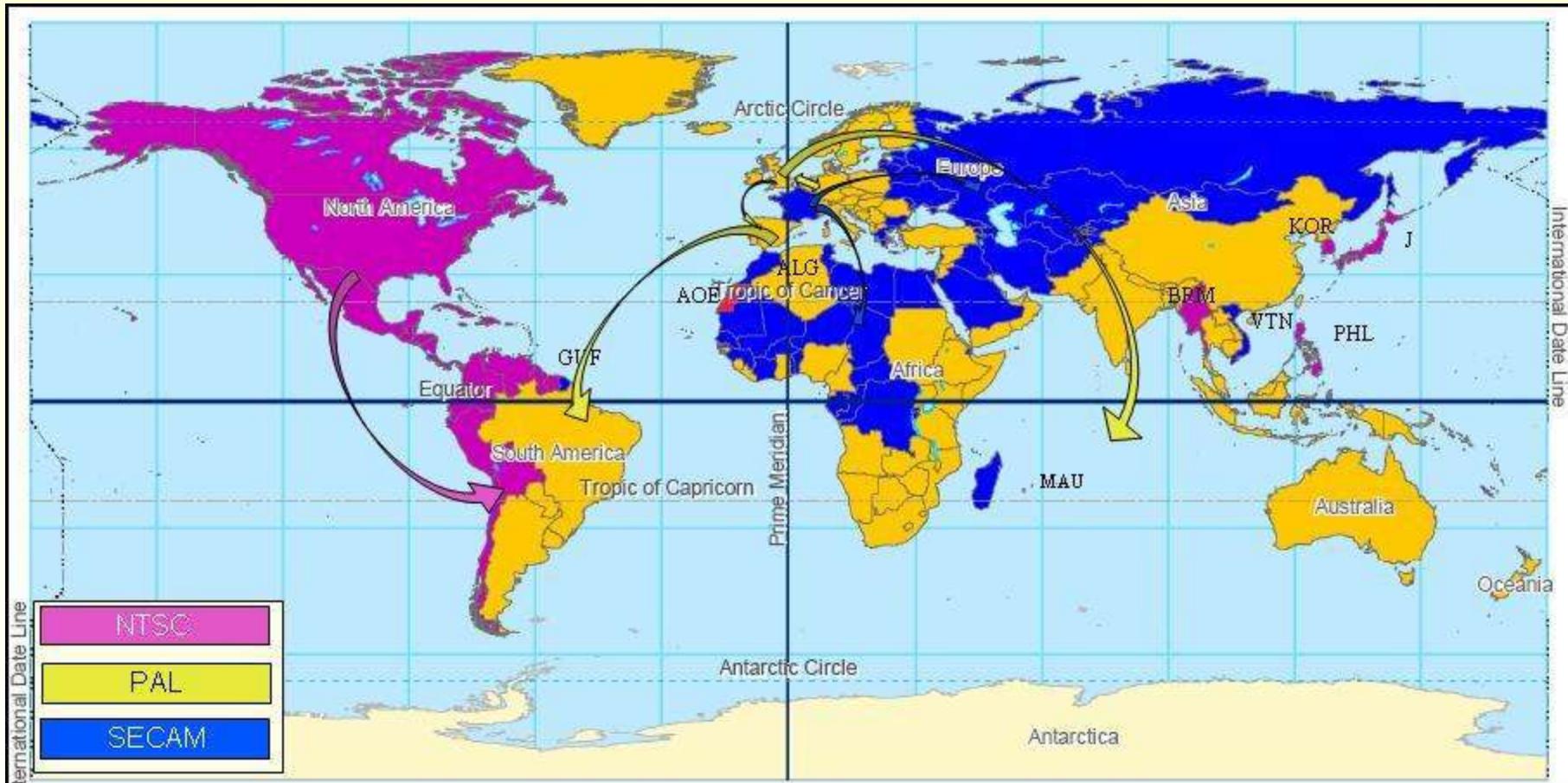
Dr. Haim Mazar (Maj. Gen.) mazar@mu.gov.il , mazarh@mu.gov.il

# FM Network



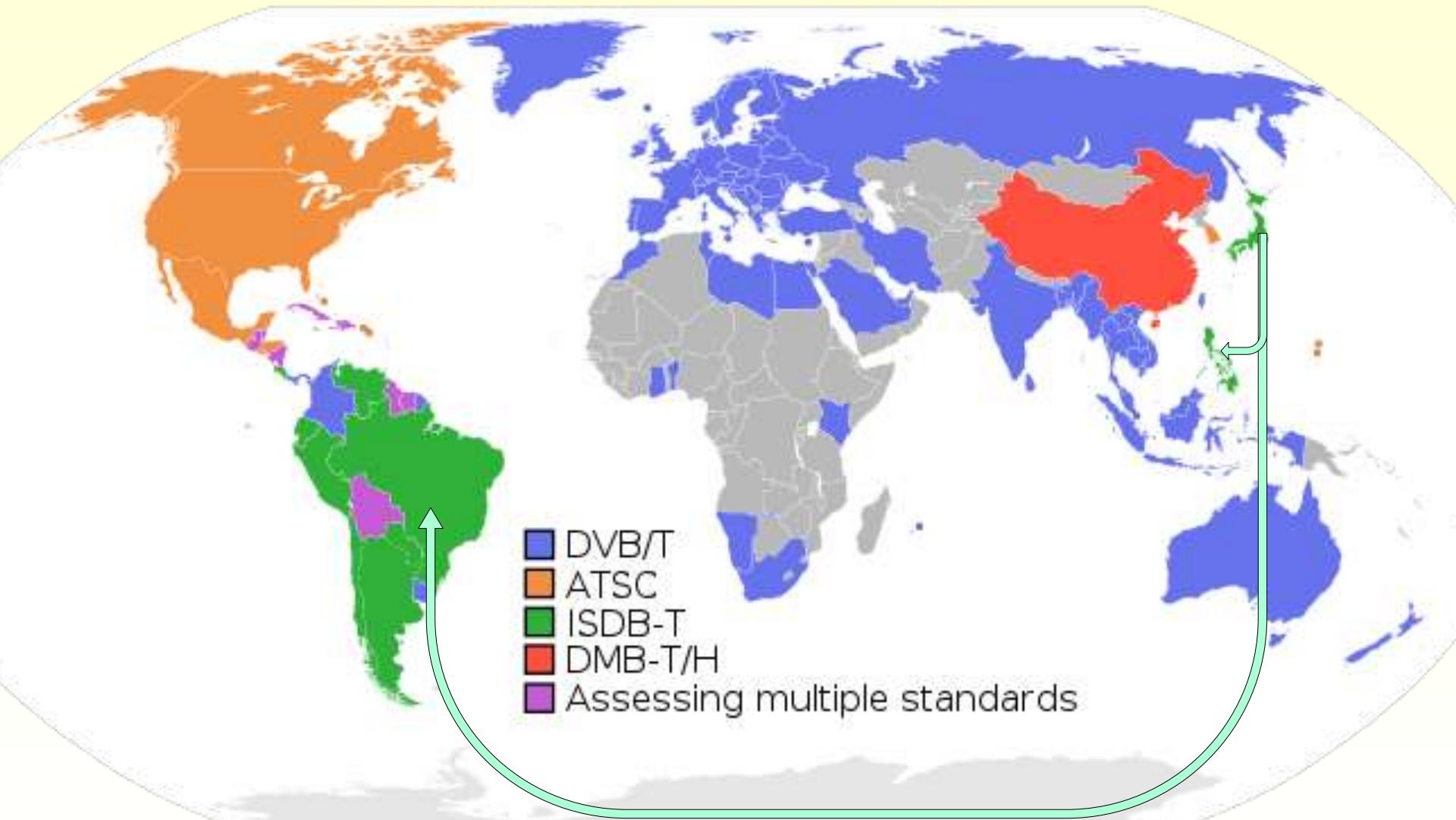
# TV colours; analogue TV around the world

*Influence of language (English or French) and colonialism*



See <http://eprints.mdx.ac.uk/133/2/MazarAug08.pdf> p. 184

# Digital Terrestrial Television (DTT) broadcasting systems by country



See [http://en.wikipedia.org/wiki/File:Digital\\_broadcast\\_standards.svg](http://en.wikipedia.org/wiki/File:Digital_broadcast_standards.svg) 2 July 2010

# 2 digital 8 MHz UHF channels cover all Israel



Channel  
29

Channel  
26

Channel  
29

See [http://www.rashut2.org.il/idan\\_map.asp](http://www.rashut2.org.il/idan_map.asp) 9 January 11

# Digital Switchover and Dividend

1. Digital switchover saves RF spectrum
2. Digital TV multiplexes don't need all the VHF and UHF bands allocated today to the analog TV, for the same transmissions
3. Switchover requires homes to upgrade their aerials and their direction
4. The free RF spectrum is very useful for the land-mobile service
5. International [http://www.itu.int/dms\\_pub/itu-d/opb/hdb/D-HDB-GUIDELINES.01-2010-R1-PDF-E.pdf](http://www.itu.int/dms_pub/itu-d/opb/hdb/D-HDB-GUIDELINES.01-2010-R1-PDF-E.pdf) and Regional activities

# Questions to be Asked

1. Except competition to satellites and cable, do we really need over-the-air terrestrial TV?
2. Which Standard: DVB-T, ISDB-T? ATSC? DMB-T? (check Channel Separation)
3. Free view or paid? Will HD be free also? HD or Ultra HD, 3D?
4. How many programs to transmit? Subsidise set-top box?
5. Business model of DVB-H? Cellular Operators or Broadcasters transmit the DVB-H? Which Regulator?

# LTE parameters in 800 MHz

ETSI and 3GPP band plan for Band Class 20

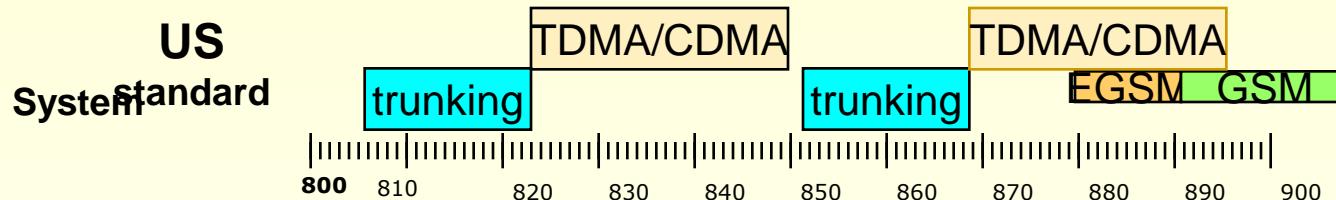
3GPP bandplan for class 20	Downlink (DL) operating band BS transmit UE receive			Uplink (UL) operating band BS receive UE transmit			Duplex Mode
	$F_{DL\_low} - F_{DL\_high}$			$F_{UL\_low} - F_{UL\_high}$			
20	791 MHz	–	821 MHz	832 MHz	–	862 MHz	FDD

3GPP bandplan for class 20	TX - RX carrier centre frequency separation
20	41 MHz

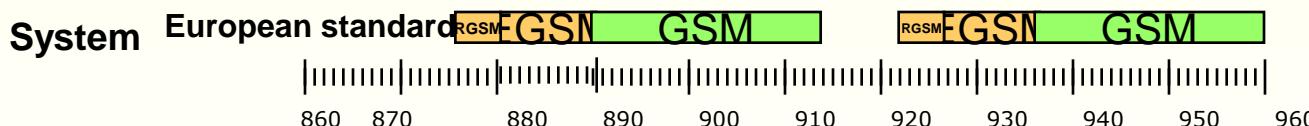
# Digital Dividend 790-862 MHz: Present 800/900 MHz Cellular, Trunking & TV allocations

04 July 2010

## European and American RF allocations



## EUROPEEN



European Radio Telephones RDT 201

# Planning, Protection of land mobile and fixed systems from terrestrial digital video and audio broadcasting systems

1. PP2%20Tables TV\REC-M1767TV\_M.pdf
2. PP2%20Tables TV\REC-F1670TV\_FIX.pdf

# Wireless Telecommunications

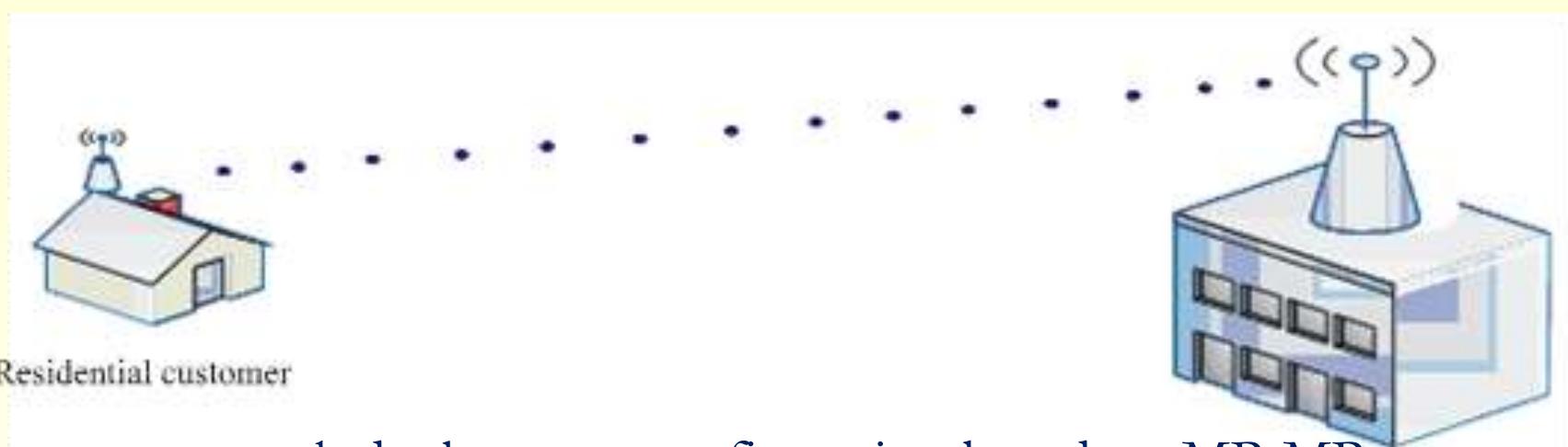
## Enrichment Material

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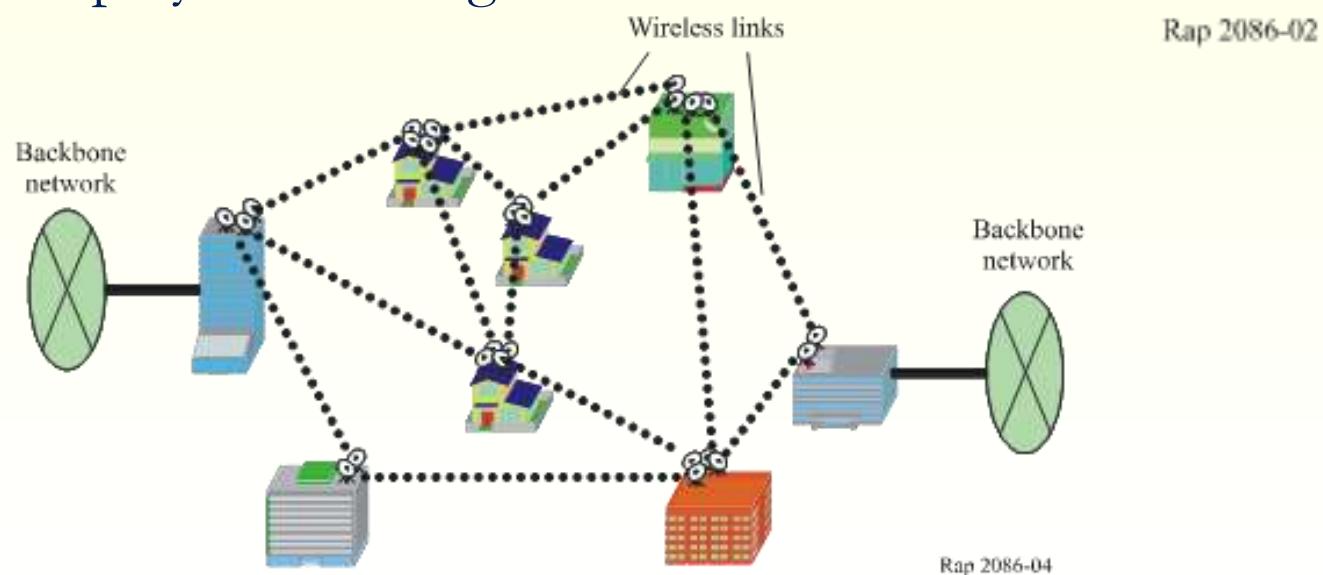
### Fixed and Land Mobile Services

<http://people.itu.int/~mazar/>

# Illustrating network deployment configuration based on P-P configuration

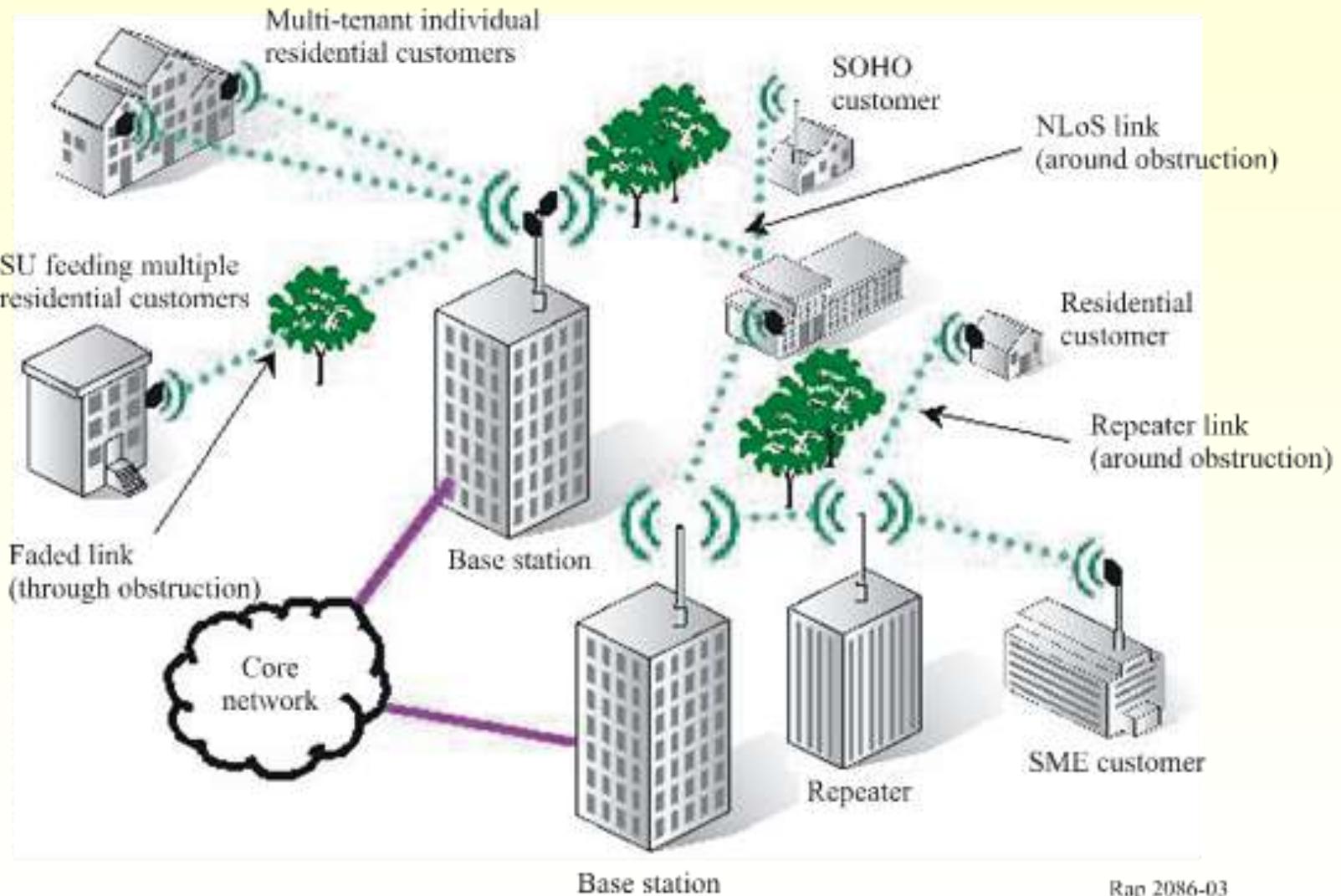


network deployment configuration based on MP-MP



Rap 2086-04

# Illustrating network deployment configuration based on P-MP configuration

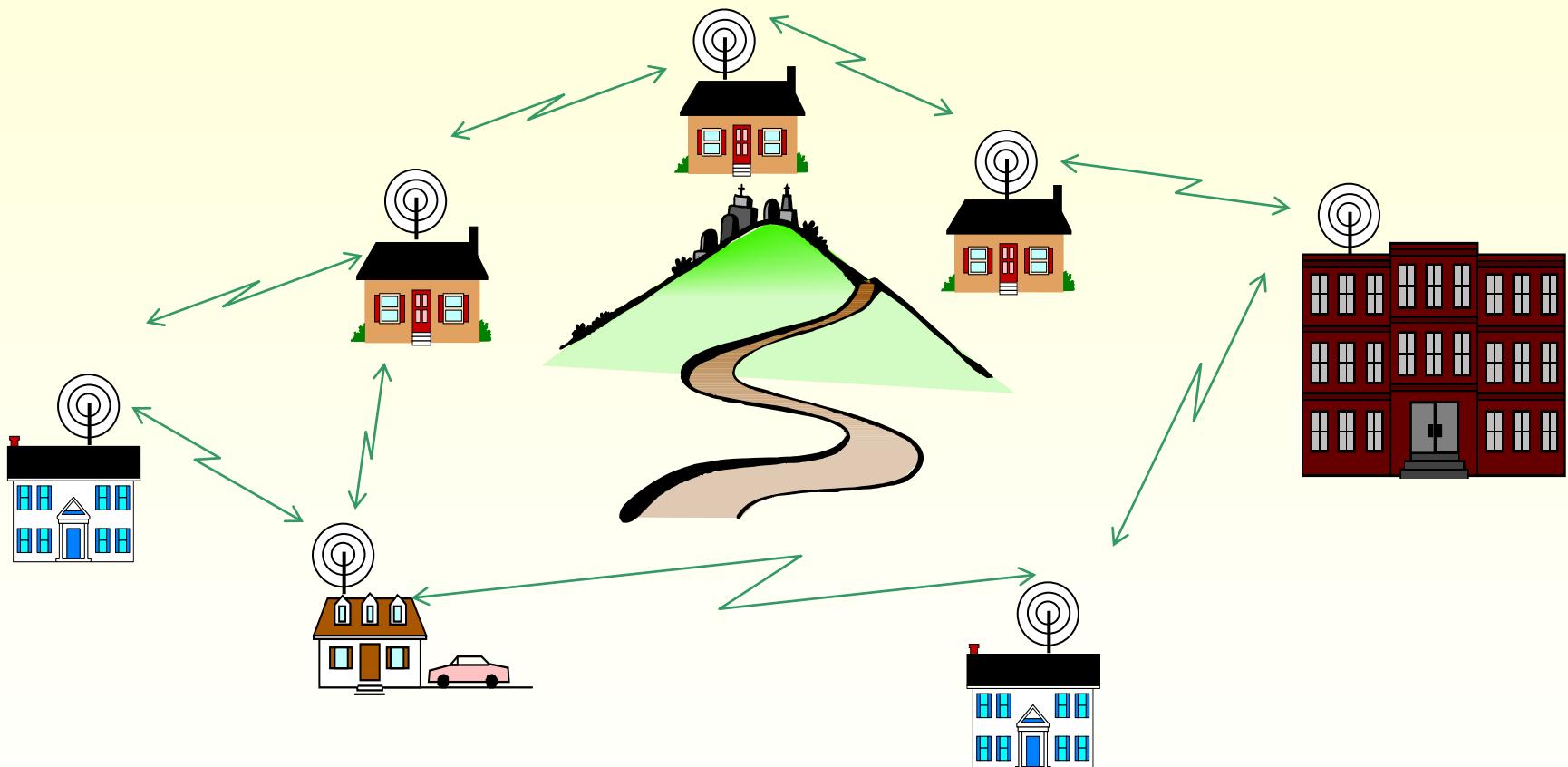


Rap 2086-03

# Acronyms and Abbreviations

BRAN	Broadband radio access network (ETSI)
BS	Base station
BWA	Broadband wireless access
CDMA	Code division multiple access
FDD	Frequency division duplex
FWA	Fixed wireless access
ISP	Internet service providers
LAN	Local area network
LoS	Line-of-sight
MIMO	Multiple input multiple output
MPEG4	Moving Picture Experts Group 4
MP-MP	Multipoint-to-multipoint
NLOS	Non-line-of-sight
P-P	Point-to-point
P-MP	Point-to-multipoint
QoS	Quality of service
RLAN	Radio local area network
SDH	Synchronous digital hierarchy
SME	Small medium enterprise
SOHO	Small office home office
ST	Subscriber terminal
SU	Subscriber unit
TCP/IP	Transmission control protocol/Internet protocol
TDD	Time division duplex
VoIP	Voice over Internet protocol
WAN	Wide area network
WAS	Wireless access systems

# Mesh Network; Mobile & RLAN, ITU-R LMHB



# Point-to-Point Link Budget

Link budget (dB) = Tx power (dBm)

- + Transmitting antenna gain (dBi)
- + Receive antenna gain (dBi)
- - Receive Sensitivity (-dBm)
- - Antenna cable losses
- - RF fade margin
- - Interference margin

# Fade Margin

$$FM = P_r - P_{r,min}$$

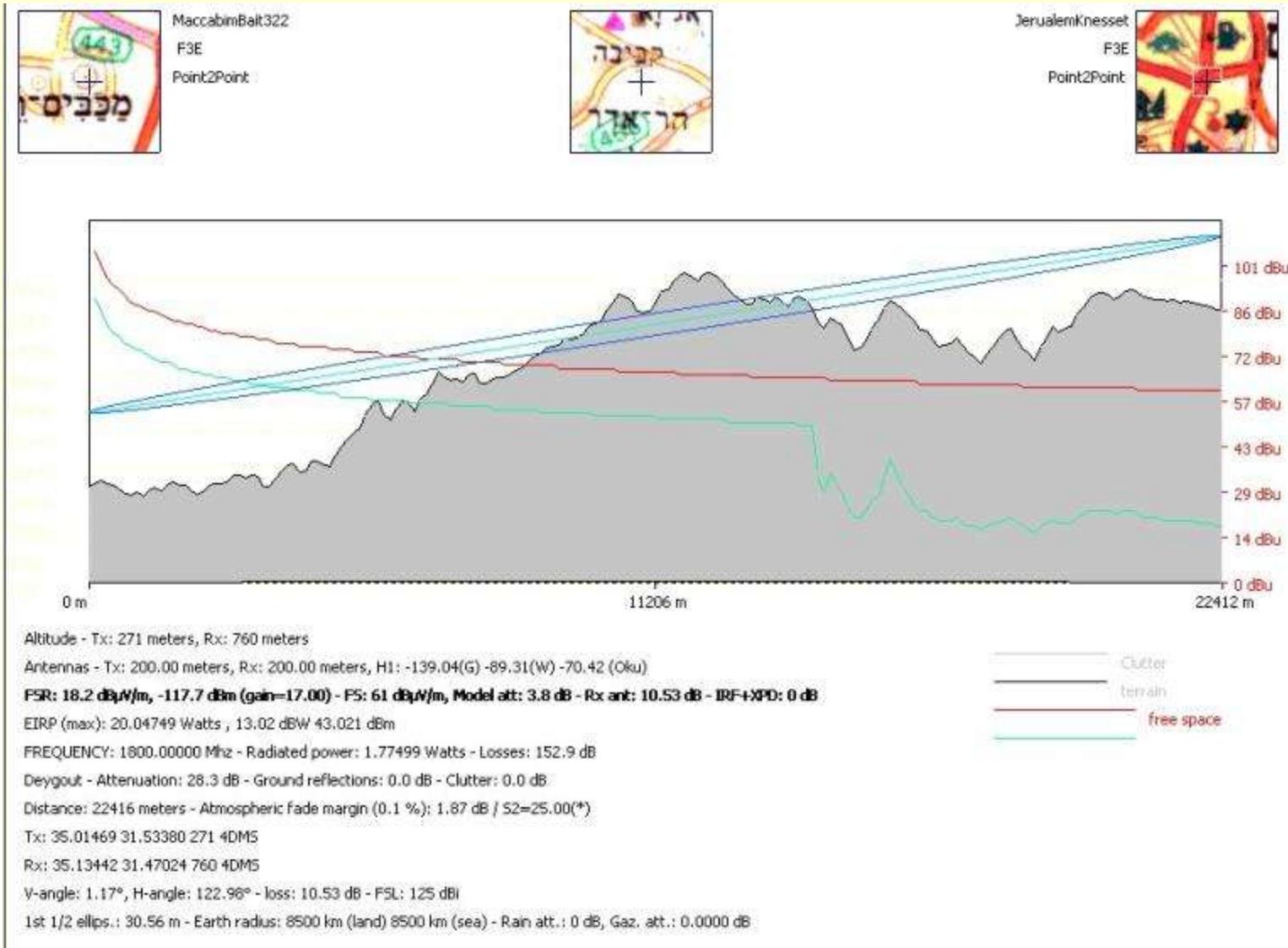
or:

- $FM = G_e + G_r + P_e - L_T(p) - FL - P_{r,min}$
- $FM$ : fade margin
- $P_e$ : input power at the emission (transmitter power) (dBm)
- $L_T(p)$ : total loss (rain at p%, gas, diffraction) (dB)
- $FL$ : feeder loss (total: at the emission and reception) (dB)
- $P_{r,min}$ : min. level at the reception (usually for BER of  $10^{-6}$ ) (dBm)
- $G_e$ : antenna gain at the emission (transmitter) (dBi)
- $G_r$ : antenna gain at the reception (receiver) (dBi).

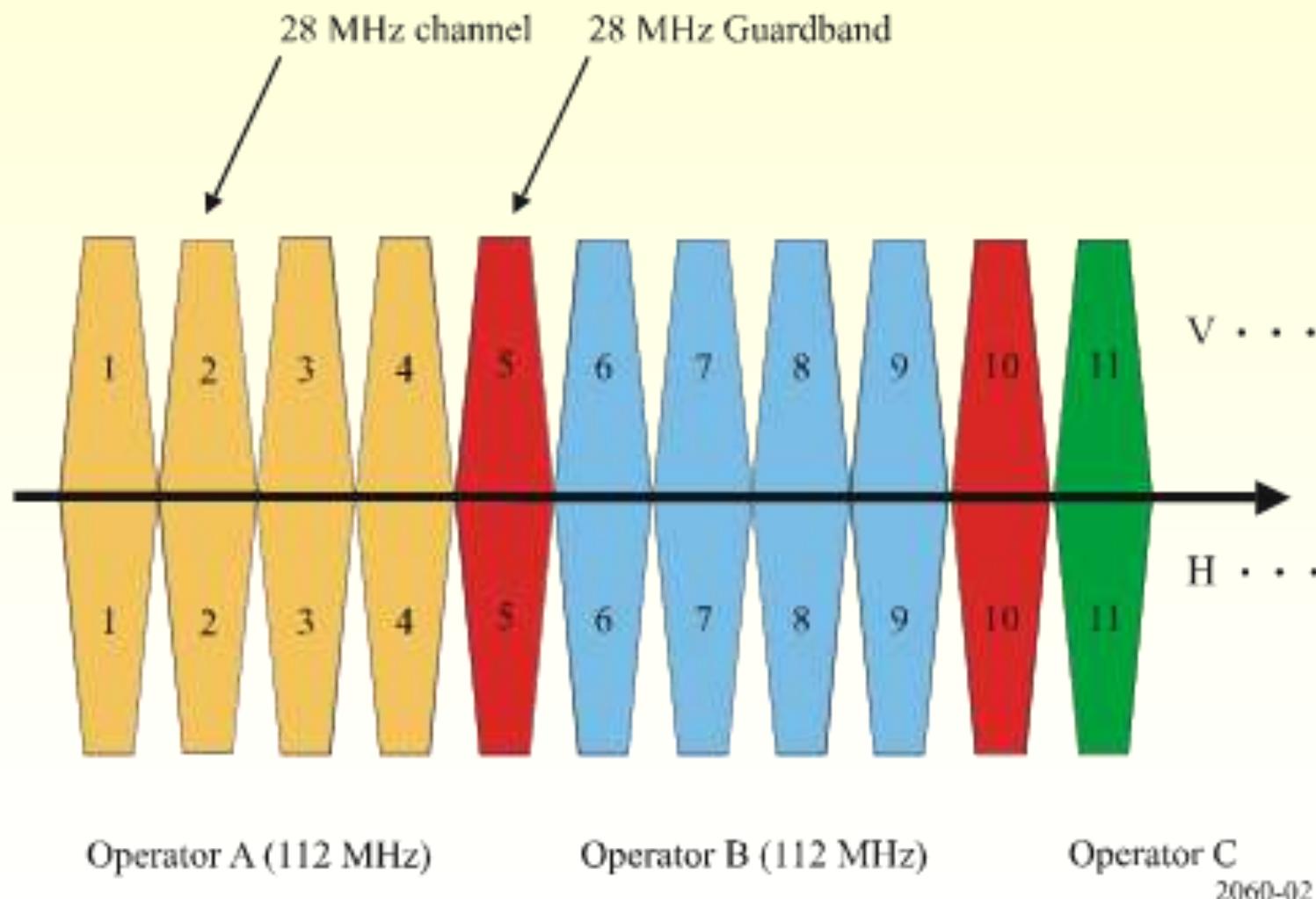
If only P-P FS systems are considered, in the following calculation usually

$$G_e = G_r = G.$$

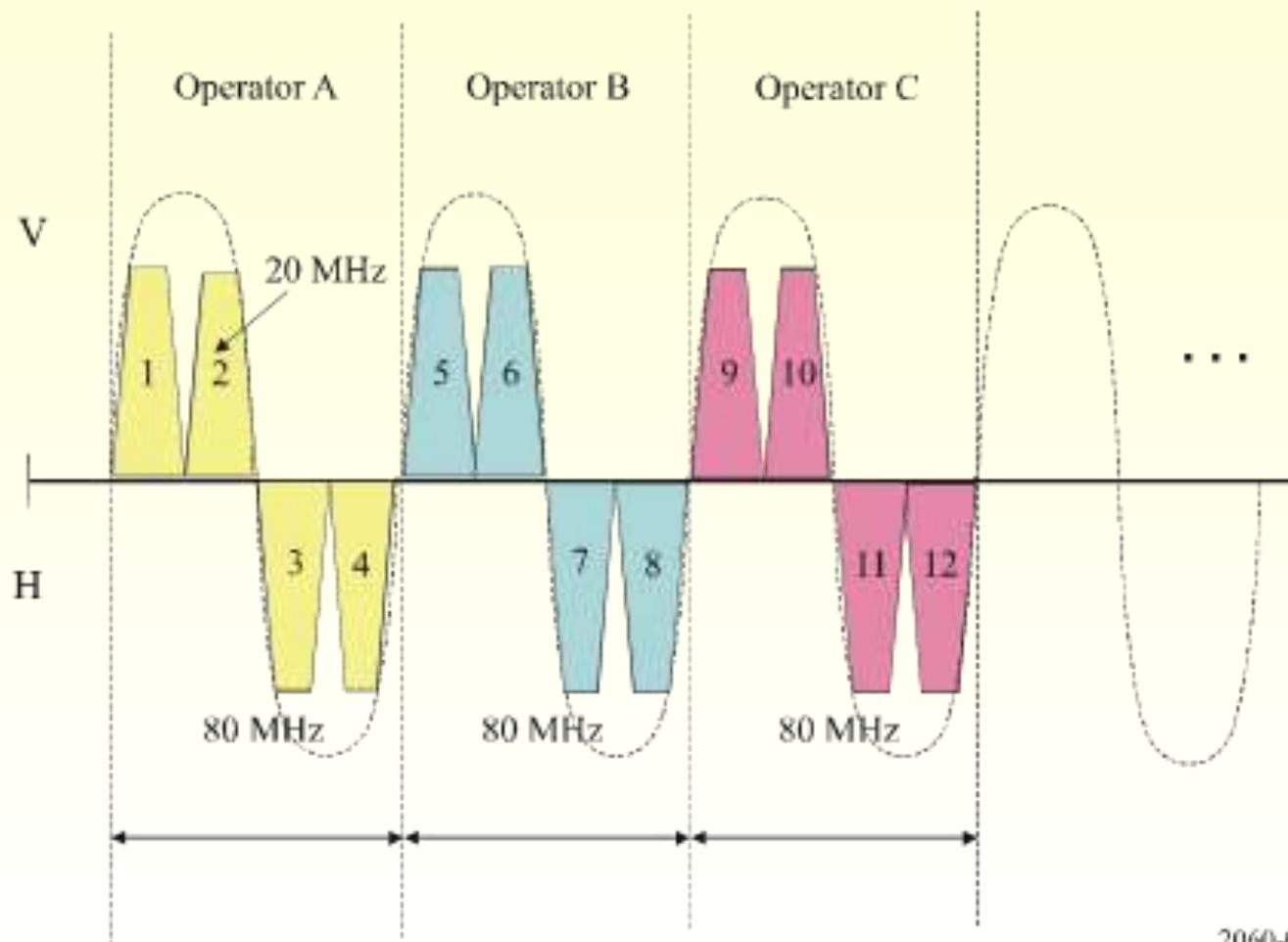
# Profile P2P Maccabim-Jerusalem



# Example of block and guardband assignment



# Interleaved assignment without guardband

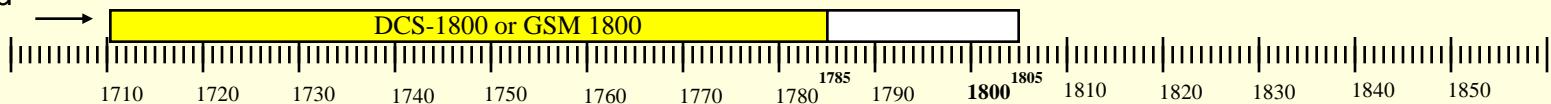


# LAND Mobile Standards

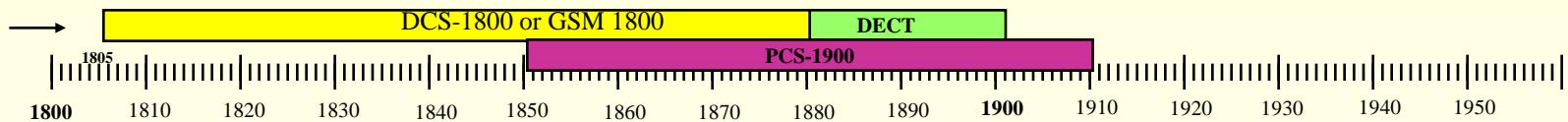
1700-2200 MHz

15 October 2008

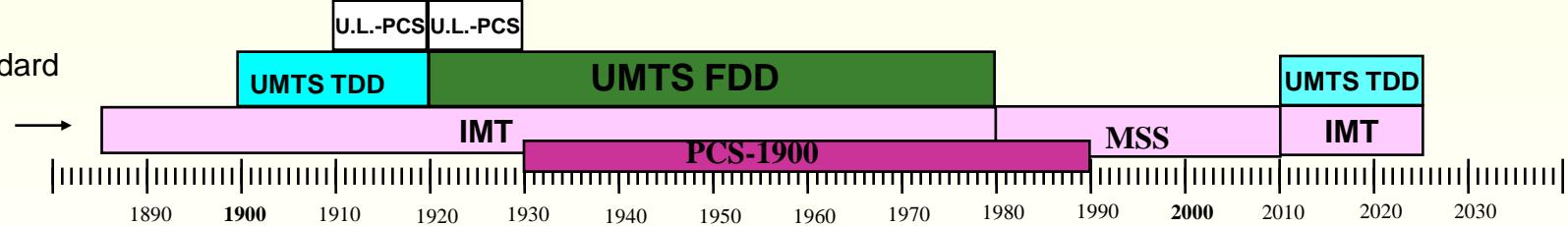
Standard



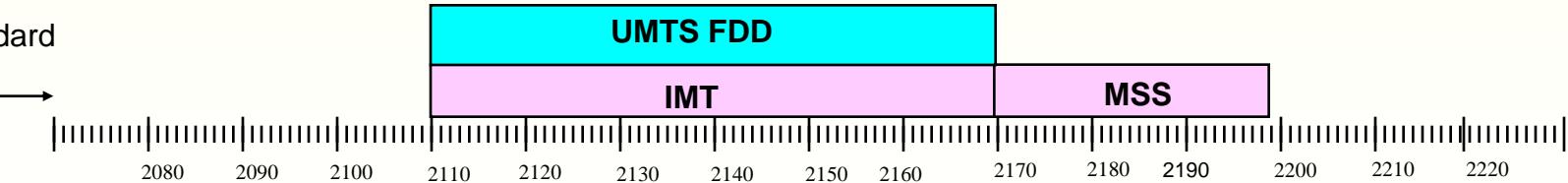
Standard



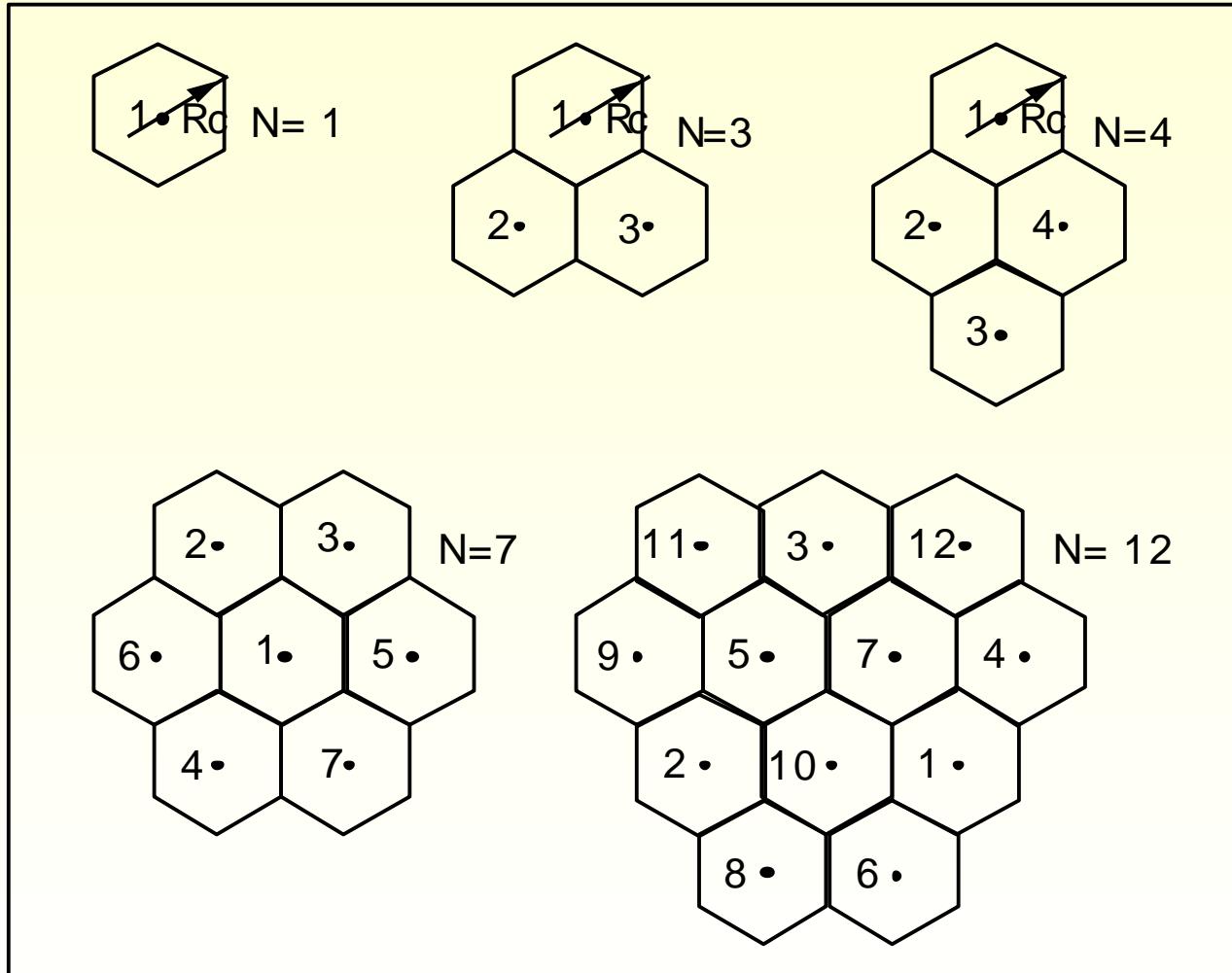
Standard



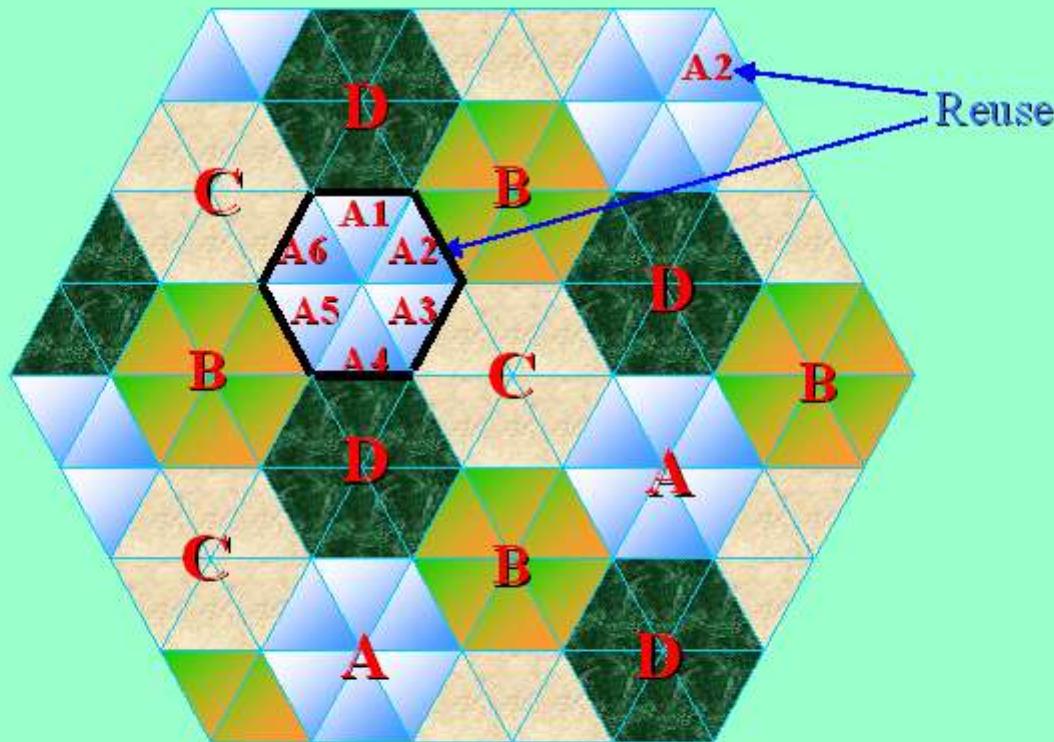
Standard



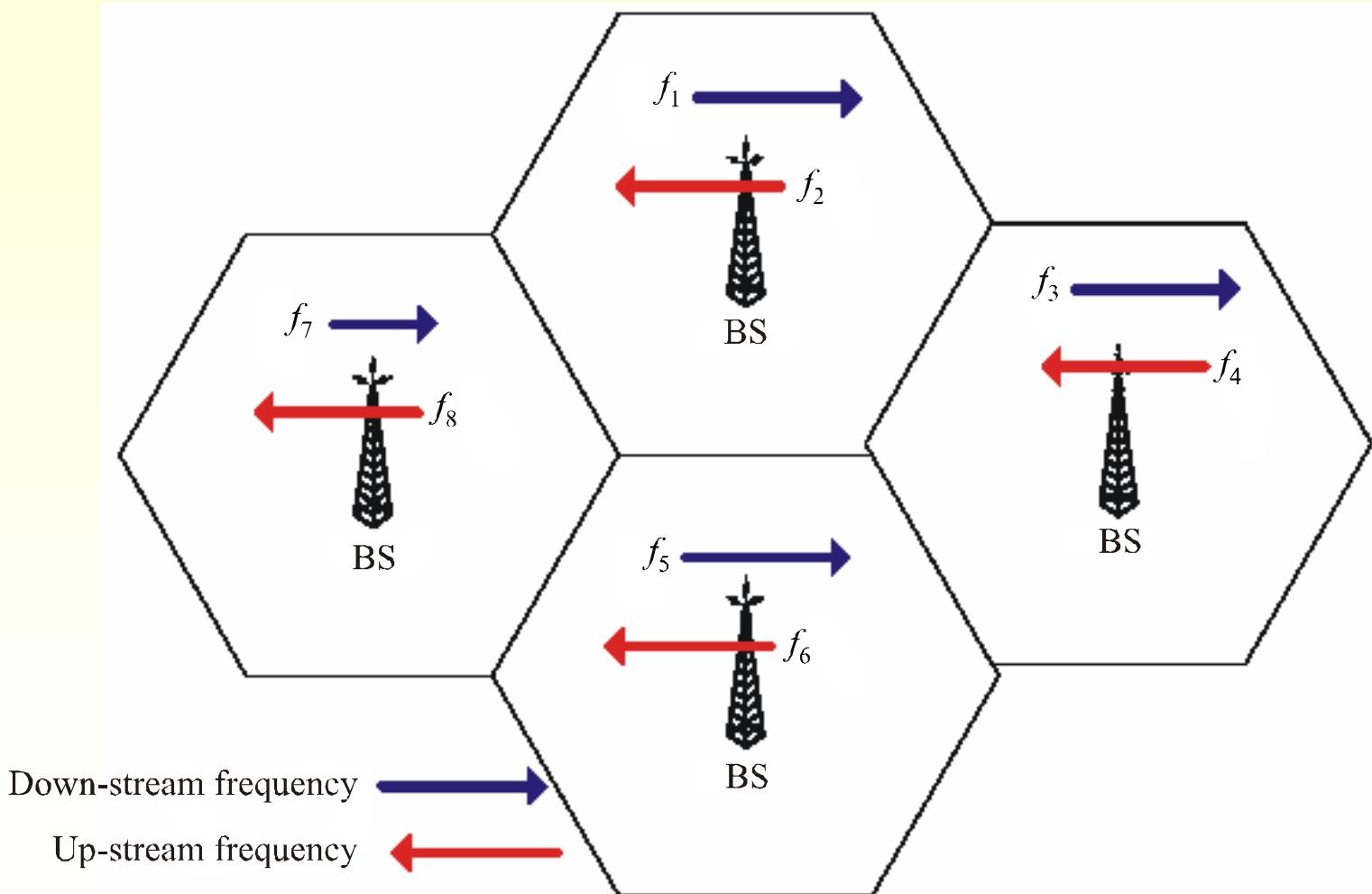
# Typical cell clusters and re-use



# Land Mobile- Reuse



# Land Mobile- Up and Down Links



1832-02c

# Wireless Telecommunications

## Enrichment Material

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### Radar Systems

<http://people.itu.int/~mazar/>

# Radar (Radio Detection And Ranging)

1. **Radar** is an object-detection system which uses mainly radio waves to determine the range, altitude, direction, or speed of both moving and fixed objects
2. **Civil Applications:** Air Traffic Control (including altimetry and flight-control); Nautical Radars(landmarks and other ships); a/c and cars anti-collision; ocean-surveillance; outer-space surveillance and rendezvous ; meteorology; ground-penetrating radar (geological observations, coins), astronomy
3. **Military Applications:** air-defense and fire control - Acquisition (bistatic, monostatic) (phased array antennas), tracking (conical scan, monopulse), illumination, detonation; antimissile; protection (a/c, tanks, fence)

# Radar Free Space Basic Transmission Loss

$\sigma$ : radar target cross-section  $d$ : distance from the radar to the target  $\lambda$ : wave length

$$P_{TARGET} = PFD \cdot A_e = \left( \frac{g_r P_r}{4\pi d^2} \right) \times \sigma$$

$$P_{received} = \left( \frac{g_r P_r}{4\pi d^2} \right) \times \sigma \times \left( \frac{1}{4\pi d^2} \right) \times \left( \frac{g_r \lambda^2}{4\pi} \right) = P_{Transmit} g^2 \times \sigma \times \left( \frac{\lambda}{4\pi d^2} \right)^2 \frac{1}{4\pi}$$

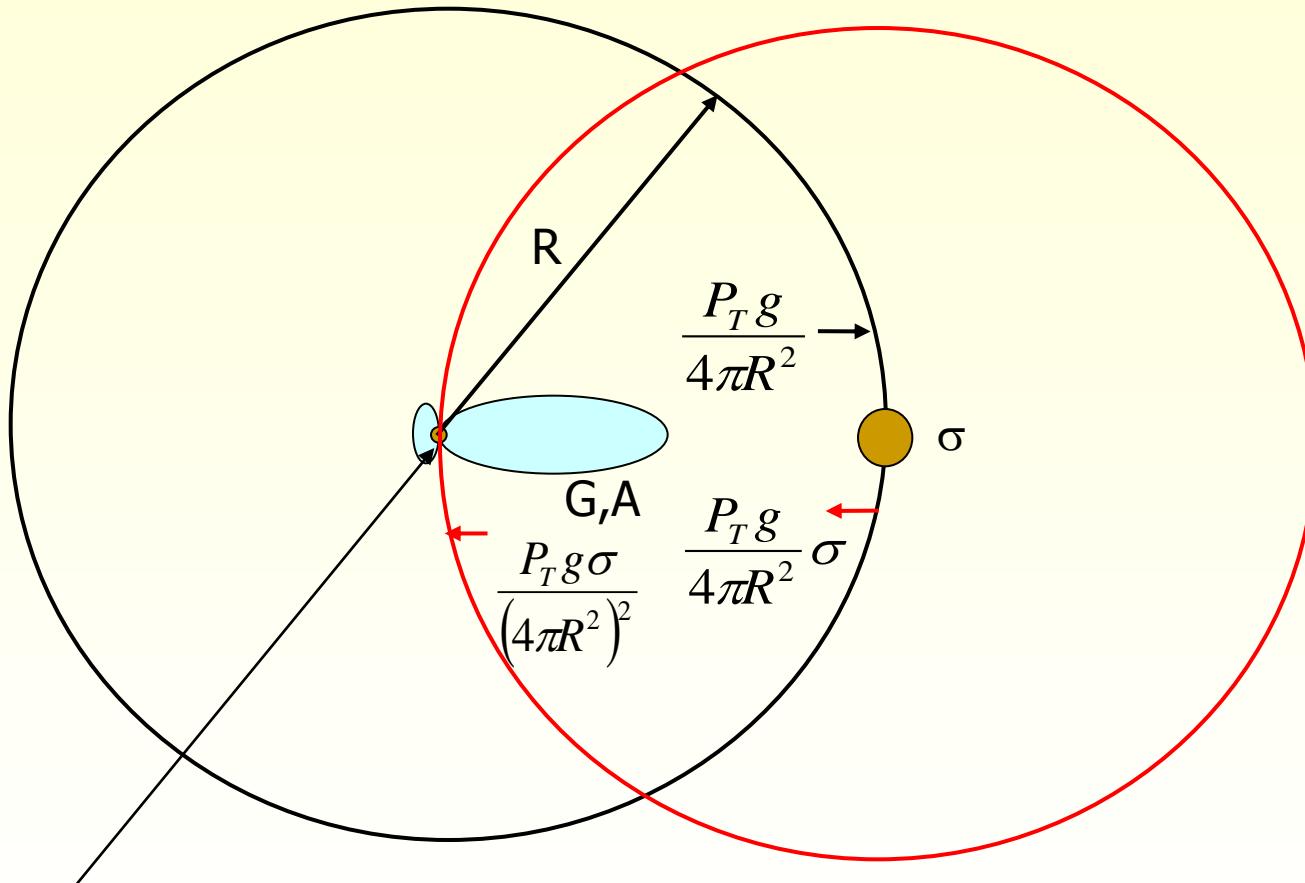
$$P_{received} = P_{Transmit} \times g^2 \times \sigma \times \frac{\lambda^2}{(4\pi)^3 d^4}$$

P minimal discernable signal =  $KTBFS/N$ . For pulse radar  $B \approx \frac{1}{\tau}$

Exercise: prove that for pulse width  $t_o$  and  $B = 1/t_o$  the max detection range depends on Transmitted Energy and not only Transmitted Power

$$d_{max}^4 = P_{Transmit} \times g^2 \times \sigma \times \frac{\lambda^2}{(4\pi)^3 P_{min}} = P_{Transmit} g^2 \sigma \frac{\lambda^2 \tau}{(4\pi)^3 KTF} = Energy_{Transmit} g^2 \sigma \frac{\lambda^2}{(4\pi)^3 KTF}$$

# The RADAR Equation



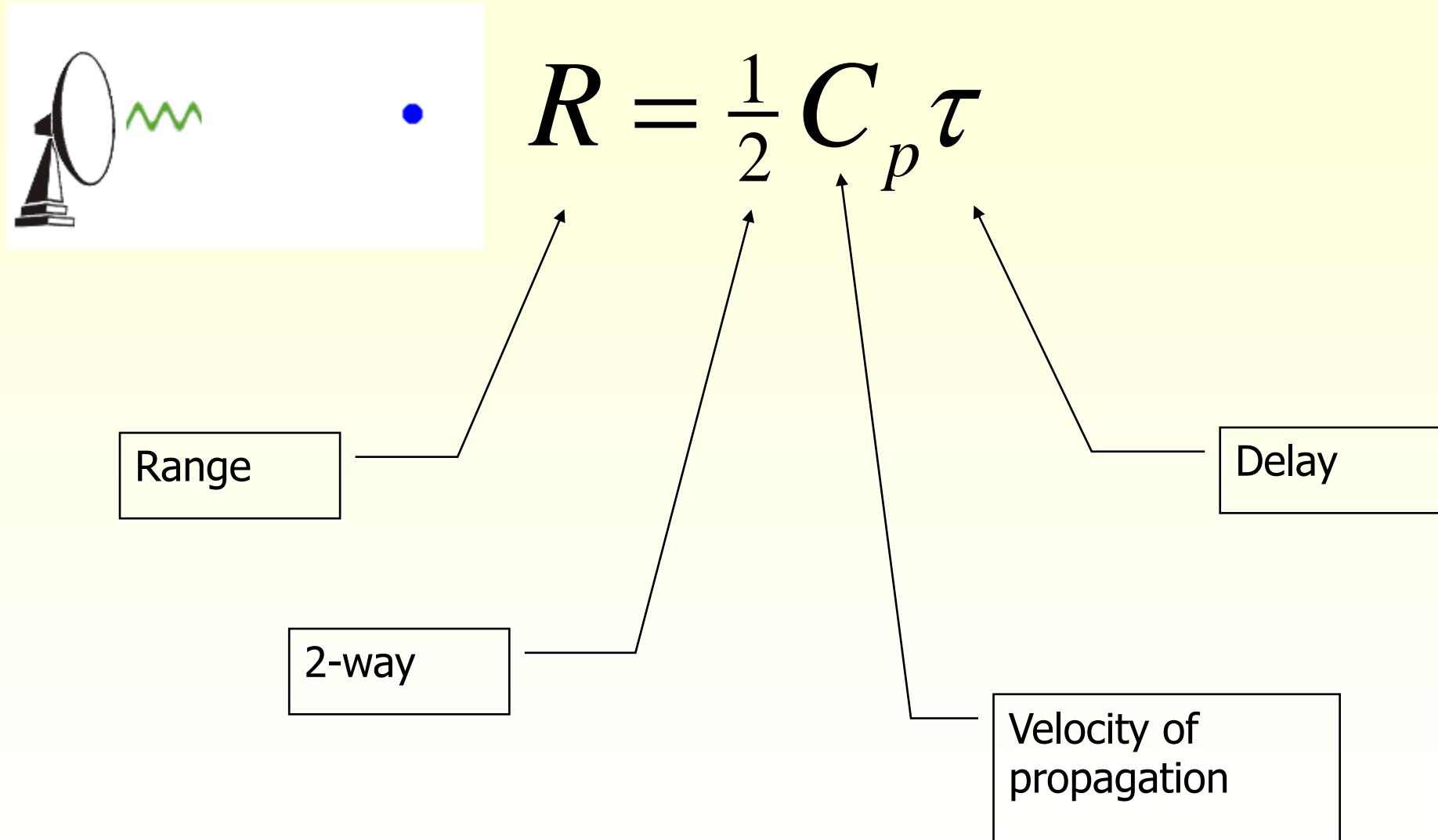
$$P_R = \frac{P_T g \sigma}{(4\pi R^2)^2} A$$

$$A = \frac{G \lambda^2}{4\pi}$$

$$P_R = \frac{P_T g^2 \lambda^2}{(4\pi)^3 R^4} \sigma$$

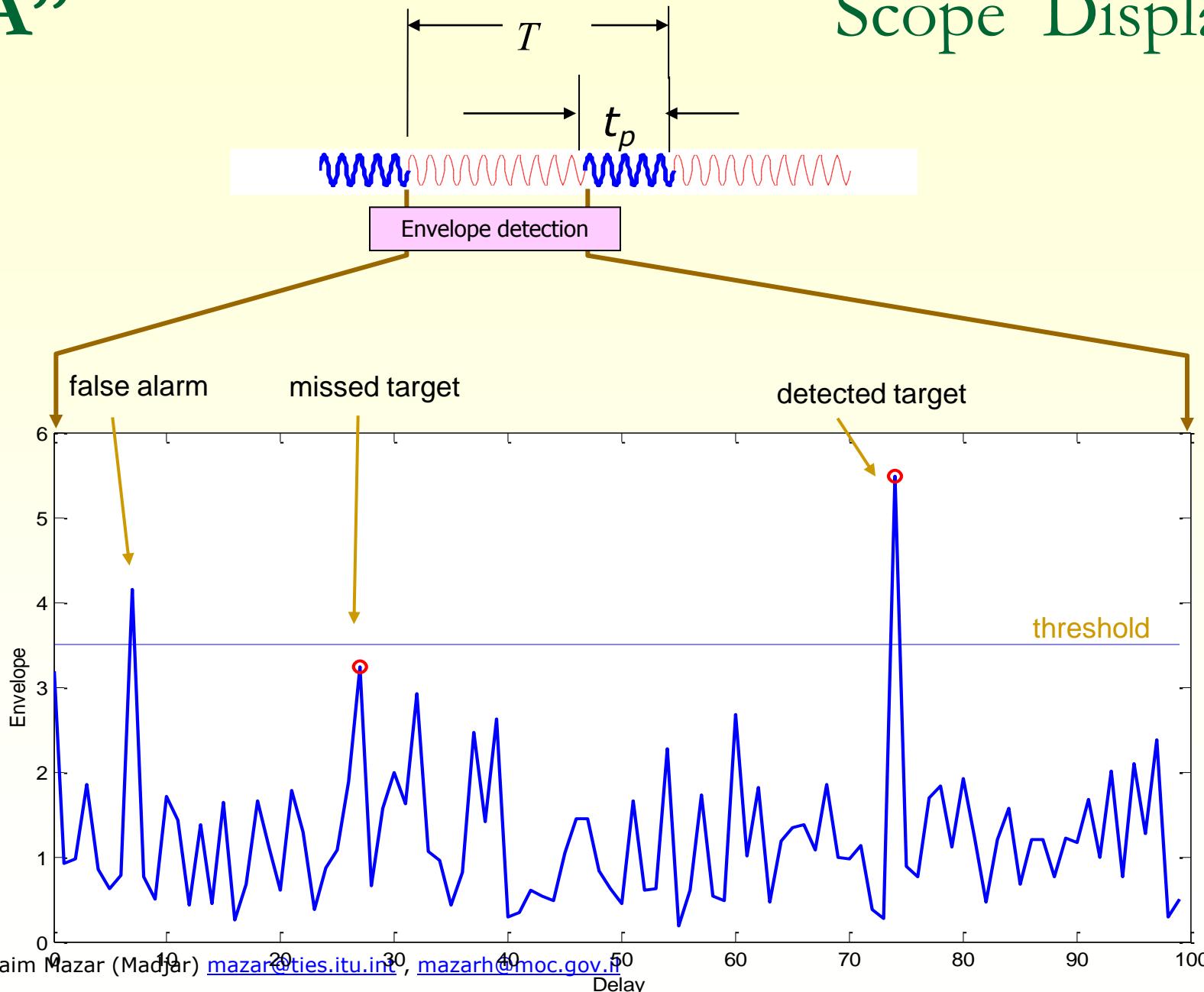
Dr. Haim Mazar (Madjar) [mazar@ties.itu.int](mailto:mazar@ties.itu.int) , [mazarh@moc.gov.il](mailto:mazarh@moc.gov.il)

# Range $\Leftrightarrow$ Delay

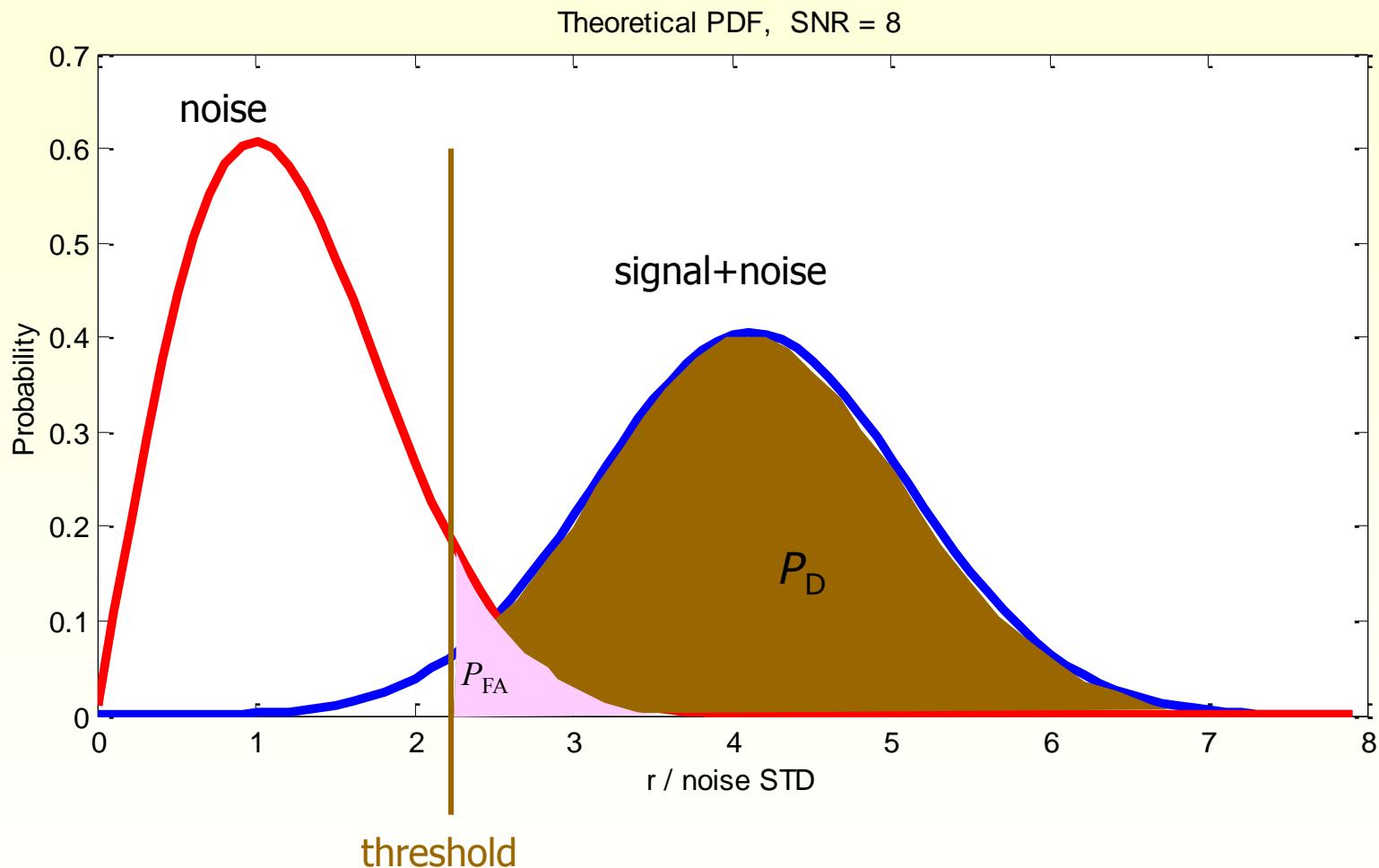


# “A”

# Scope Display

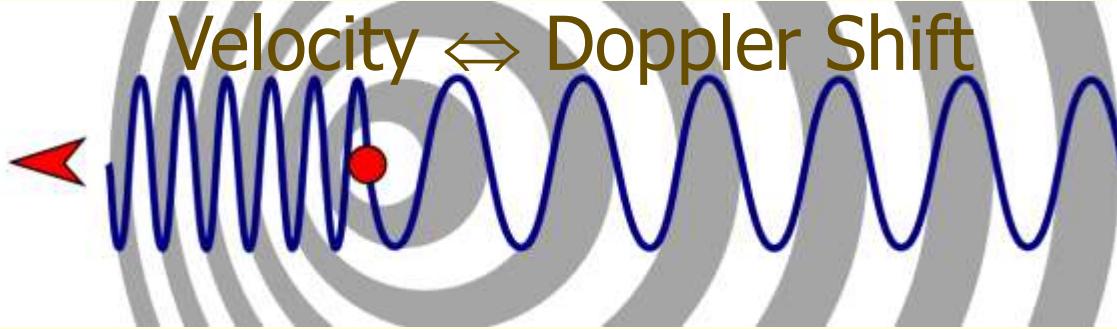


# Pulse Detection Probability



Single pulse non-fluctuating

# Velocity $\leftrightarrow$ Doppler Shift



$$f_D \approx -2 \frac{\dot{R}}{\lambda}$$

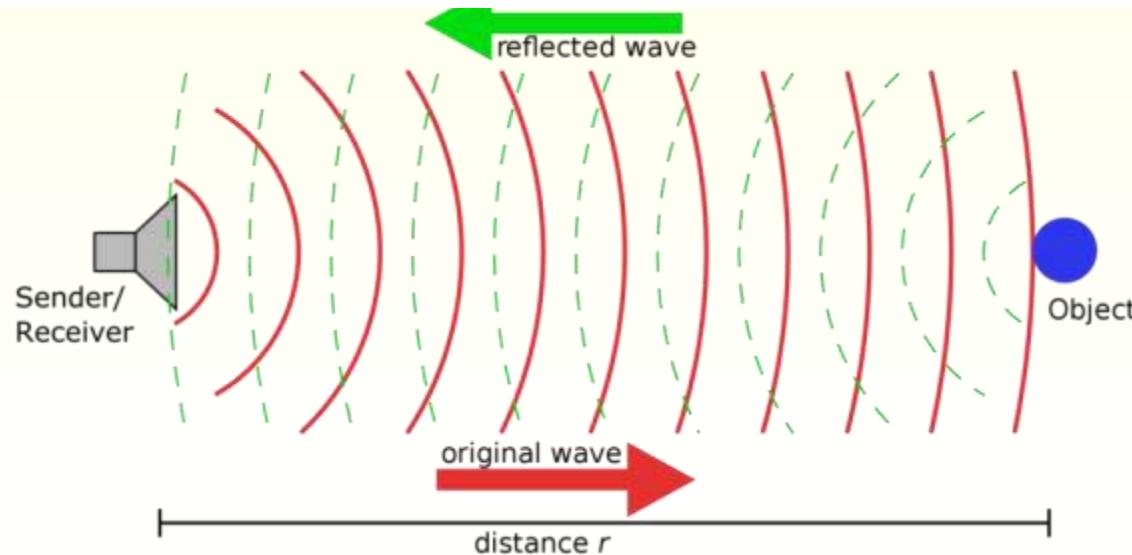
Diagram illustrating the derivation of the Doppler shift formula:

- Doppler shift** (in the 2-way path) is proportional to the **Range rate** ( $\dot{R}$ ) divided by the **Wavelength** ( $\lambda$ ).
- The **Wavelength** ( $\lambda$ ) is defined as the **Velocity of propagation** ( $C_p$ ) divided by the **Carrier frequency** ( $f_0$ ).

# Values of Doppler Shift

From M.A. Richards, Georgia Tech

<i>Band</i>	<i>Frequency (GHz)</i>	<i>Doppler shift (Hz) for <math>v = 1 \text{ m/s}</math></i>
L	1	6.67
C	6	40.0
X	10	66.7
K <sub>a</sub>	35	233
W	95	633



# Radar Frequency Bands $c=\lambda f$

From M.A. Richards, Georgia Tech

<i>Band</i>	<i>Frequencies</i>	<i>Wavelengths</i>
HF	3 - 30 MHz	100 m - 10 m
VHF	30 - 300 MHz	10 m - 1 m
UHF	300 MHz - 1 GHz	1 m - 30 cm
L	1 - 2 GHz	30 cm - 15 cm
S	2 - 4 GHz	15 cm - 7.5 cm
C	4 - 8 GHz	7.5 cm - 3.75 cm
X	8 - 12 GHz	3.75 cm - 2.5 cm
Ku	12 - 18 GHz	2.5 cm - 1.67 cm
K	18 - 27 GHz	1.67 cm - 1.11 cm
Ka	27 - 40 GHz	1.11 cm - 7.5 mm
mm	40 - 300 GHz	7.5 mm - 1 mm

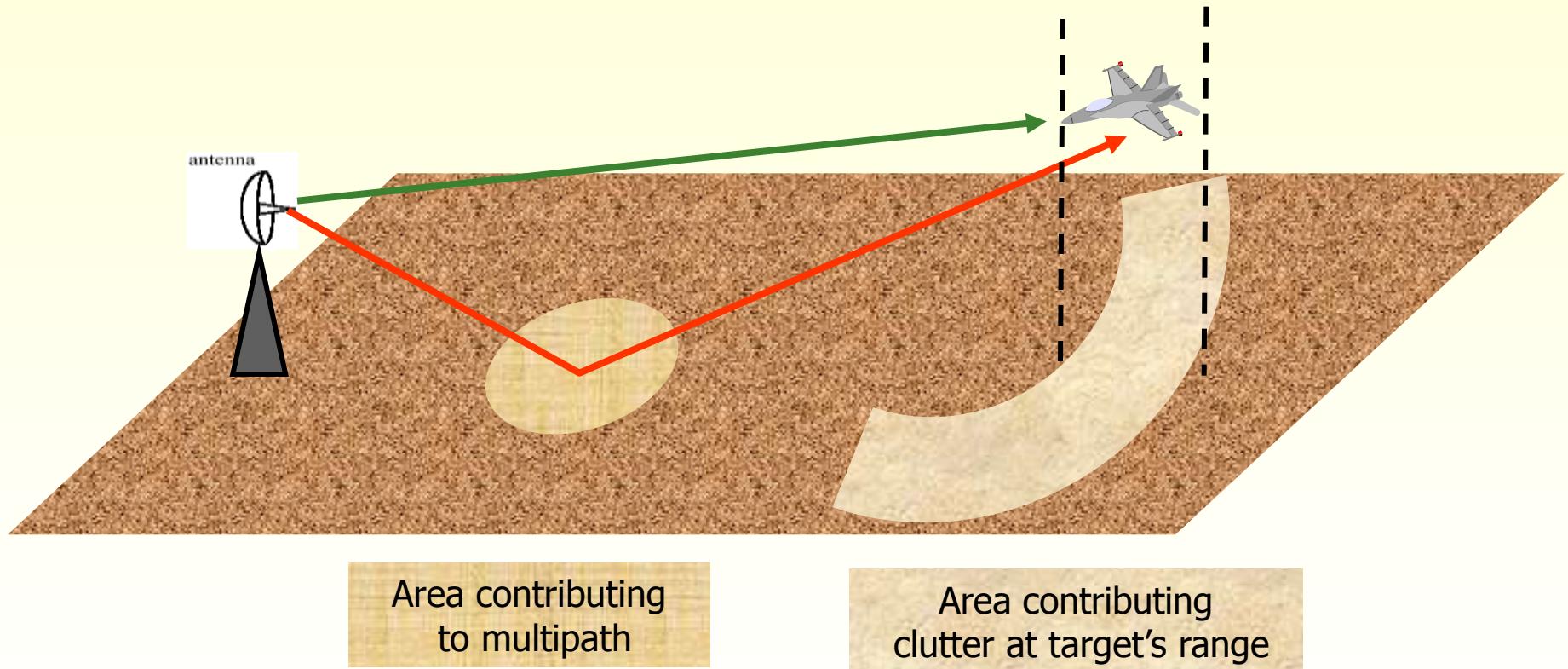
# Measured antenna Plot (M1851)



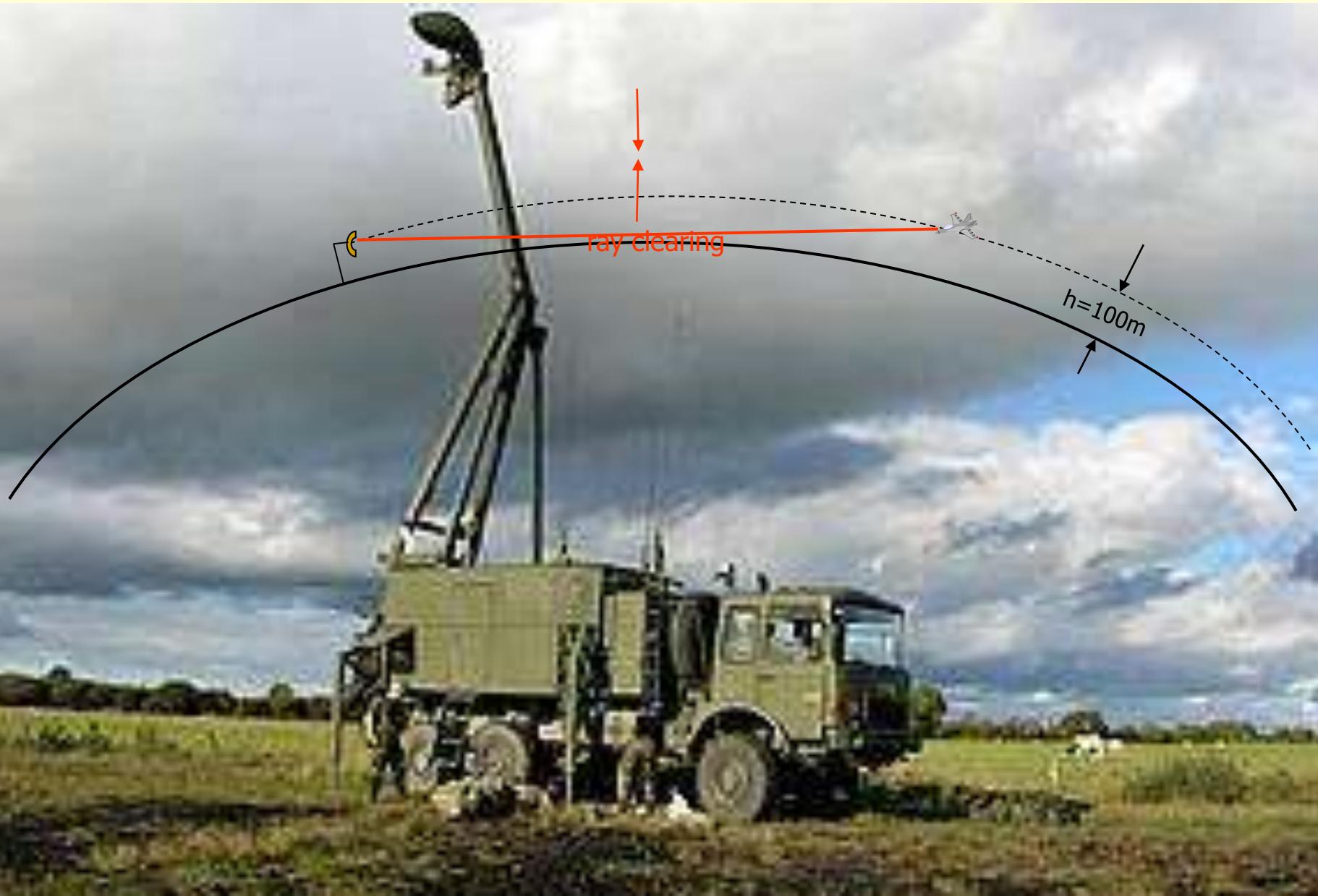
# Typical Pulse search Radar Parameters

■ Transmitter power .....	1 MW
■ Pulse width .....	1 $\mu$ sec
■ Mainbeam antenna gain.....	43 dBi
■ scan all directions (all sectors)	
■ Frequency range .....	3300-3500 MHz
■ First sidelobe antenna gain .....	20 dBi
■ Backlobe antenna gain.....	0 dBi
■ 2 <sup>nd</sup> harmonic output .....	73 dB down
■ 3 <sup>rd</sup> and higher harmonics .....	>80 dB down
■ Receiver sensitivity .....	-90 dBm

# Ground Effects - Multipath and Clutter

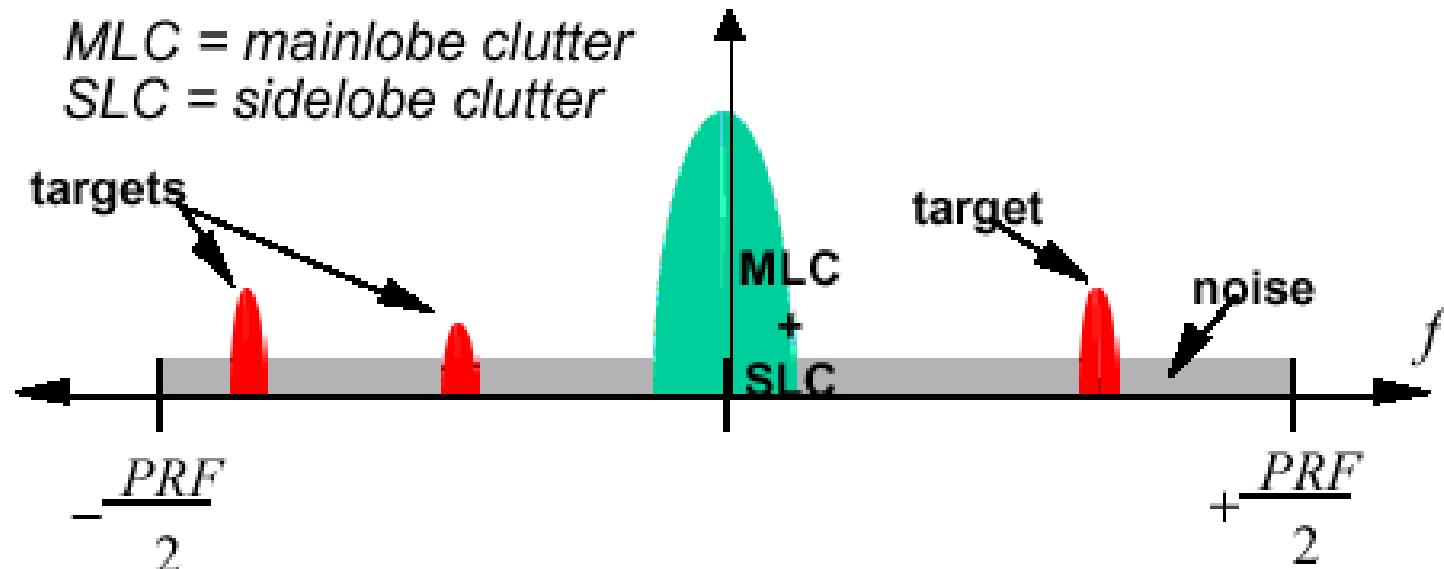


# Line of Sight and Detecting Low Flying A/C

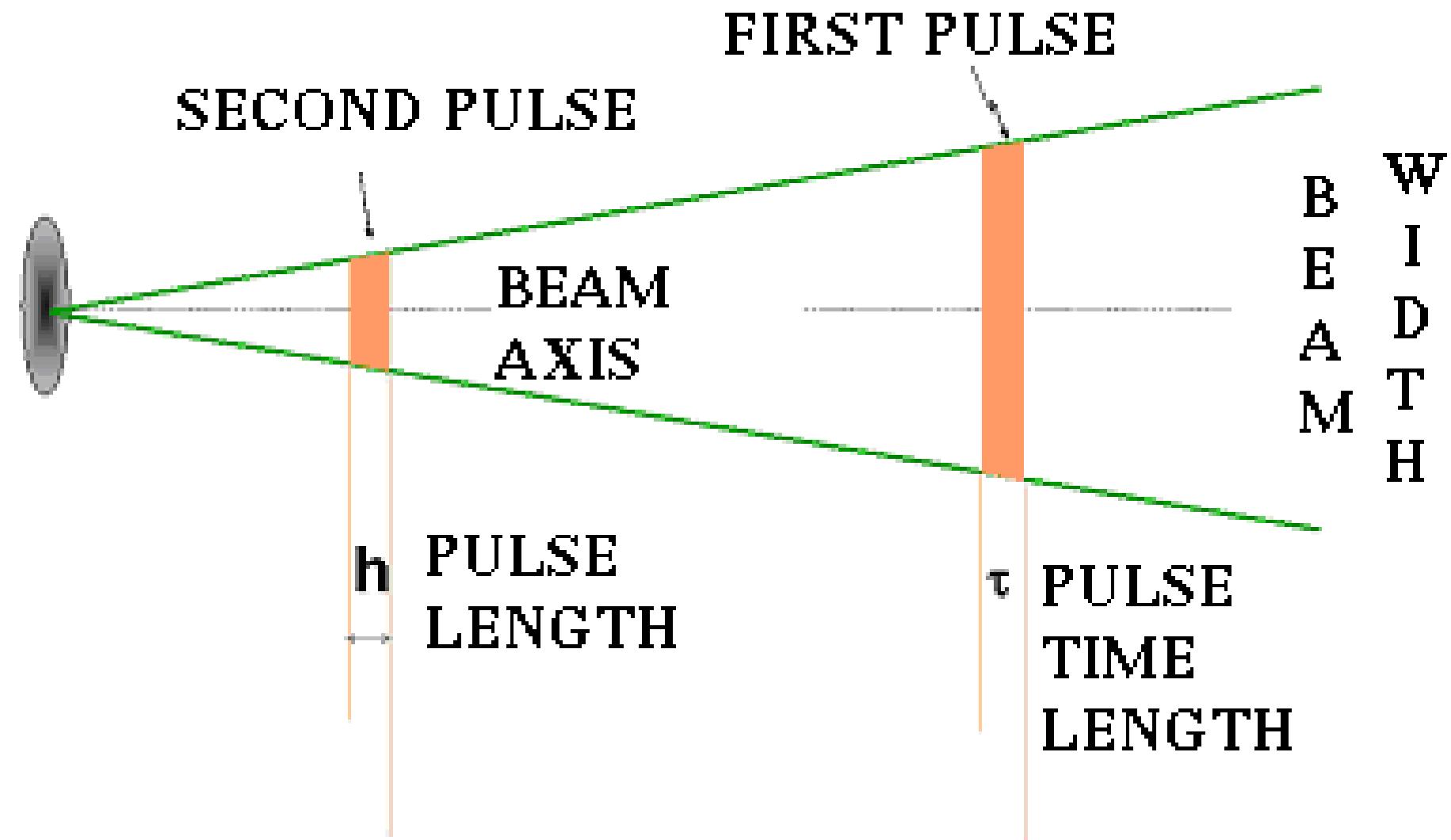


## MOVING TARGET INDICATOR (MTI) or DOPPLER PROCESSING

- Involves coherent processing of a pulse train (plain or compressed)
- Purposes: Separate weak returns of moving targets from large clutter returns
- Two basic approaches:
  - Bank of filters (usually DFT)
  - Pulse cancelers



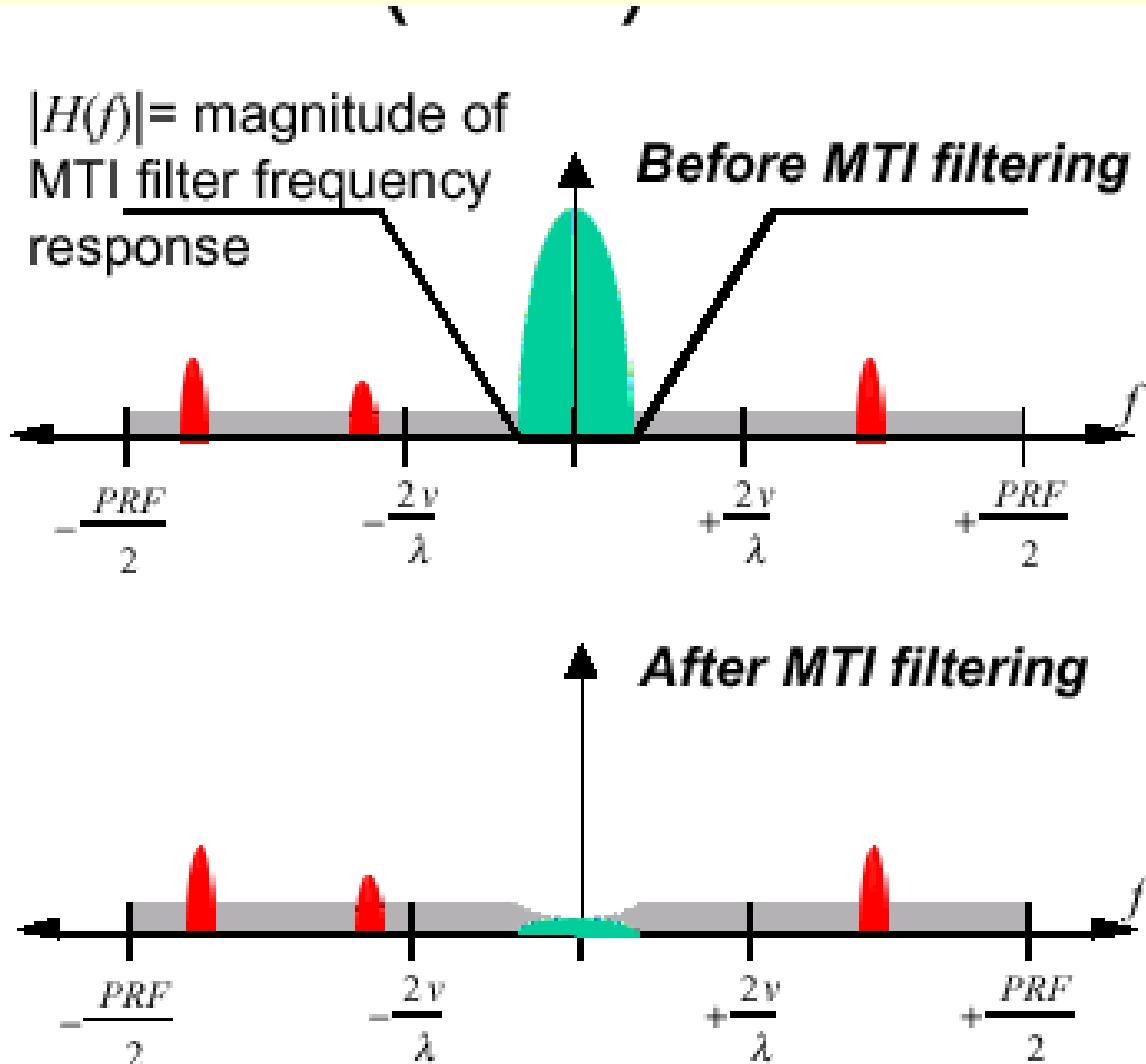
# Unambiguous Range



# The Concept of Moving Target Indication (MTI)

From M.A. Richards, Georgia Tech

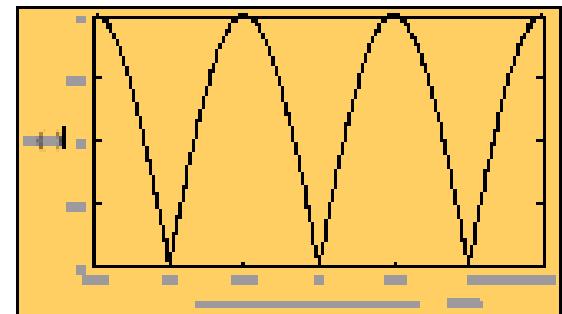
- MTI filtering applies a high-pass filter to the data in each slow-time row
- Filter output retains noise, moving target(s), but has reduced clutter
  - goes to detector next



# Blind Speeds

From M.A. Richards, Georgia Tech

- MTI filters are digital filters, so frequency response is periodic
  - Nulls at multiples of PRF Hz
  - “Blind” to targets at corresponding radial velocity:
  - Could fix by raising PRF
- Unambiguous range is inversely proportional to PRF:
- Tradeoff in PRF choice required



$$v_{blind} = \frac{\lambda PRF}{2}$$
$$= \frac{c PRF}{2f_0}$$

$$R_{ua} = \frac{c}{2PRF}$$

# Unambiguous Range vs. Blind Speeds

From M.A. Richards, Georgia Tech

$$R_{UA} = \frac{C}{2} \quad PRI = \frac{C}{2 \cdot PRF}$$

$$PRF = \frac{C}{2R_{UA}}$$

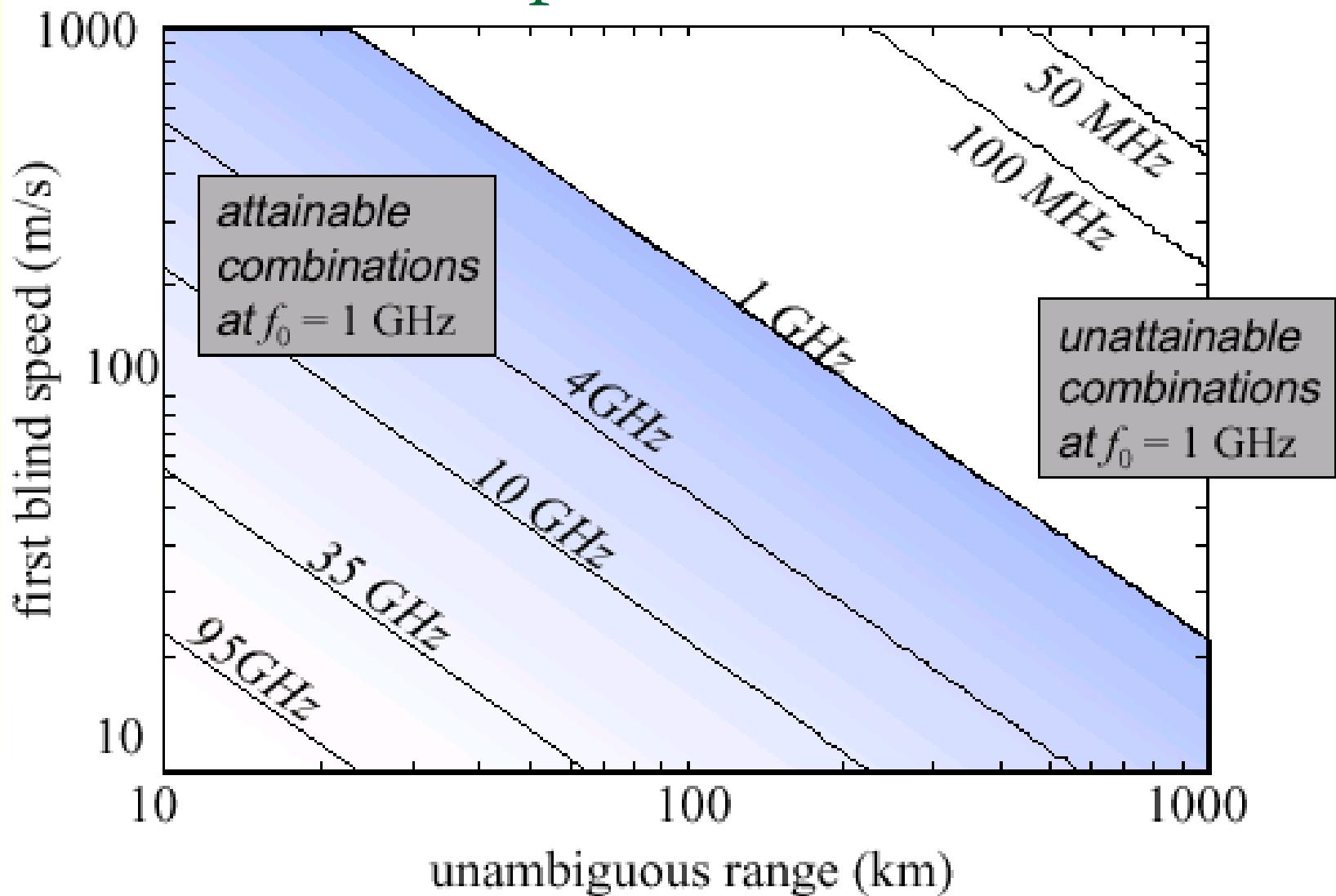
$$Doppler_{BS} = \frac{C}{2R_{UA}} = \frac{2V_{BS}f_c}{C}$$

$$PRF = \frac{2V_{BS}}{\lambda} = \frac{2V_{BS}f_c}{C}$$

$$V_{BS}R_{UA} = \frac{C^2}{4f_c}$$

# Blind Speeds vs. RF

From M.A. Richards, Georgia Tech



$$V_{BS} [\text{m/s}] R_{UA} [\text{km}] = \frac{22500}{f_c [\text{GHz}]} \quad ; , \text{mazarh@moc.gov.il}$$

- A way to raise blind speed without significant effect on unambiguous range
- Concept: combine data from multiple PRFs
  - target is not simultaneously blind on all of them
- Two basic varieties:
  - pulse-to-pulse
  - block-to-block

# Wireless Telecommunications

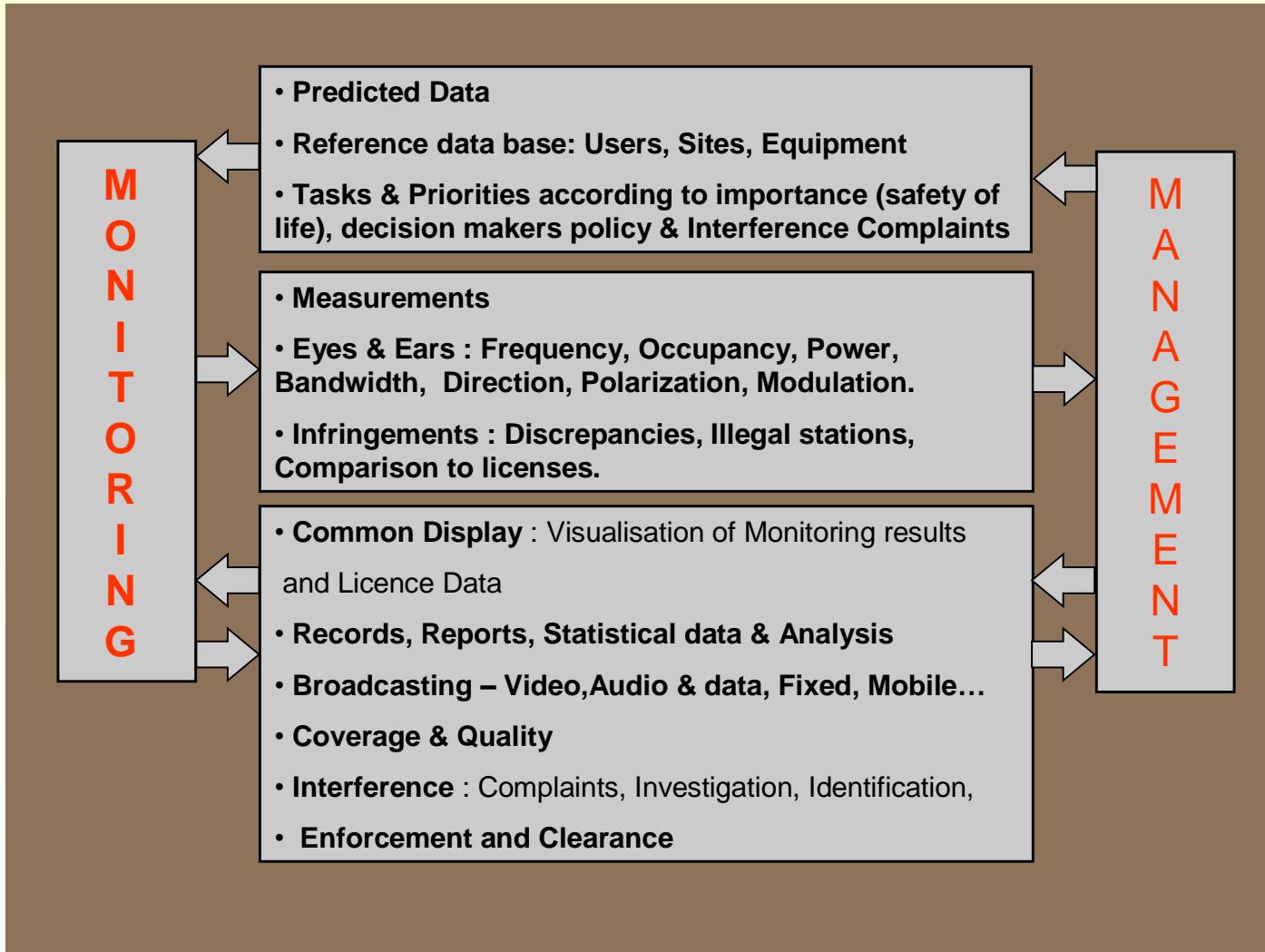
## Enrichment Material

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RF Regulation (exclusive views of the author)

<http://people.itu.int/~mazar/>

# Spectrum Control (see ITU-R HB)



# Items which need to be regulated

1. RF allocations to radio services
2. Assignment of licence and RF to Tx Stations
3. Type approval of equipment; not in CE countries
4. Fee collection
5. Notifying ITU to the Main International Frequency Register (MIFR)
6. Coordination with neighbour countries (no borders to the electromagnetic waves)
7. External relations: toward regional commissions (CEPT) for European Countries) and International (ITU)

# Aims of the National Spectrum Management

- Protect the licensed channels
- Solve & avoid interference
- Design long and short range RF spectrum
- Support Engineering: Propagation, DTM
- Assist in solving Near-field, Co-site, Co-ship, Co-a/c
- Exercise and simulate for dense RF environment
- Advance new RF technologies; Participate in R&D of new RF systems
- Coordinate with other Administrations
- Consult all stakeholders and interest organisations

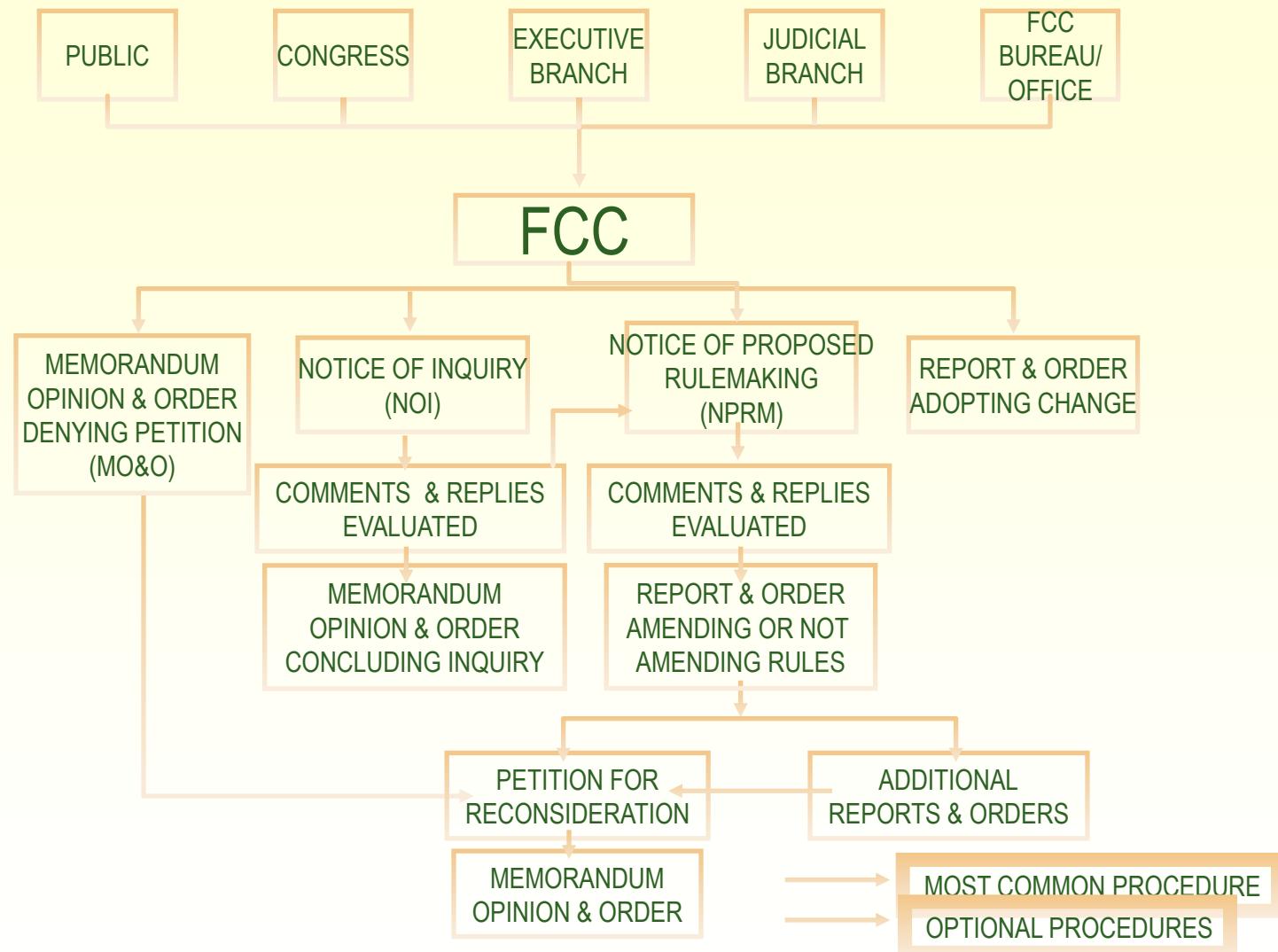
# RF Spectrum Management in Developed Countries

- Wealthy countries are similar *All happy families are alike (so begins Leo Tolstoy's Anna Karenina)*
- 'Government of the people, by the people, for the people' *A. Lincoln 'Gettysburg Address' (19.11.1863)*
- Optimal use of RF
- Fair, Objective, Transparent, Nondiscriminatory, Proportionate
- Flexible, Dynamic
- Privatisation, Liberalisation, **Competition**
- Deregulation; Minimum Intervention (learn from Internet non-regulation); Light Touch
- Neutral Technology
- More RF Spectrum and more RF power for Unlicensed (unprotected devices)
- Exempt Receivers from any licensing
- Take reasonable risks
- All RF operators may pay fees for the RF spectrum

# FCC and NTIA differences (Bill Luther)

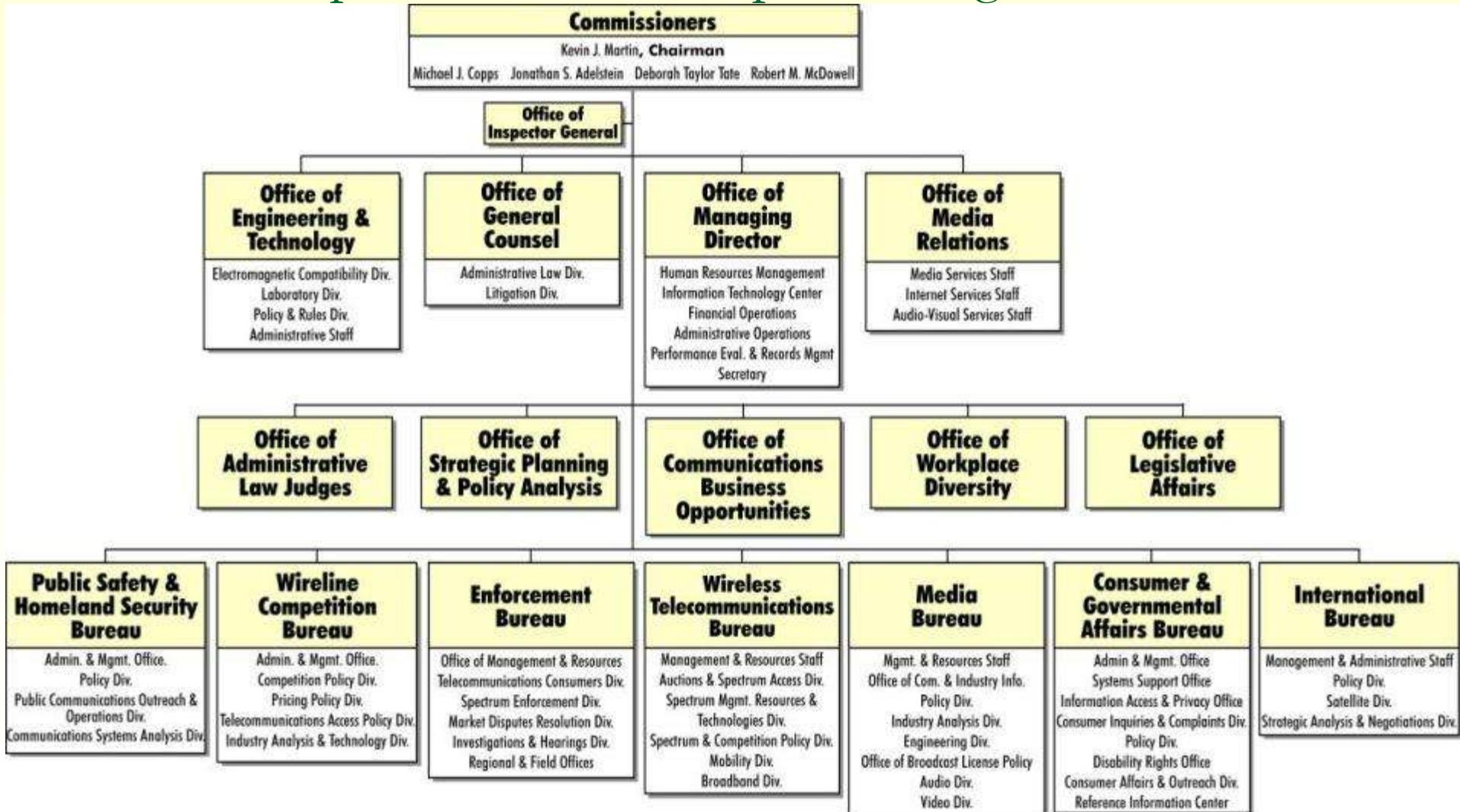
- FCC is an independent regulatory agency, but the U.S. Congress has oversight and controls the FCC budget
- The U.S. president delegates government spectrum management (SM) responsibilities to NTIA, which acts as telecom advisor to the president
- FCC and NTIA serve different interests
  - Federal laws such as the Communications Act and Administrative Procedure Act (APA) govern the FCC interaction with the public and the management of public resources (RF Spectrum)
  - NTIA only governs federal government operations and is not held to the same laws as the FCC
  - Changes to SM policy in government are not subject to rule making (APA); no notice to private industry is required
  - Private industry can meet with NTIA without filing *Ex Parte* notices

# How FCC rules are made (Bill Luther)

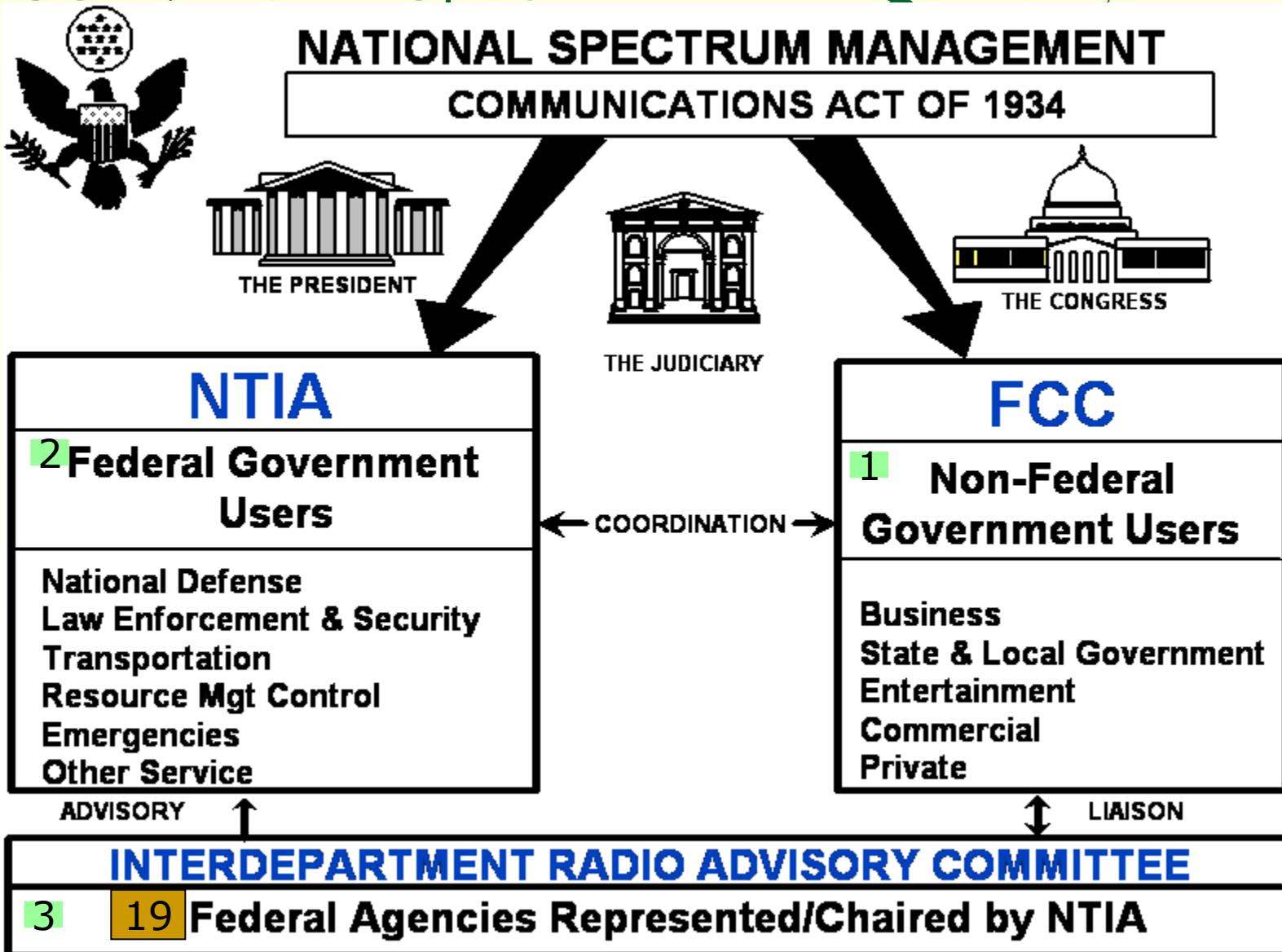


# FCC Organizational Chart

## All spectrum users except federal government



# US National Spectrum Management; Bill Luther



# CFR 47, the Code of Federal Regulations



National Archives and  
Records Administration



1. Rules and Regulations
2. Title 47: Telecommunication
3. Public Mobile Services
4. PART 15— Radio Frequency Devices

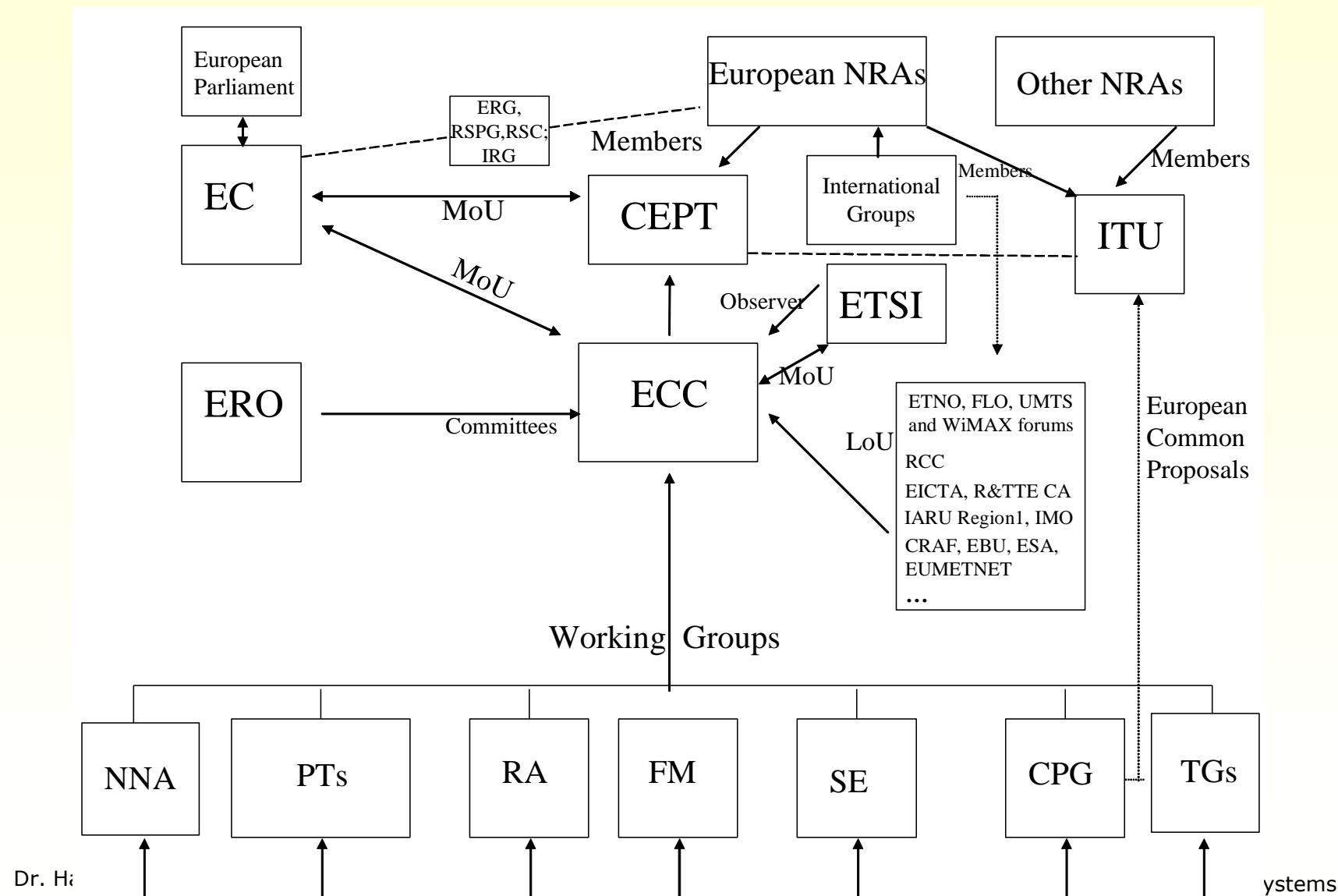
# NTIA Manual of Regulations and Procedures for Federal Radio Frequency Management (Redbook)



## National Telecommunications & Information Administration (NTIA)

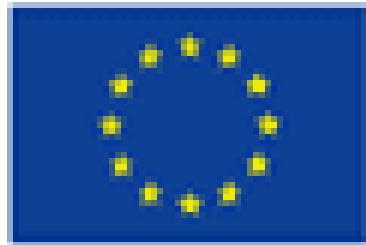
<http://www.ntia.doc.gov/osmhome/redbook/redbook.html>

# The Main Players in European RF Regulation



# Key of Abbreviations

CPG: Conference Preparatory Group (preparations for ITU Conferences); CRAF: Committee on Radio Astronomy Frequencies; EBU: European Broadcasting Union; EC: European Commission; ECC: Electronic Communications Committee (formerly European Radiocommunications Committee ERC); EICTA: European Information and Communications Technology Industry Association; ERG: European Regulators Group (EC body); ERO: European Radiocommunications Office; ESA: European Space Agency; ESOA: European Satellite Operators Association; ETNO: European Telecommunications Network Operators; EUMETNET: European National Meteorological Services; FLO Forward Link Only; FM: Frequency Management; IARU: International Amateur Radio Union; IMO International Maritime Organisation; IRG: Independent Regulators Group (pan-European body); NRA: National Regulatory Authority; NNA: Numbering, Naming and Addressing (non RF); Project Teams PT  $PT_1$ : IMT2000,  $PT_2$ : TRIS Technical Regulation and Interconnection Standards,  $PT_9$ : Maritime issues; Task Groups TG: UWB (TG3) and Digital Dividend (TG4). RA: Radio Affairs (Radio and e-Communications); RRC: Regional Commonwealth in Communications; R&TTE CA: The Radio and Telecommunications Terminal Equipment Compliance Association; RSPG: Radio Spectrum Policy Group (EC body); RSC: Radio Spectrum Committee (EC body); SE: Spectrum Engineering. Industry Stakeholders, namely companies, consultants, industry groups and international agencies, contribute to the ECC Working Groups.



# The European table of frequency allocations and utilisations in the frequency range 9 kHz to 3000 GHz

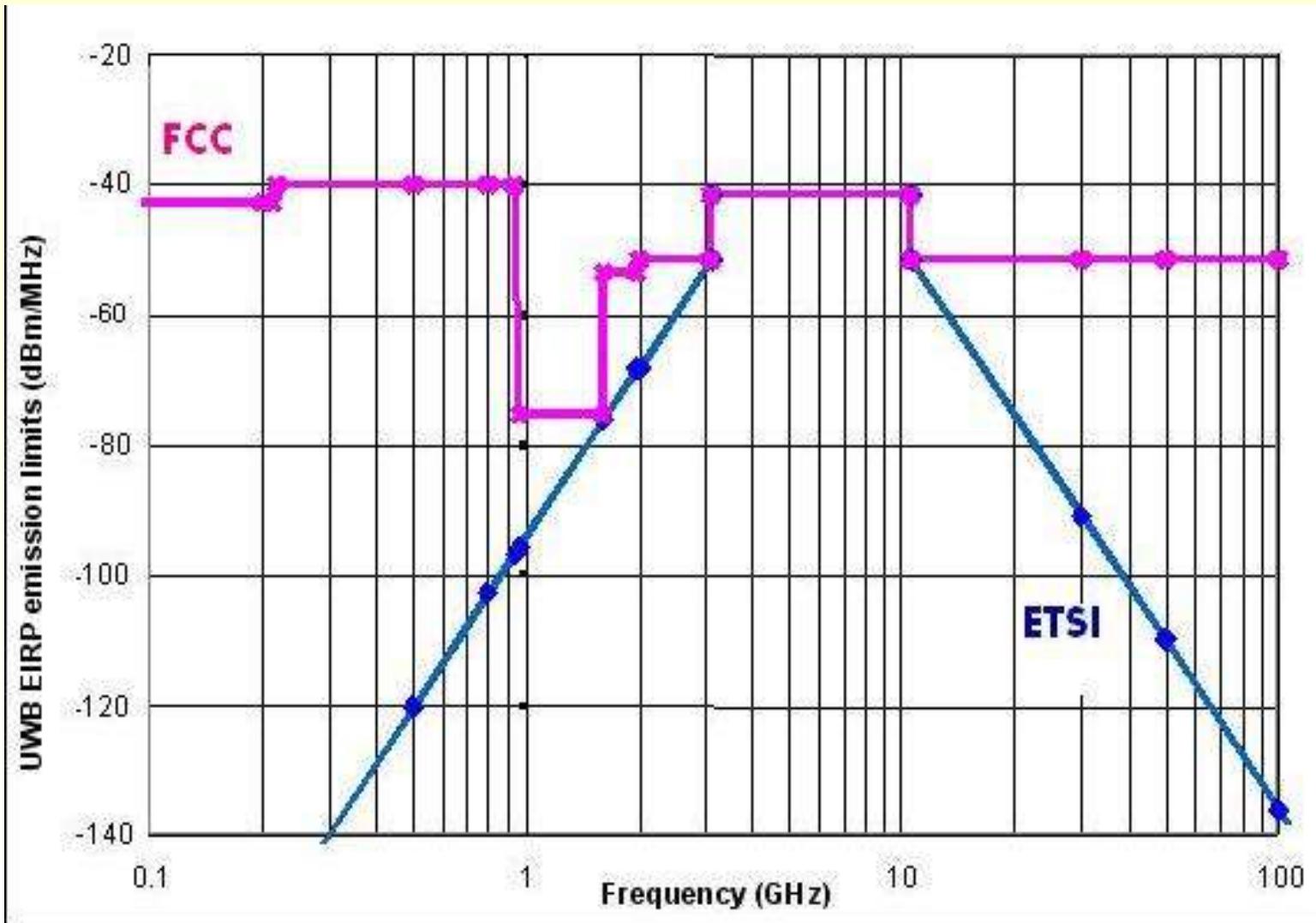
## ERC Recommendation 70-03 Relating to the Use of Short Range Devices (SRD)

1. <http://www.erodocdb.dk/Docs/doc98/official/pdf/ERCREP025.PDF>
2. <http://www.erodocdb.dk/Docs/doc98/official/pdf/REC7003E.PDF>

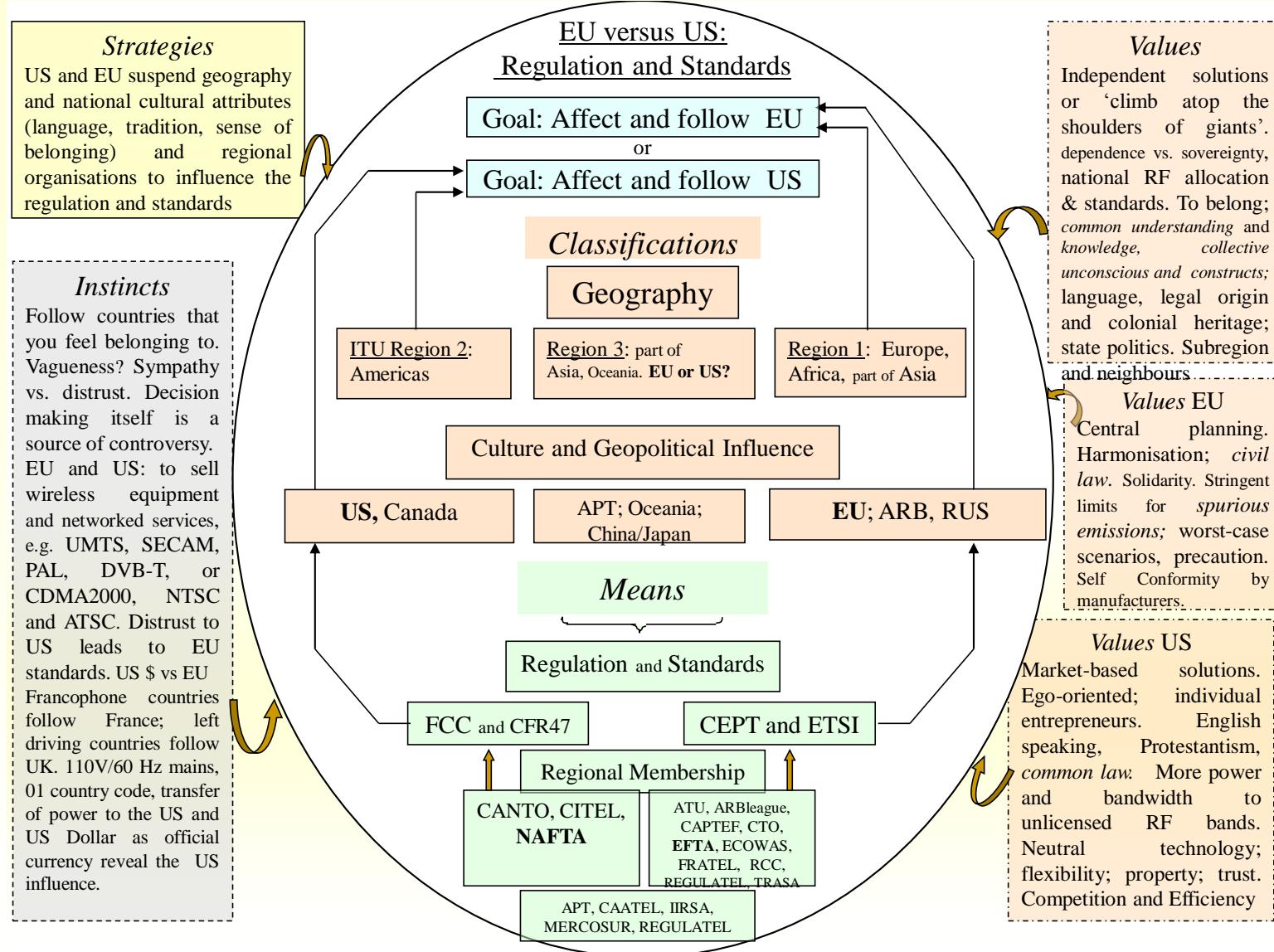
# Standards, Thresholds, Regulatory Framework: Europe-N.America

Standard	TV			Cellular standardised	Main Power and TV frames/s	<i>Spurious Emissions</i>	<i>Human Hazards</i>	
	Analog	Digital	Bandwidth				Base Stations	Handsets
Europe	PAL-SECAM	DVB-T	7-8 MHz	UMTS/ TETRA	50 Hz	Stringent	Flexible	
North America	NTSC	ATSC	6 MHz	CDMA2000	60 Hz	Flexible	Stringent	

# UWB emissions masks ETSI-FCC



# EU versus US; Regulation & Standards



# Wireless Telecommunications

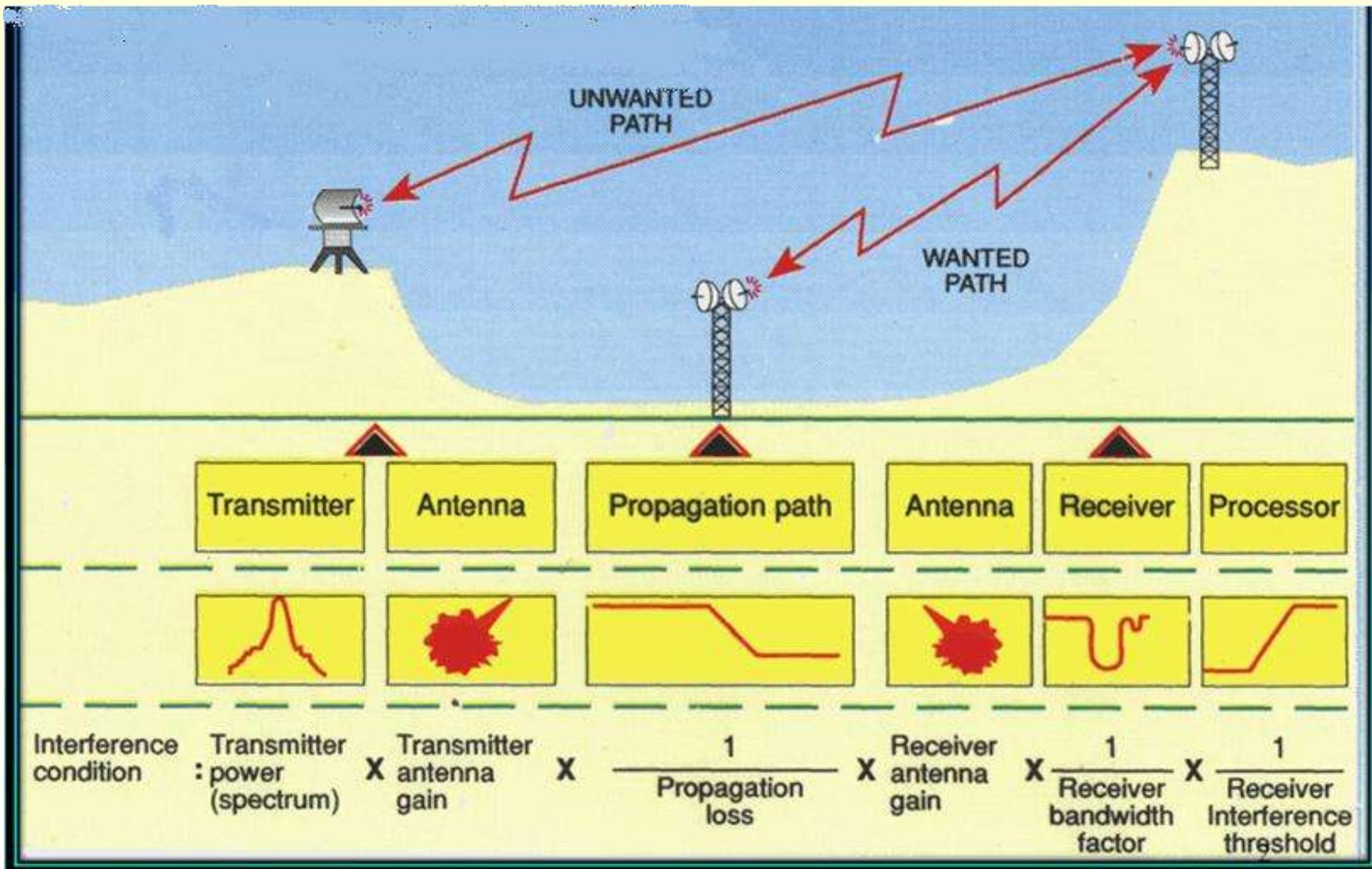
## Enrichment Material

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**EMC and RFI** (some of the material from Moshe Netzer)

<http://people.itu.int/~mazar/>

# Antenna to Antenna Coupling, RFI



# Interference Types and Modes

## Linear Interference

- Co-Channel
- Adjacent Channel

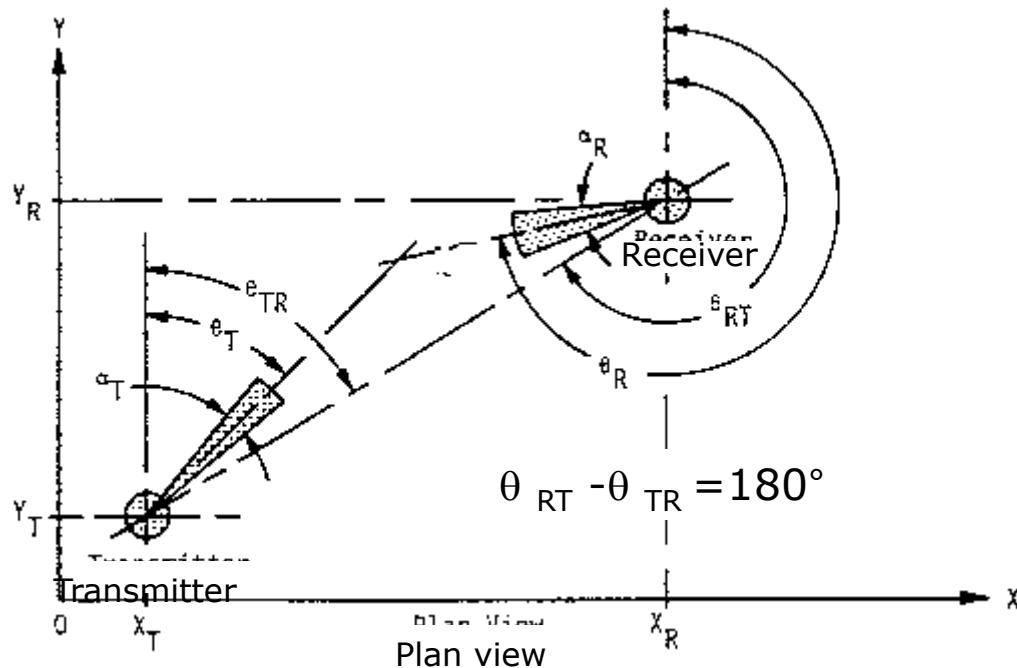
## Non-linear Interference

- Desensitization
- Cross-Modulation
- Intermodulation

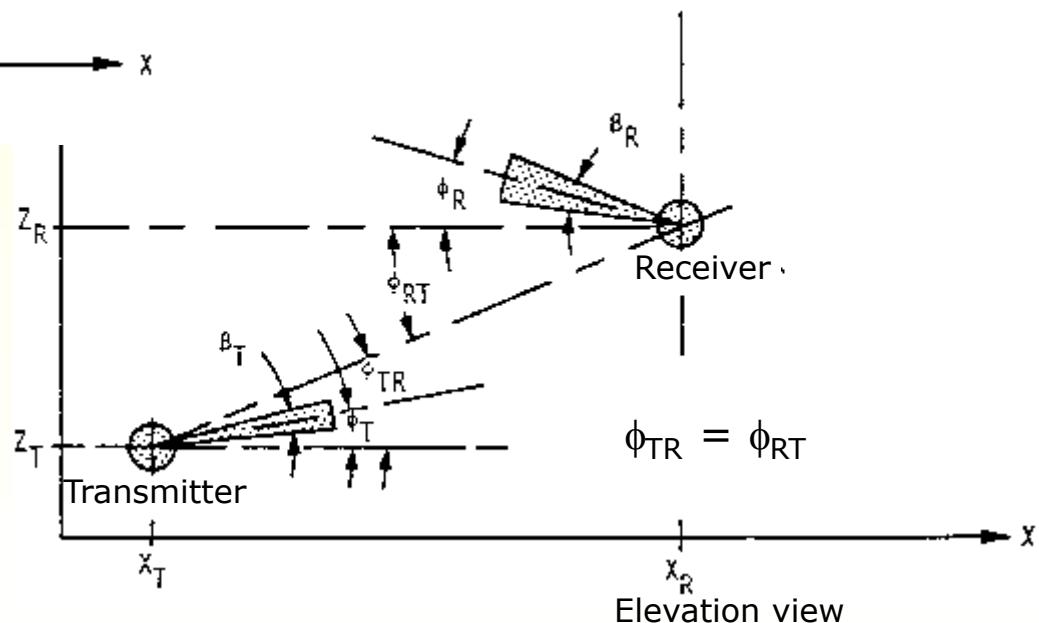
# Antenna Coexistence - Freedom of Measures

- Amplitude (*Power, Sensitivity, Distance & Ant. Orientation*)
- Frequency (*Assignment, Filtering, Bandwidth Reduction*)
- Time (*Time Sharing, Blanking, Peeping*)
- Coding (*Modulation, Spread Spectrum, Matched Filter*)

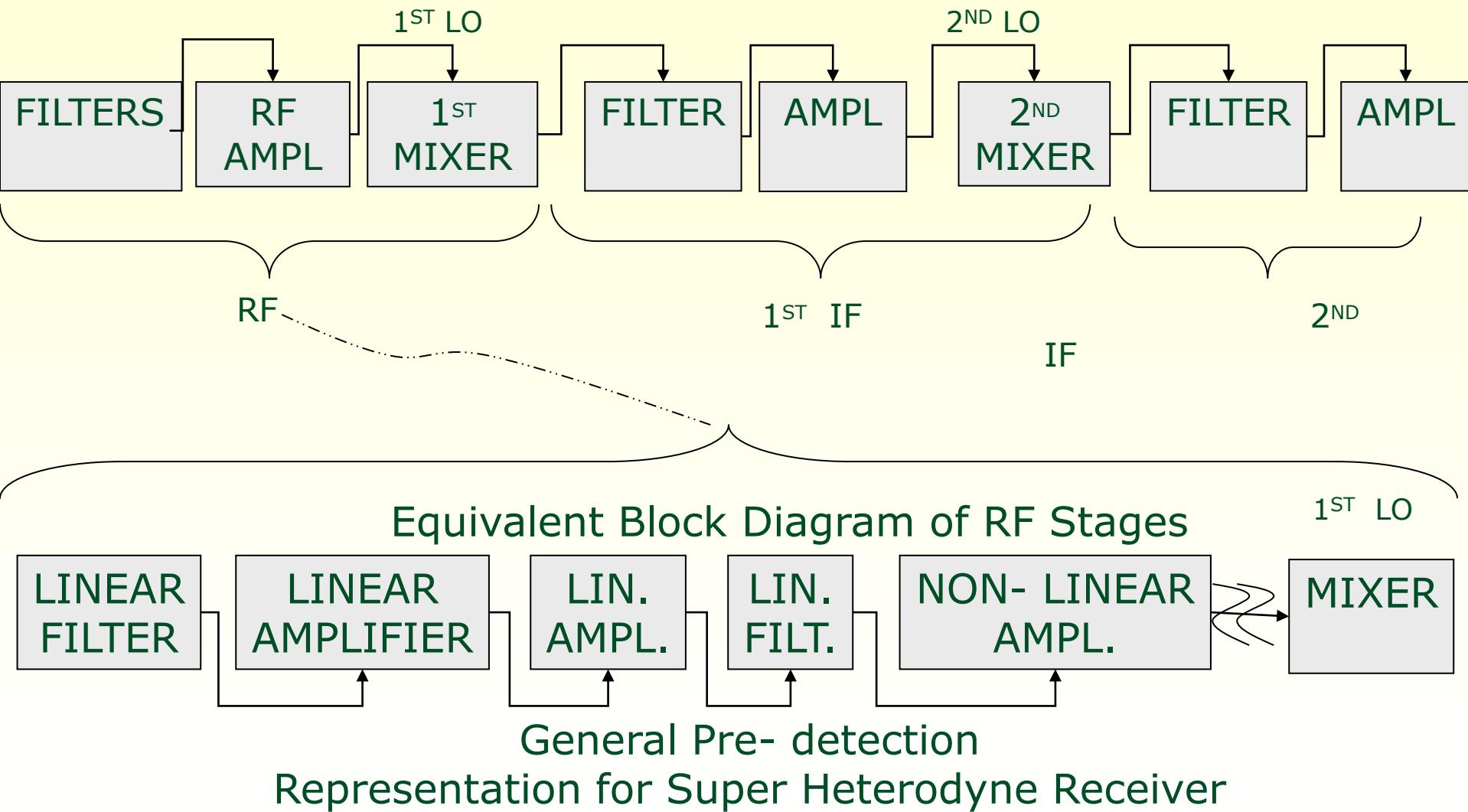
# Antenna to Antenna Coupling



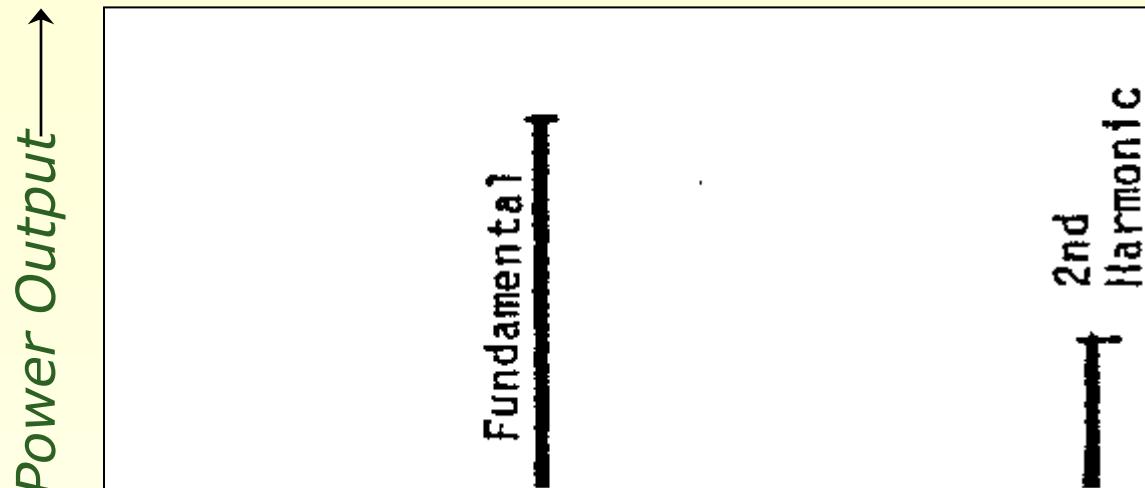
Transmitter- Receiver Deployment Used to Determine Applicable Ant Pattern Region



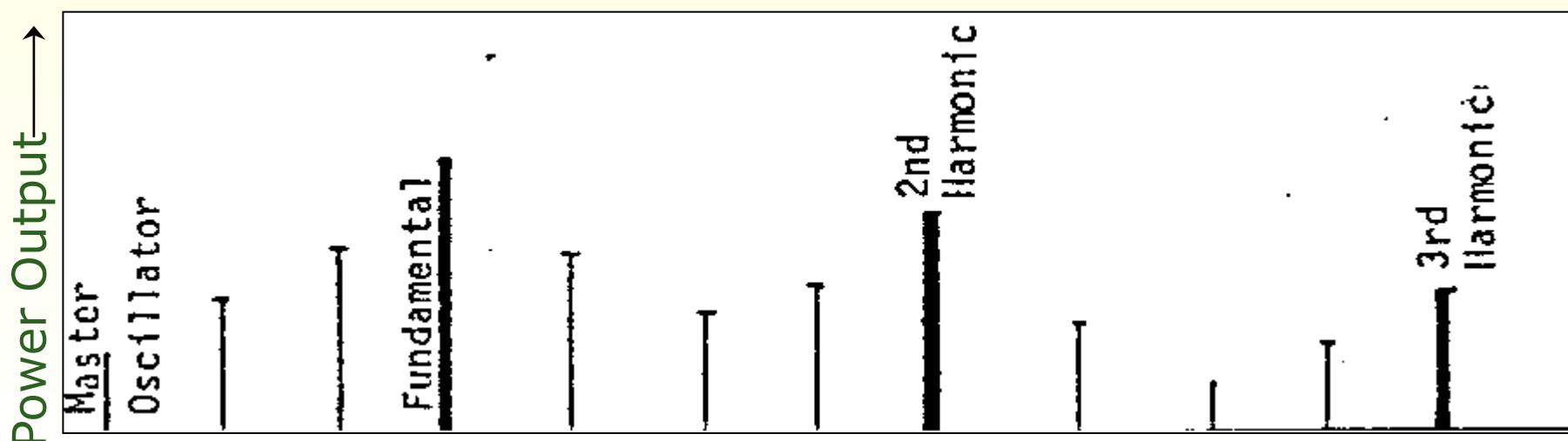
# Super- Heterodyne Receiver Susceptibility



# TRANSMITTER EMISSIONS



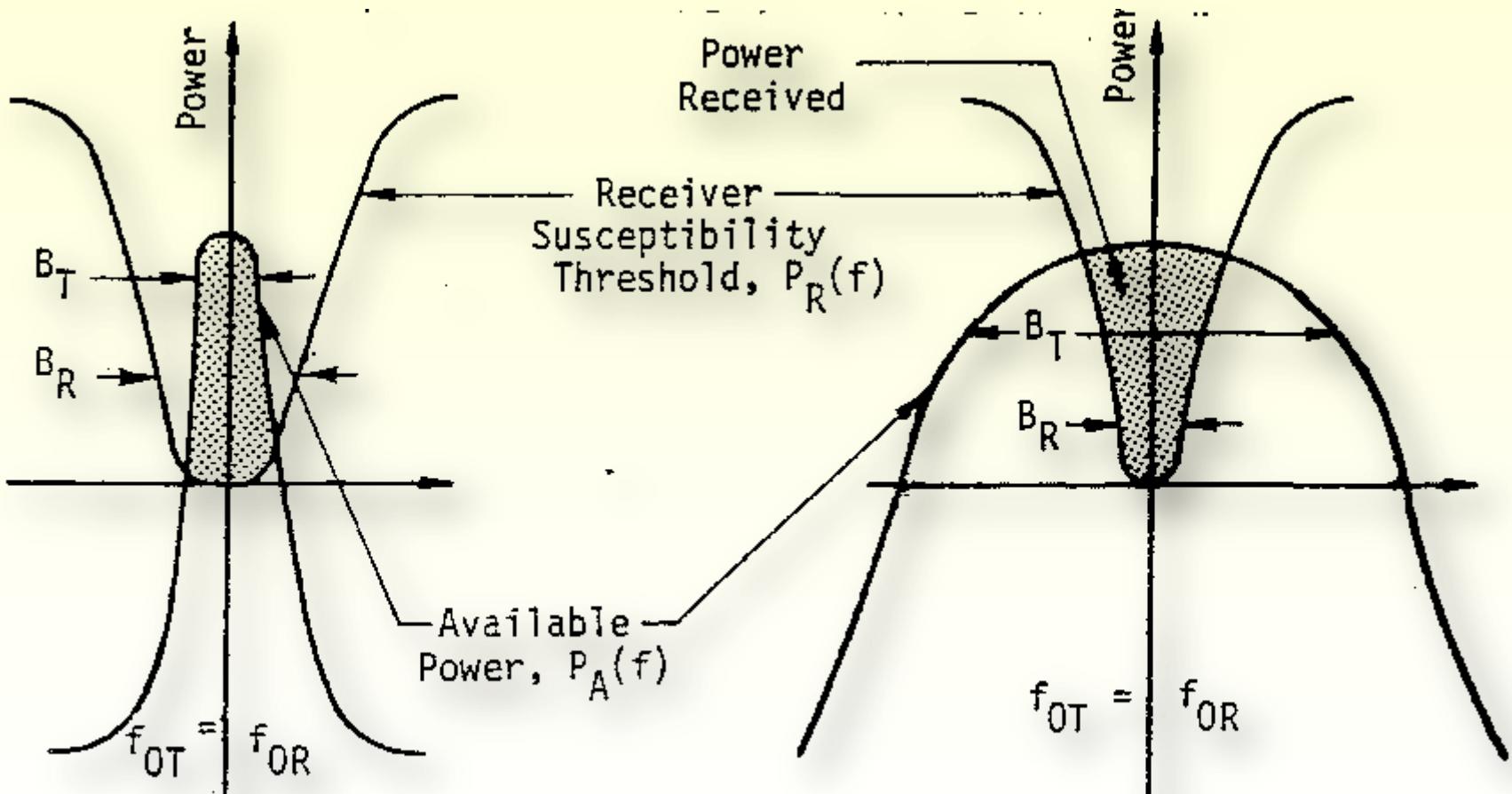
(a) Fundamental and harmonic Emissions *Frequency* →



(b) Master Oscillator, Fundamental & Harmonics - Related Emissions

# TX - RX CO – Tune Case Channel Coupling

<p><i>Case Left</i> Power received = Power Available  A need of Co-Channel Alignment Correction When <math>BW_R &lt; BW_T</math></p> <p>Receiver 3dB Bandwidth Transmitter fo</p>	<p><i>Case Right</i> Power Received &lt; Power Available</p> <p>- BWR Transmitter 3dB Bandwidth Receiver fo</p>
<p>- FT</p>	<p>- BWT FR</p>



$$A_{\text{attenuation}} = 40 \log \frac{\Delta f}{f_{\text{mean}}} = 40 \log 2 \left| \frac{f_t - f_r}{f_t + f_r} \right| \quad B_R < B_T$$

Dr. Haim Mazar (Madjar) [mazar@ties.itu.int](mailto:mazar@ties.itu.int), [mazarh@moc.gov.il](mailto:mazarh@moc.gov.il)

# Unwanted Signals

- **Intermodulation.** Unwanted frequency components that are generated from the interaction of two or more spectral components acting on a device with non-linear behaviour. The unwanted components are related to the fundamental components by sums and differences of the fundamentals and various harmonics.
- **Third-order intermodulation** products could cause interference when the difference between one frequency and twice another falls within the pass-band of a receiver. Third-order IMP can occur when one interfering signal is in the proximity of the tuning frequency, e.g. in the adjacent channel. They also could be produced by combination of three interfering signals. 3<sup>rd</sup> order:

$$\text{Two Signal Case: } 2f_{t1} - f_{t2} = f_r \pm \text{BW}$$

e.g. The transmitted frequencies are  $f_1 = 232$  MHz (mobile channel),  $f_2 = 229.75$  MHz (Sound Carrier of TV channel 12, for European Standard B) and the interfered frequency is 234.25 MHz (another mobile channel): thus  $\text{IMP} = 2f_{t1} - f_{t2} = f_r \pm \text{BW} = 2 \times 232 - 229.75 = 234.25$  MHz

$$\text{Three Signal Case: } f_{t1} - f_{t2} + f_{t3} = R f \pm \text{BW}$$

Passive Intermod (PIM) for different TxRx equipment combined to the same ant ports (Txs & Rxs are connected through the same cables to the same port and produce passive, due to their nonlinearity. E.g. 2 Tx's deliver 50 watts each (47dBm) and the receiver sensitivity is -120 dBm, it means that a PIM value of up to 167dBc may be required. Ant. spec are -150dBc which is only valid for the antenna. Add the cable and connectors non linearity which degrade with weather and time

# Wireless Telecommunications

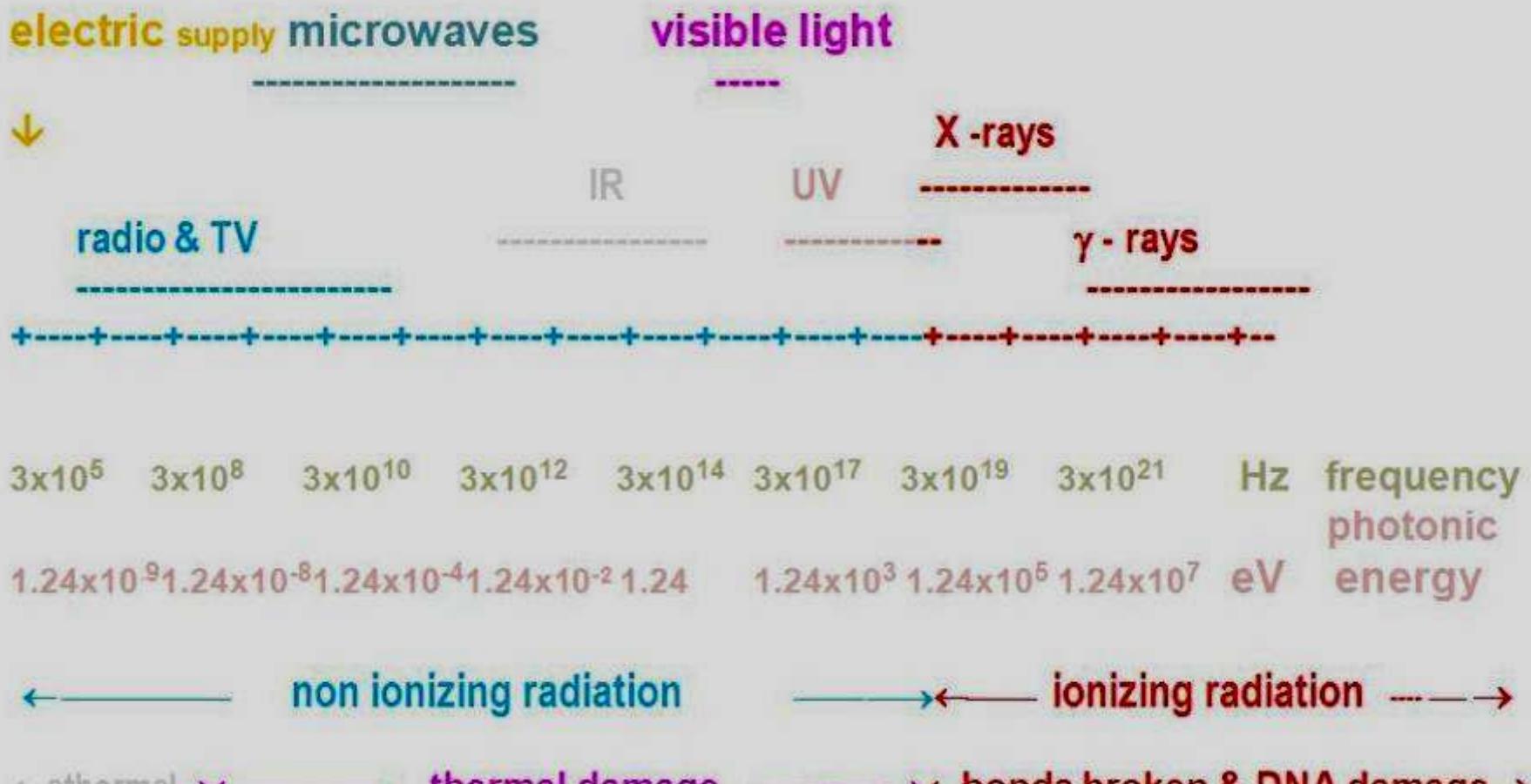
## Enrichment Material

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RF Human Hazards (exclusive views of the author)

<http://people.itu.int/~mazar/>

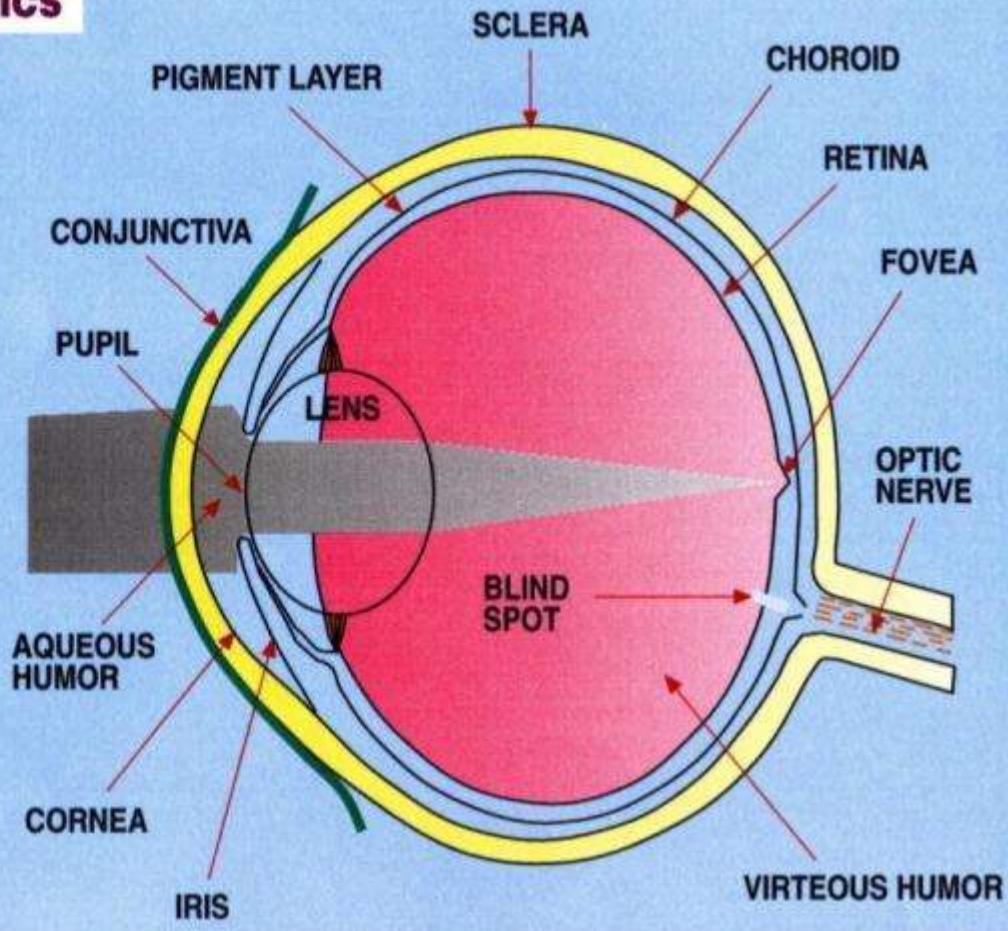
# Electro-Magnetic Spectrum



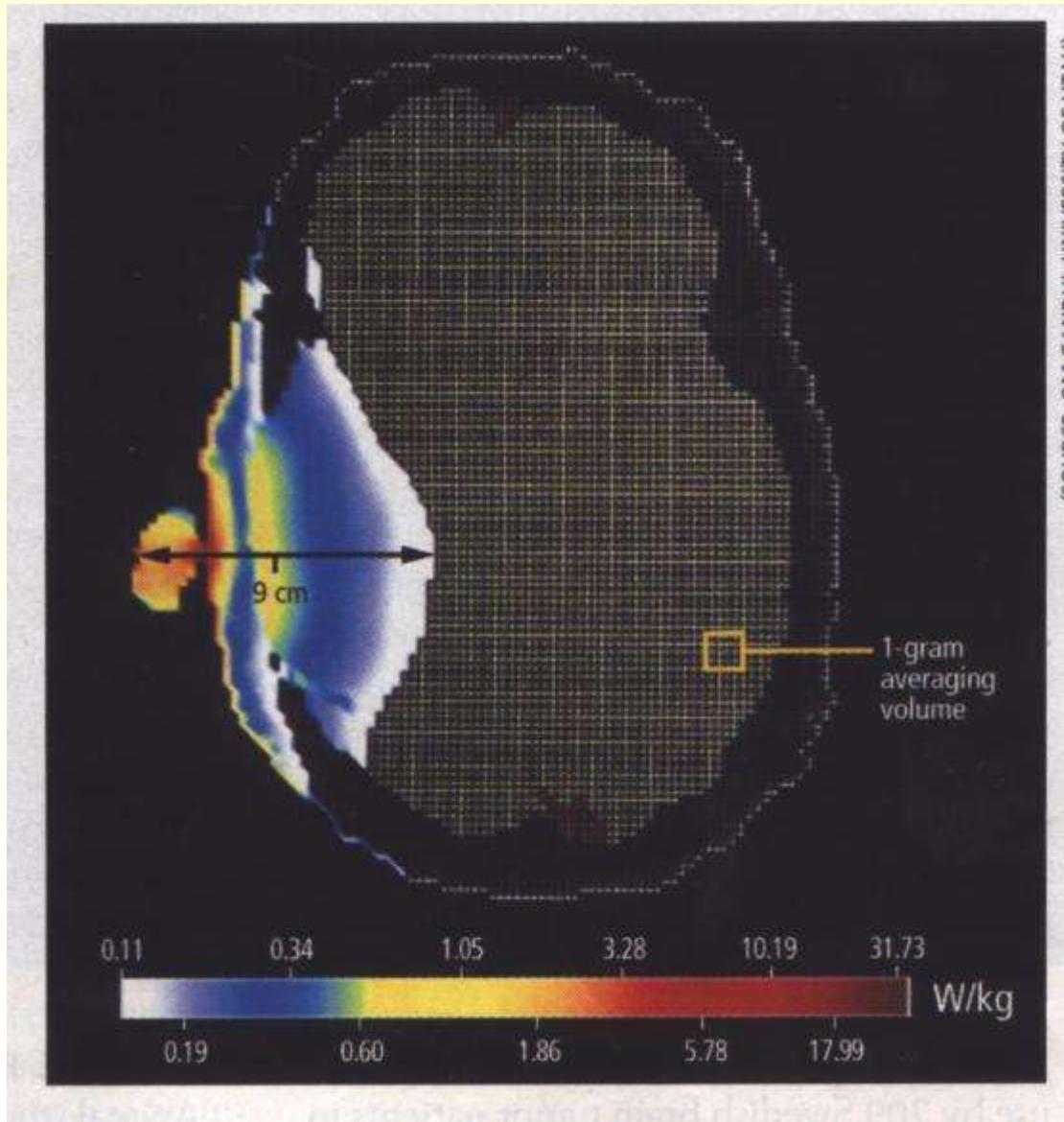
# The Human Eye (Moshe Netzer)

## SUSCEPTIBILITY CHARACTERISTICS

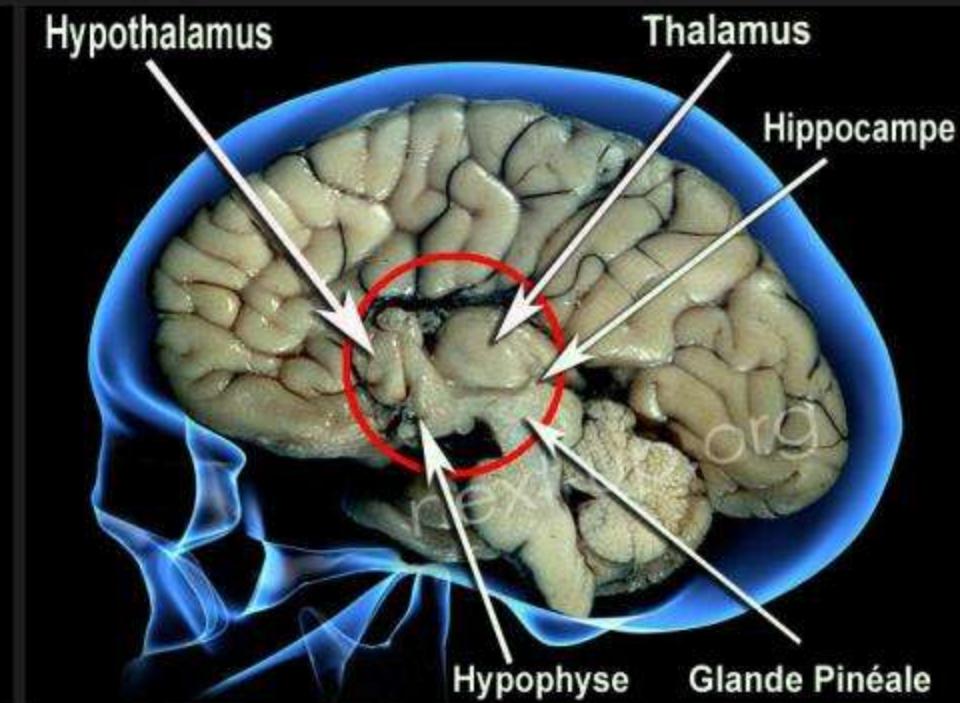
- POOR BLOOD CIRCULATION
- LENSE OPACITY
- CORNEA DAMAGE
- RETINA RAPTURE



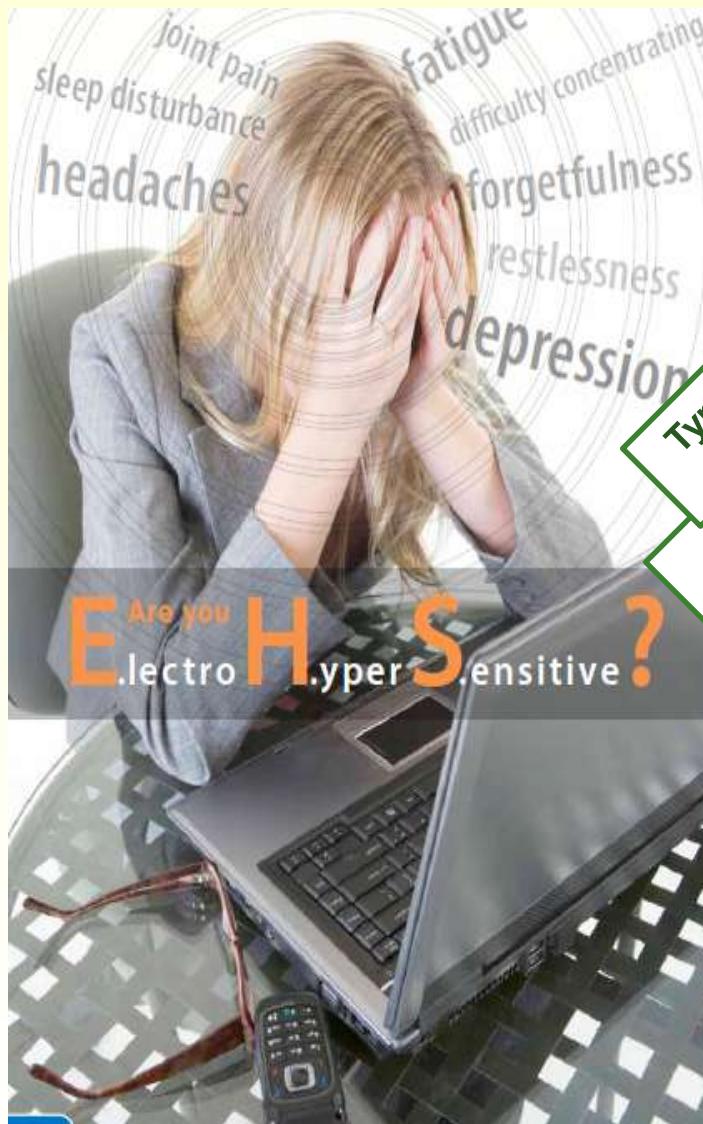
# Typical SAR from a Cell Phone (Moshe Netzer)



# Brain is Near the Cellphone (Photo, Dr. Shalita)



# Electromagnetic Hyper-Sensitivity; electro-phobia



Subjective phobia, phantom risk (?)

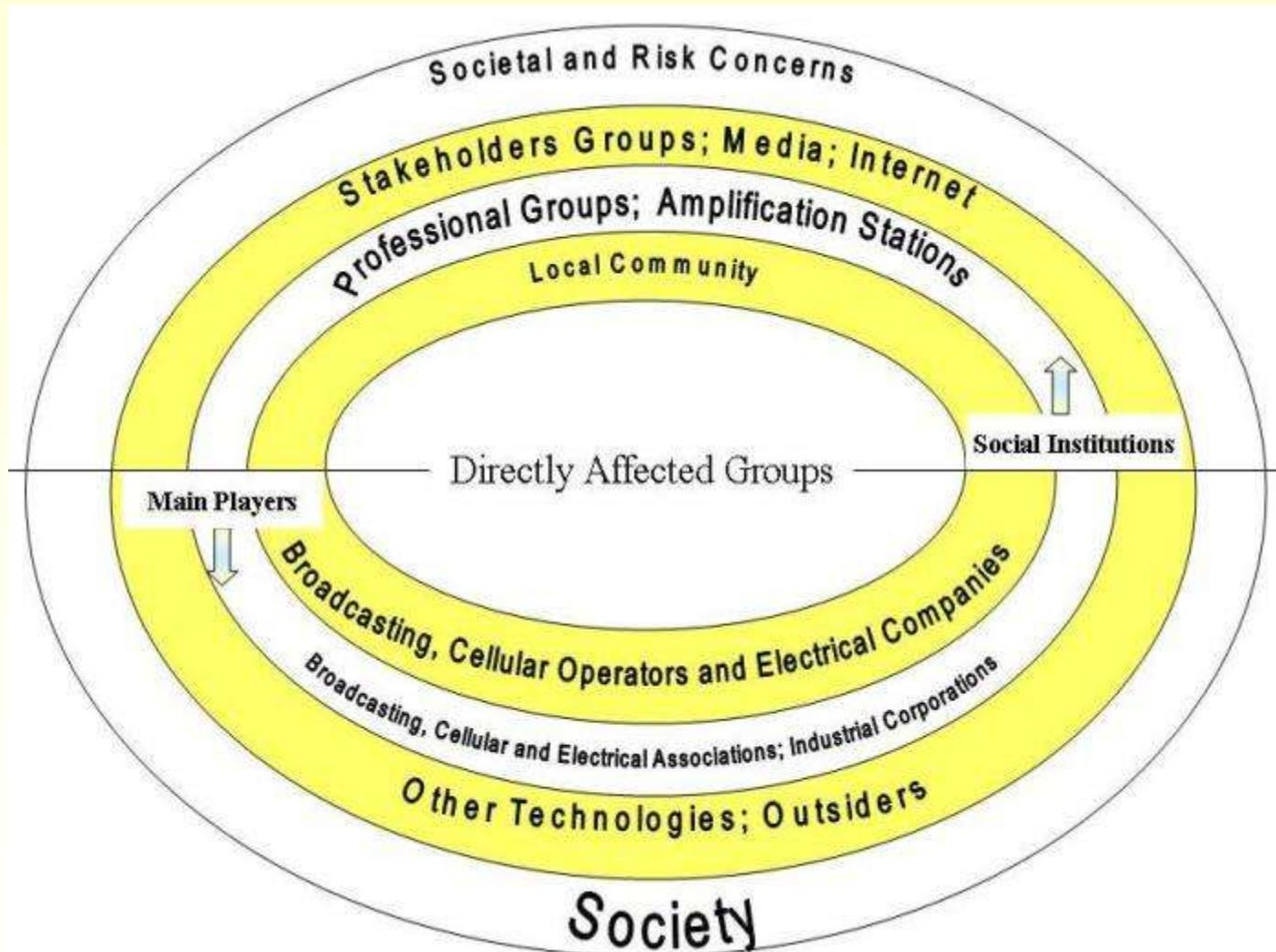
**Precautionary Principle:** billions  
of cellular users phones and  
millions of base-stations worldwide

Type I error imposes regulatory restrictions  
on factors that turn out to be harmless.

Type II error: acceptance of a null  
hypothesis that turns out to be false

# Ripple effects amplifying the Risk (Mazar Thesis)

<http://www.moc.gov.il/new/documents/frequence/MazarThesisOct08.pdf>



# Base Station Antenna Pattern: Azimuth and Elevation (Dr. Zamir Shalita)

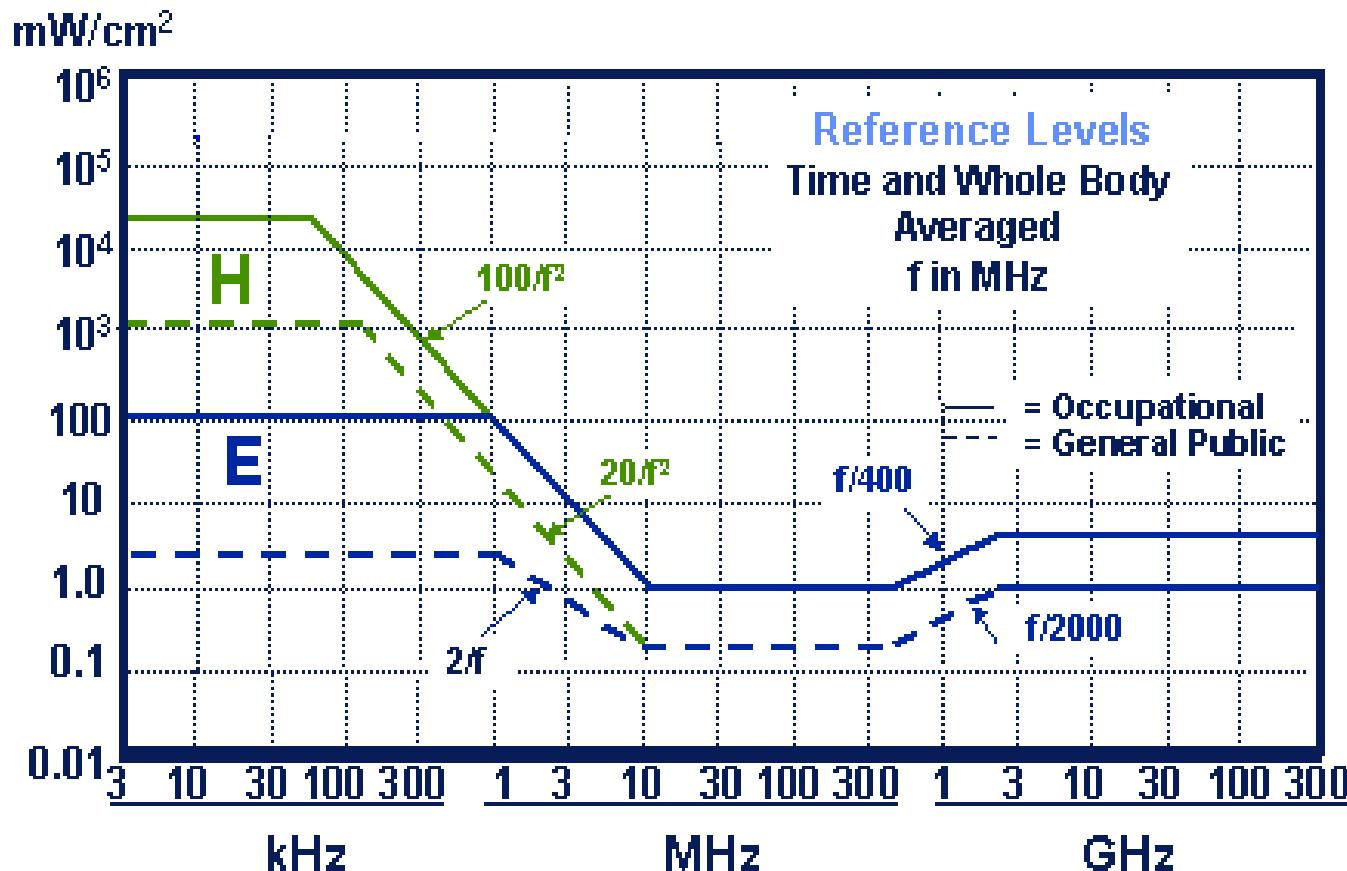


# ICNIRP 1998 Table 7: Reference Levels for General Public Exposure

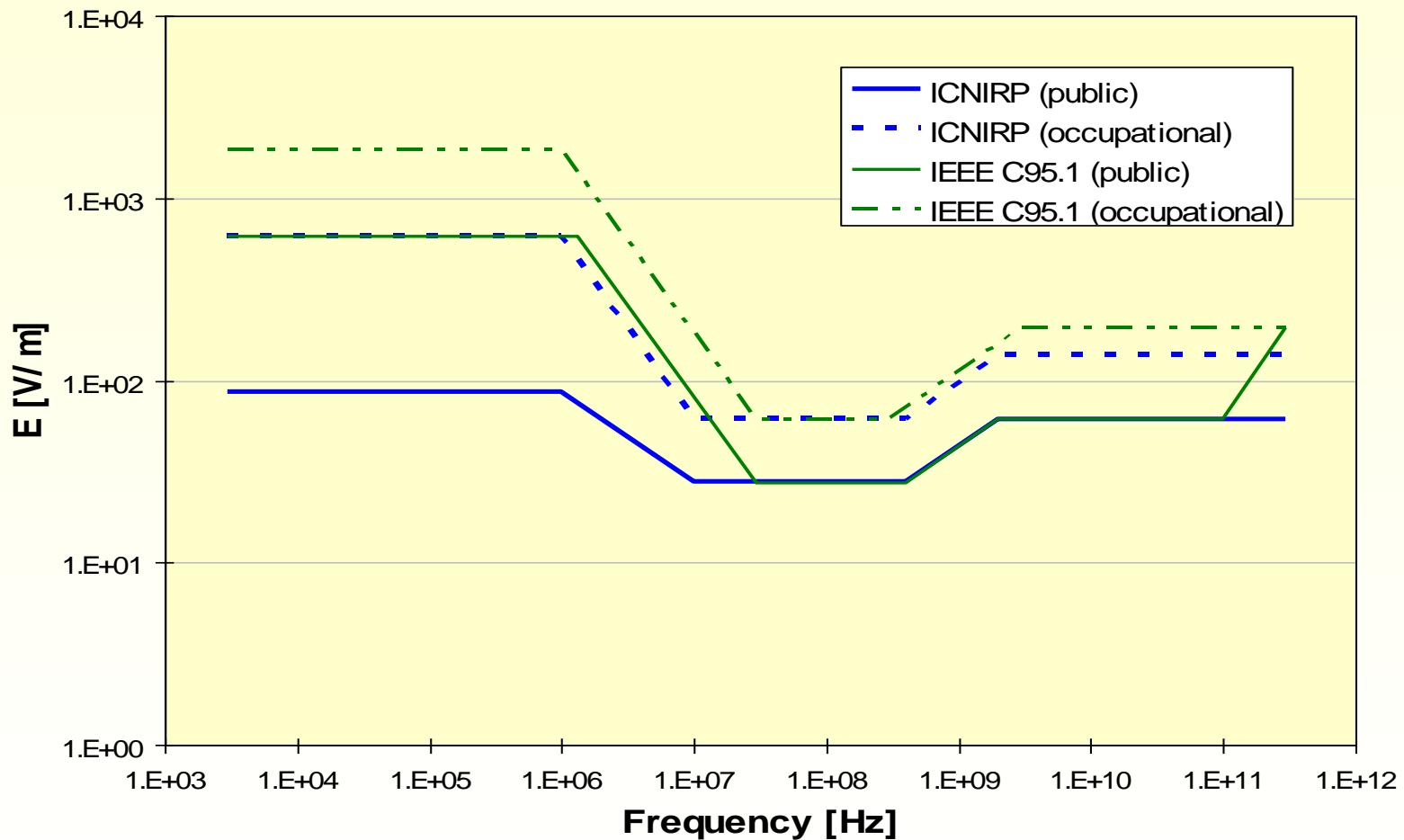
Frequency range	E-field strength (V m <sup>-1</sup> )	H-field strength (A m <sup>-1</sup> )	B-field (µT)	Equivalent plane wave power density $S_{eq}$ (W m <sup>-2</sup> )
up to 1 Hz	—	$3.2 \times 10^4$	$4 \times 10^4$	—
1–8 Hz	10,000	$3.2 \times 10^4/f^2$	$4 \times 10^4/f^2$	—
8–25 Hz	10,000	$4,000/f$	$5,000/f$	—
0.025–0.8 kHz	$250/f$	$4/f$	$5/f$	—
0.8–3 kHz	$250/f$	$5$	6.25	—
3–150 kHz	87	5	6.25	—
0.15–1 MHz	87	$0.73/f$	$0.92/f$	—
1–10 MHz	$87f^{1/2}$	$0.73/f$	$0.92/f$	—
10–400 MHz	28	0.073	0.092	2
400–2,000 MHz	$1.375f^{1/2}$	$0.0037f^{1/2}$	$0.0046f^{1/2}$	$f/200$
2–300 GHz	61	0.16	0.20	10

Basic limits and reference levels RF  
workers: 0.4 W/kg , general public 0.08 W/kg

International Council on Non-Ionizing  
Radiation Protection (ICNIRP)



# ICNIRP vs. IEEE-field limits (C\_K\_Chou\_i)



# Physical Quantities and Units (Mazar Thesis)

<http://www.moc.gov.il/new/documents/frequencies/MazarThesisOct08.pdf>

Quantity	Symbol	Unit	Symbol
Frequency	f	Hertz	Hz
Electric field strength	E	Volt per metre	V/m
Magnetic field strength	H	Ampere per metre	A/m
Magnetic flux density	B	Tesla	T
		Gauss	G
Power	P	Watts	W
Specific Absorption Rate	SAR	Watt per kilogram or milliWatt per gram	W/kg or mW/g
Power density or power flux density	S	Watt per square metre	W/m <sup>2</sup>
		mWatt per square cm	mW/cm <sup>2</sup>

Magnetic flux density is commonly measured in units of microtesla ( $\mu\text{T}$ ) or milligauss (mG);  $1 \mu\text{T} = 10 \text{ mG}$ .

# ICNIRP/EC, FCC, IEEE reference levels for general public exposure (Mazar Thesis)

<http://www.moc.gov.il/new/documents/frequencies/MazarThesisOct08.pdf>

ICNIRP <http://www.icnirp.de/documents/emfgdl.pdf> and EC reference levels for exposure

Frequency range	Electric field strength (V/m)	Magnetic field strength (A/m)	Equivalent plane wave power density $S_{eq}$ (W/m <sup>2</sup> )	Magnetic Flux Density ( $\mu$ T), B
25-800 Hz	250/f	4/f	-	5,000/f
400-2000 MHz	1.375f <sup>1/2</sup>	0.0037f <sup>1/2</sup>	f/200	0.0046 f <sup>1/2</sup>
2-300 GHz	61	0.16	10	0.2

## FCC exposure limits (FCC 2001:67)

Frequency Range MHz	Electric Field (E) (V/m)	Magnetic Field H (A/m)	Power Density (S) (mW/cm <sup>2</sup> )
30-300	27.5	0.073	0.2
300-1500	--	--	f/1500
1500-100,000	--	--	1

## The new IEEE permissible exposure (IEEE Std C95.1-2005:25, table 9)

Frequency Range MHz	Electric Field (E) (V/m)	Magnetic Field H (A/m)	RMS power density (S) (W/m <sup>2</sup> )
100-400	27.5	0.073	2
400-2000	--	--	f/200
2000-5000	--	--	10

Not Thesis: Shalita: guidelines of 0.1 $\mu$ W/cm<sup>2</sup> are used in Salzbourg Austria (since 1998) and in France (since 09).

For 2000 MHz ICNIRP is 10 W/m<sup>2</sup> = 1 mW/cm<sup>2</sup> = 1000  $\mu$ W/cm<sup>2</sup>; Israel 1 W/m<sup>2</sup> = 0.1 mW/cm<sup>2</sup> = 100  $\mu$ W/cm<sup>2</sup>

For 2000 MHz ICNIRP is 4.5 W/m<sup>2</sup> = 0.45 mW/cm<sup>2</sup> = 450  $\mu$ W/cm<sup>2</sup>; Israel 0.45 W/m<sup>2</sup> = 0.045 mW/cm<sup>2</sup> = 45  $\mu$ W/cm<sup>2</sup>

# Comparing the Genaeral Public Exposure Levels (Mazar Thesis)

<http://www.moc.gov.il/new/documents/frequencies/MazarThesisOct08.pdf>

Derived levels, power density ( $\text{W/m}^2$ ): WHO (International), UK, USA

Frequency range	ICNIRP	Old NRPB (UK)	ANSI (USA)
	General Public	Adults and Children	General Public
400 - 1,550 MHz	f/200	$41 \times 10^{-6} f^2$	f/150
1,550 - 2,000 MHz	f/200	100	f/150

Maximal power from handsets: Specific Absorption Rate, SAR ( $\text{W/kg}$ )

ICNIRP	European Community	FCC- USA
10 MHz–10 GHz; Localised SAR (Head and Trunk)	Portable Devices; General Population/ Uncontrolled	
2.0; averaged over 10 g tissue	1.6; averaged over 1g tissue	

Countries less tolerant of magnetic risk, with more stringent magnetic thresholds

Country	Magnetic Flux Density relative to ICNIRP
Switzerland	0.01
Italy	0.03 (daily mean, for more than 4 hours); 0.1 (for designed lines)
Slovenia	0.1 (for new installations)
Israel	0.1 (proposed in occupational)
Russia	0.1 (Indoor); 0.5 (Outdoor)
Poland	0.75
Greece	0.8

Averaging time of 6 min

At 2 GHz the ICNIRP Power density level is  $10 \text{ W/m}^2$ ; equivalent to  $0.08 \text{ (W/kg)}$  Whole-body-average SAR;  $4 \text{ (W/kg)}$  Localized SAR for head and trunk (100 kHz-10 GHz)

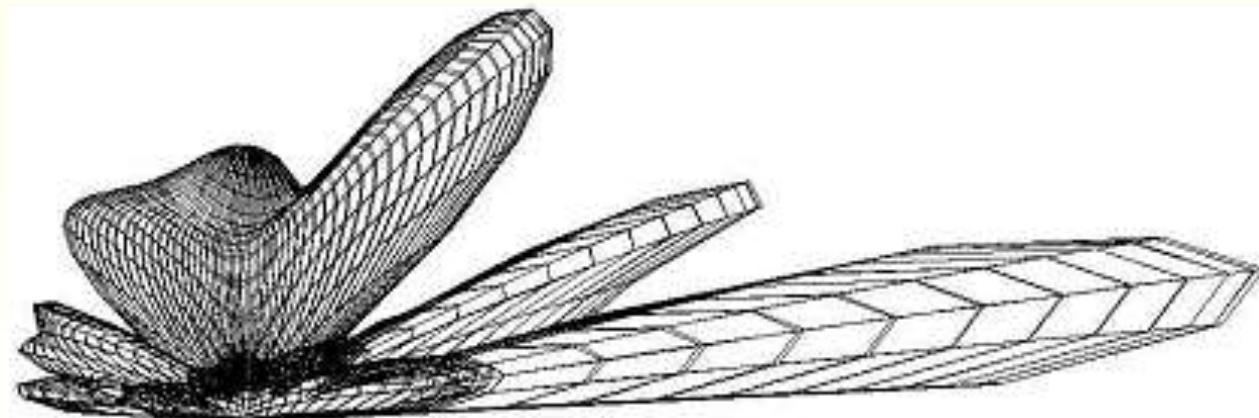
## Specific Absorption Rate (SAR) limits for portable wireless devices.

- The SAR is determined from measurements of the E-field ( $E$ ) in an anatomically-correct phantom model (liquid-filled dielectric shell) of the human head using a robotically-scanned miniature E-field probe
- The SAR (W/kg) is determined from the relationship between  $E$  and the tissue properties, i.e.,

$$\text{SAR} = \sigma |E^2| / \rho$$

where  $\sigma$  is the liquid conductivity and  $\rho$  is the density

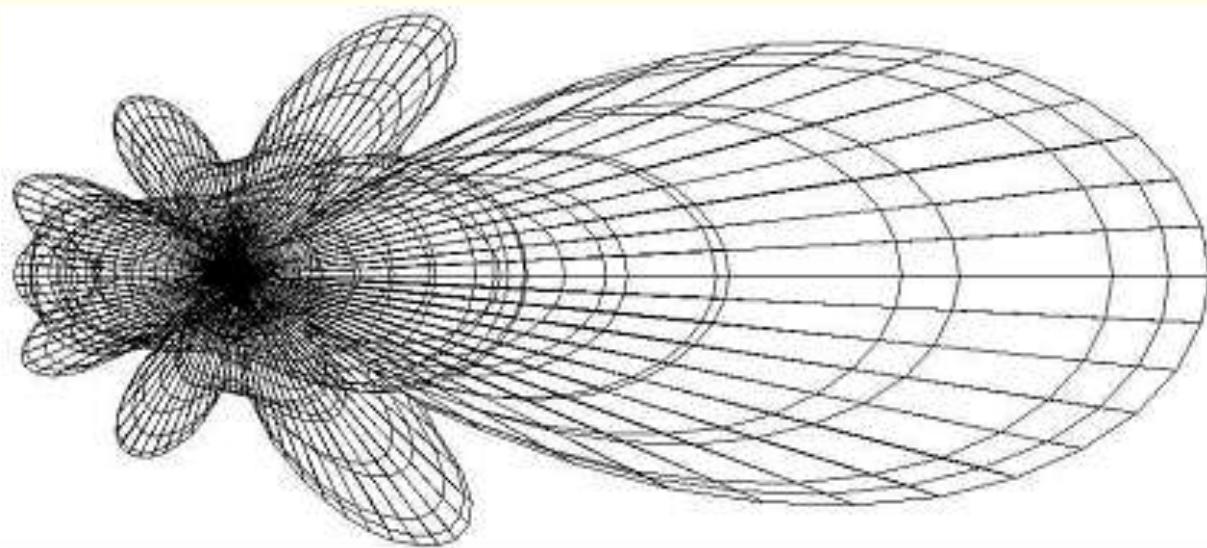
Radiation Diagram, Vertical



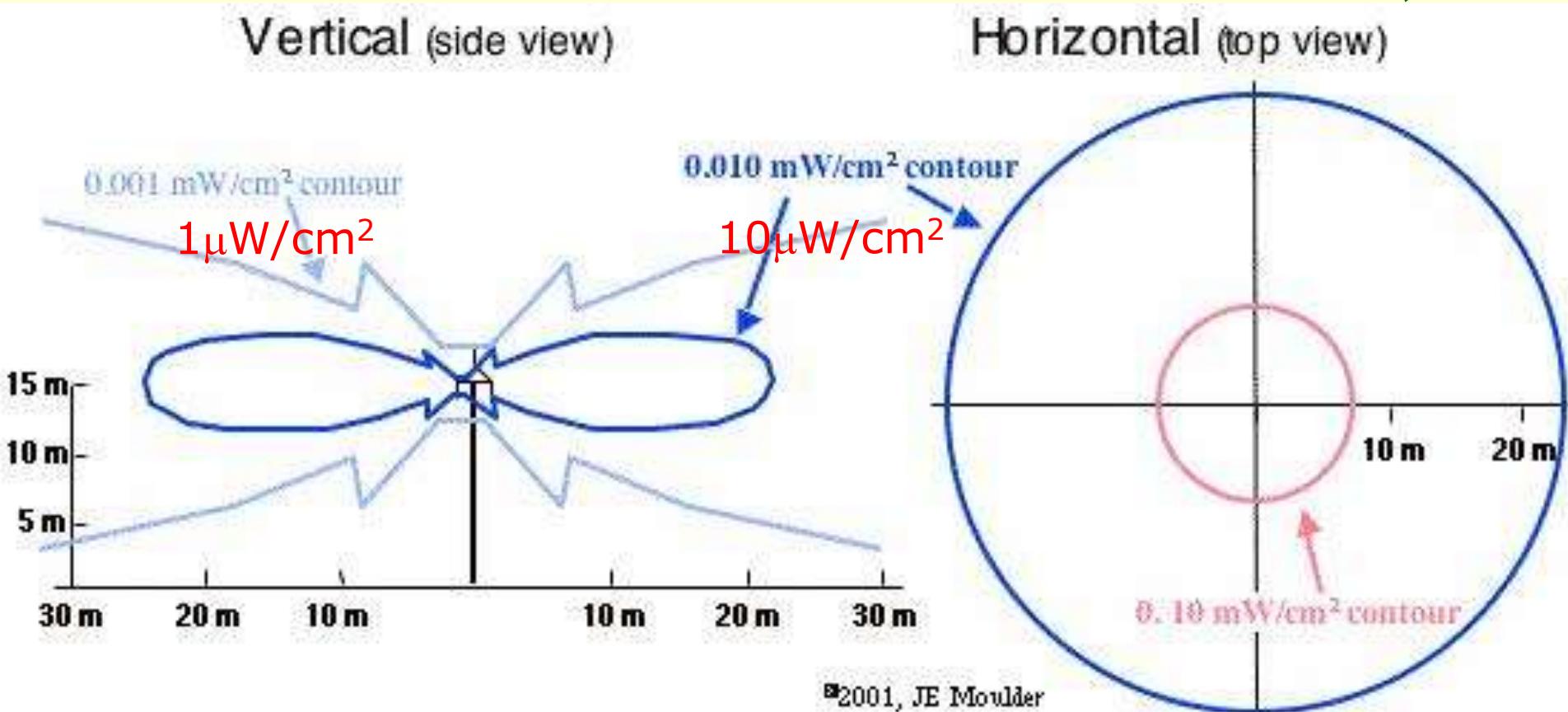
- All effects of EMF that have been established so far are acute in nature
- **ELF**
- Stimulation of electrically excitable tissues
- **RF**
- Increase of body temperature (general or local)

**Such acute effects occur above given exposure thresholds**

Radiation Diagram, Horizontal



# Main beam – Power densities (Dr. Zamir Shalita)

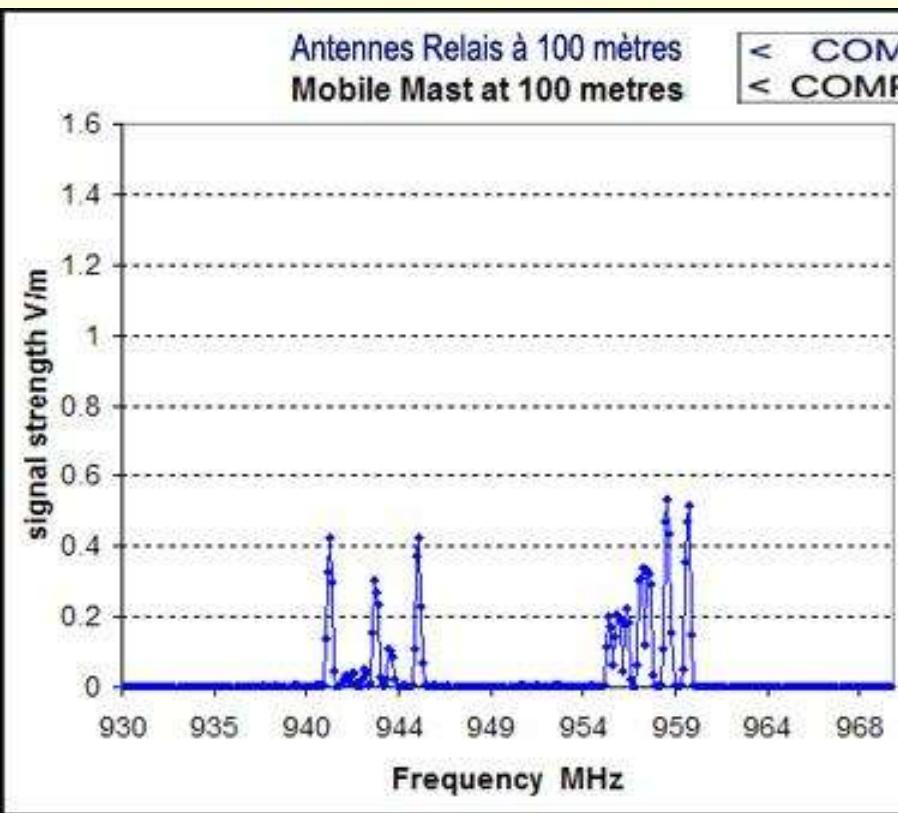


## Radiation units

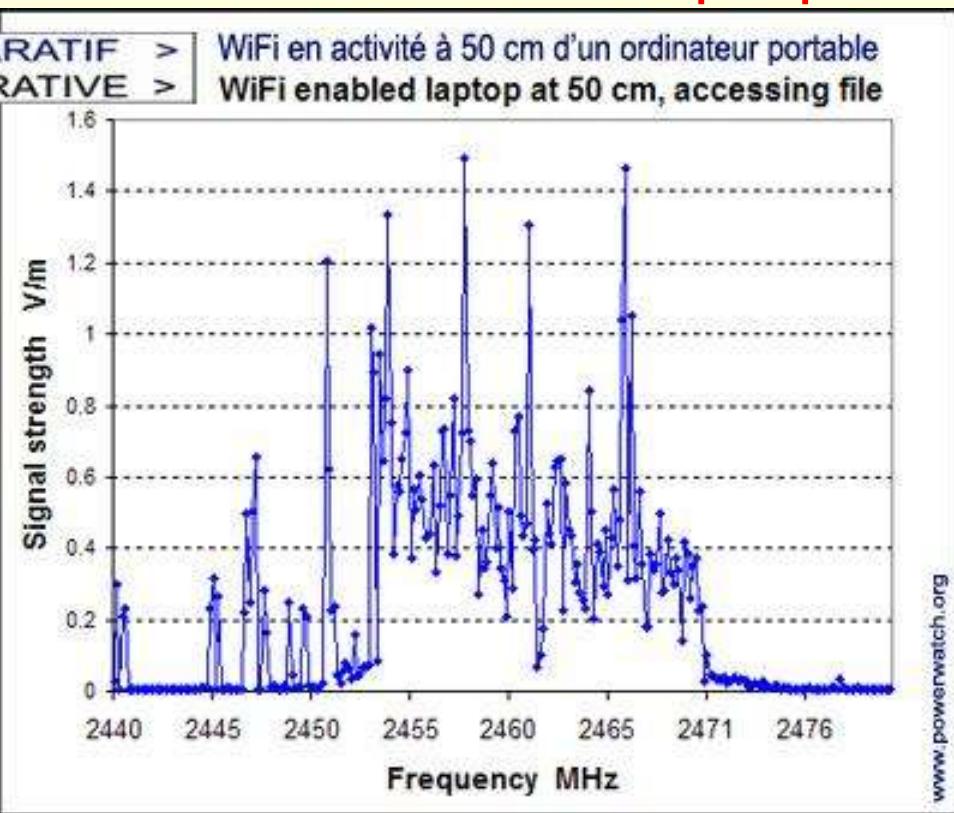
$\mu\text{W}/\text{m}^2$	$\text{W}/\text{m}^2$	$\text{mW}/\text{m}^2$	$\text{mW}/\text{cm}^2$	$\mu\text{W}/\text{cm}^2$	$\text{V} / \text{m}$
10,000,000	10	10,000	1	1,000	61.4

# Portable WiFi emissions (Oberfeld 2005)

Mobile mast at 100m

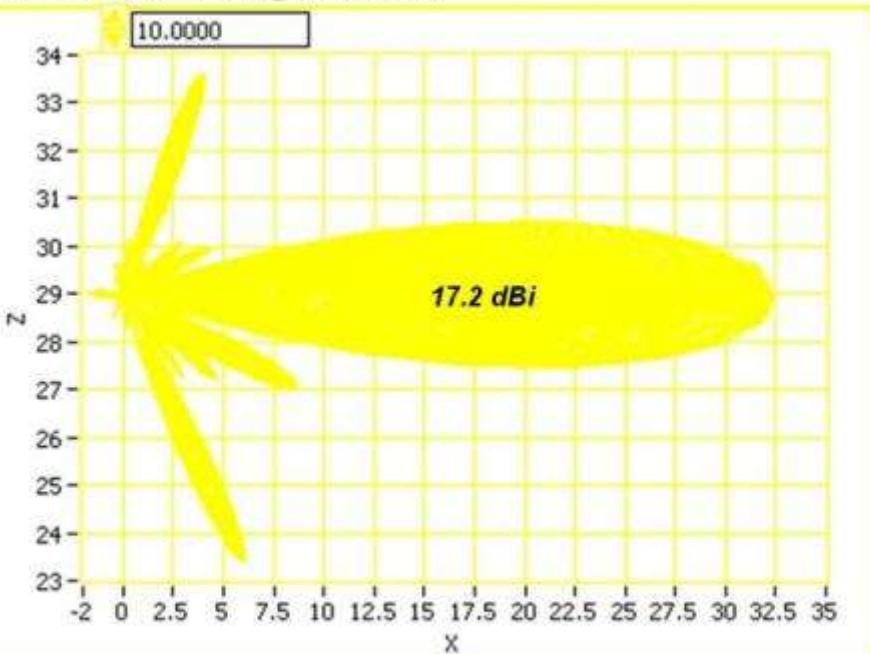


WiFi enabled Laptop 50

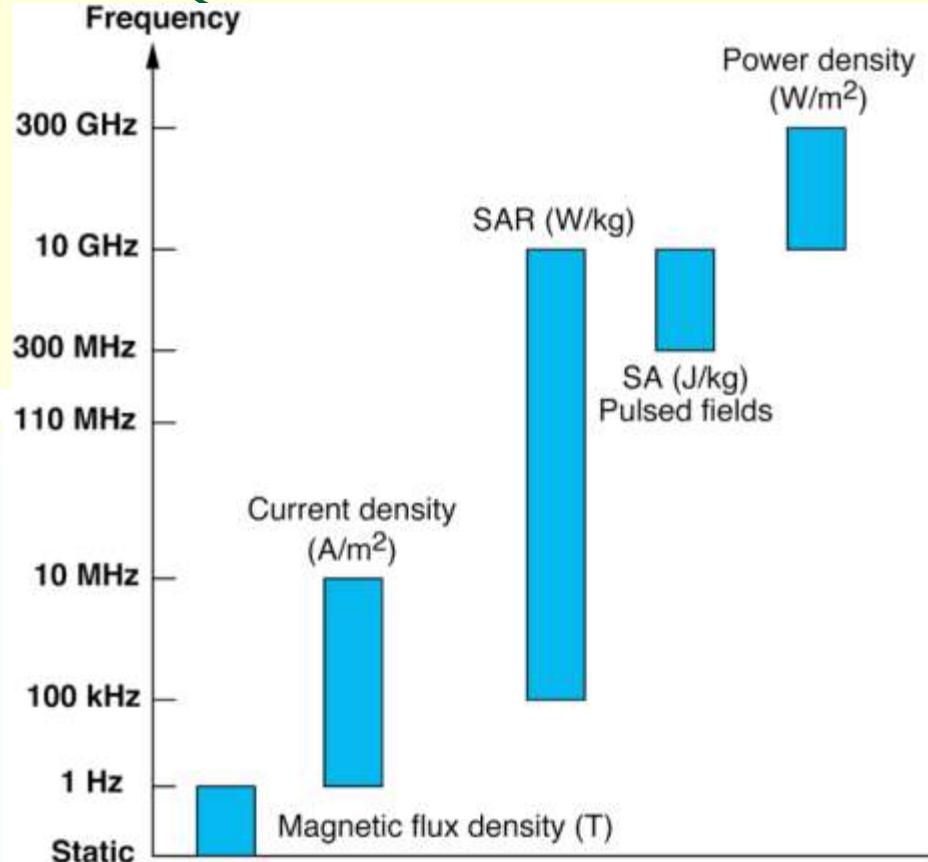


# Biologically Effective Quantities

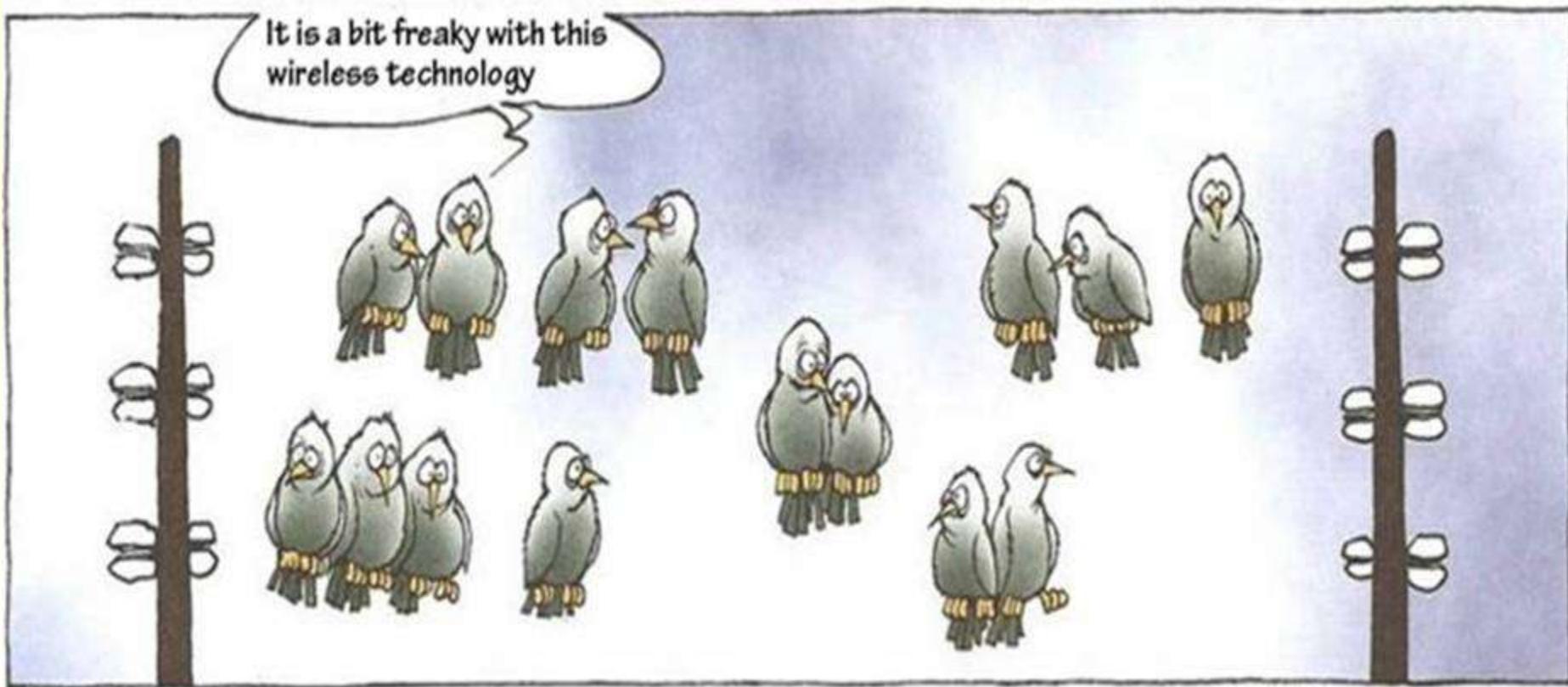
X versus Z for a power density\_input ( $\mu\text{W/cm}^2$ )



אנטנה מסוג 739686, עברו תדר 850 מאה-הרץ, בשימוש במתיקנים וריגלים



# Hope that the material is enriching helpful



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See also enclosed: Useful Equations

<http://people.itu.int/~mazar/>

## Wireless Telecommunications Systems: Useful Equations

(when no units are mentioned- MKS or identical units)

	<b>Free Space Propagation Loss (PL): Power</b>												
1)	$PL(ratio) = \left( \frac{4\pi d}{\lambda} \right)^2$												
2)	$PL(dB) = 82 + 20 \log d_{km} - 20 \log \lambda_m$												
3)	$PL(dB) = 32.44 + 20 \log d_{km} + 20 \log f_{MHz}$												
4)	EiRP= Transmitted Power ( $P_t$ ) x gain    Power Density $S_{eq} = \frac{EiRP}{4\pi d^2}$												
	<b>Free Space Propagation Loss: Field Strength</b>												
5)	$E_0 = \frac{\sqrt{30 \cdot P_t \cdot g}}{d} = \frac{\sqrt{30 \cdot EiRP}}{d}$												
6)	$E = Pt + G - 20 \log d + 14.8$												
7)	$20 \log E_0 (\text{dB } \mu\text{V/m}) = EiRP (\text{dBW}) - 20 \log d (\text{km}) + 74.8$												
	<b>Poynting Vector</b>												
8)	$PoyntingVector = \frac{P_t g}{4\pi d^2} = (\vec{E} \times \vec{H}) = \frac{1}{\mu_0} (\vec{E} \times \vec{B}) = \frac{E_o^2}{Z_0} = \frac{E_o^2}{120\pi}$												
9)	$c_0 \equiv \frac{1}{\sqrt{\epsilon_0 \mu_0}} \quad Z_0 \equiv \mu_0 c_0 = \sqrt{\frac{\mu_0}{\epsilon_0}} = \frac{1}{\epsilon_0 c_0} = 120\pi \approx 377$												
	<b>Power <math>\leftrightarrow</math> Field-Strength</b>												
10)	$P_r = \frac{E^2 g \lambda^2}{Z_0 4\pi} = \frac{E^2 g c^2}{480\pi^2 f^2}$												
11)	$P(\text{dbm}) = E(\text{dB } \mu\text{V/m}) - 77.21 - 20 \log F(\text{MHz}) + G$												
	<b>Power <math>\leftrightarrow</math> Voltage</b>												
12)	Given Rx input impedance $50 \Omega$ $P_r (\text{dBm}) = V_r (\text{dB } \mu\text{V}) - 107$												
	<b>Power Density <math>\leftrightarrow</math> Field-Strength</b>												
13)	<ul style="list-style-type: none"> <li>■ Radiation units</li> </ul> <table style="width: 100%; text-align: center;"> <tr> <td><math>\mu\text{W}/\text{m}^2</math></td> <td><math>\text{W}/\text{m}^2</math></td> <td><math>\text{mW}/\text{m}^2</math></td> <td><math>\text{mW}/\text{cm}^2</math></td> <td><math>\mu\text{W}/\text{cm}^2</math></td> <td><math>\text{V}/\text{m}</math></td> </tr> <tr> <td>10,000,000</td> <td>10</td> <td>10,000</td> <td>1</td> <td>1,000</td> <td>61.4</td> </tr> </table>	$\mu\text{W}/\text{m}^2$	$\text{W}/\text{m}^2$	$\text{mW}/\text{m}^2$	$\text{mW}/\text{cm}^2$	$\mu\text{W}/\text{cm}^2$	$\text{V}/\text{m}$	10,000,000	10	10,000	1	1,000	61.4
$\mu\text{W}/\text{m}^2$	$\text{W}/\text{m}^2$	$\text{mW}/\text{m}^2$	$\text{mW}/\text{cm}^2$	$\mu\text{W}/\text{cm}^2$	$\text{V}/\text{m}$								
10,000,000	10	10,000	1	1,000	61.4								
	<p>The diagram shows an ellipse representing a Fresnel zone. Point A is at the left focus, point B is at the right focus, and point C is on the ellipse. A horizontal line segment connects A and B, labeled <math>\overline{AB}</math>. A vertical line segment connects C and the ellipse's center, labeled <math>d_1</math> and <math>d_2</math> respectively. A dashed line segment connects the center to point B, labeled <math>F_n</math>. Below the ellipse, the text "Fresnel Zones" is written.</p> <p style="text-align: center;"><math>\overline{ACB} - \overline{AB} = \lambda / 2</math></p>												
14)	$F_n = \sqrt{\frac{n \lambda d_1 d_2}{d_1 + d_2}} = \sqrt{\frac{n \lambda d_1 (d - d_1)}{d}}$												

15)	Max Fresnel zone b	$b = \sqrt{\frac{n\lambda d}{4}}$
16)	$F_1 = 17.3 \sqrt{\frac{d_1 d_2}{fd}}$	$f$ (GHz); $d$ , $d_1, d_2$ : (km) $F_1$ first Fresnel ellipsoid (metres)
<b>Antennas</b>		
17)		$\eta \equiv \frac{P_{rad}}{P_{input}} = \frac{A_e}{A}$
18)		$g = \frac{4\pi}{\Omega(\text{steradians})} = \frac{4\pi}{\varphi\theta(\text{radians})} = \frac{4\pi a_{az} b_{el}}{\lambda^2} = \frac{4\pi A_e}{\lambda^2} = \frac{4\pi \eta A}{\lambda^2}$
19)		$A = \frac{g\lambda^2}{\eta 4\pi} \quad A_e = \frac{g\lambda^2}{4\pi}$
20)		$g = \eta \frac{4\pi}{\varphi\theta(\text{radians})} = \eta \frac{4\pi}{\varphi^0\theta^0} \left( \frac{360}{2\pi} \frac{360}{2\pi} \right) = \eta \frac{41,253}{\varphi^0\theta^0} = \eta \frac{41,253}{\varphi^0\theta^0}$
<b>Practical approximations, for <math>\eta \approx 0.7</math></b>		
21)		$g \approx \frac{28,800}{\varphi^0\theta^0}$
22)		$G \approx 44.6 \text{ dBi} - 10\log\theta^0 - 10\log\varphi^0$ ; for circular Ant, $G \approx 44.6 \text{ dBi} - 20\log\theta^0$
23)		$\theta^0 \approx \frac{70\lambda}{b} \quad \varphi^0 \approx \frac{70\lambda}{a}$
<b>Receiver Sensitivity</b>		
24)	$f$ noise factor of the receiver	$f \equiv \frac{SNR_{in}}{SNR_{out}} \quad f \equiv \frac{P_n}{k t_0 b} \quad 10 \log f \equiv \text{NF (dB)}$
25)	k :	Boltzmann's constant $\equiv 1.38 \times 10^{-23} \text{ J/K}$
26)		$-204 \text{ (dBW/Hz)} = 10 \log (k t_0) - 1.38 \times 10^{-23} \times 290 = 400.2 \times 10^{-23}$
27)		$P_{\text{thermal noise}} \equiv k t_0 b f \quad B = 10 \log b$
28)		$P_{\text{thermal noise (dBm)}} = 10 \log (k t_0 b f) \approx -114 \text{ (dBm)} + B \text{ (MHz)} + \text{NF (dB)}$
<b>Point to Point</b>		
29)		$Pr = Pt + Gt - PL + Gr ; \quad Pr \text{ (dBm)} = Pt \text{ (dBm)} + Gt \text{ (dBi)} - PL \text{ (dB)} + Gr \text{ (dBi)}$

	<b>Radar Equation</b> (for free space)
30)	$P_{received} = P_{Transmit} \times g^2 \times \sigma \times \frac{\lambda^2}{(4\pi)^3 d^4}$
31)	$d_{max}^4 = P_{Transmit} \times g^2 \times \sigma \times \frac{\lambda^2}{(4\pi)^3 P_{min}}$
<b>Far-Near Fields Separation (x)</b>	
32)	$x \approx 2D^2/\lambda$
<b>Standing Waves</b>	
33)	$VSWR = \frac{V_{max}}{V_{min}} = \frac{1+\rho}{1-\rho}$
34)	$\rho = \frac{VSWR-1}{VSWR+1}$
35)	$ \Gamma ^2 = \rho^2$
36)	RL(Return Loss)=20 log ρ=20log(VSWR-1)-20 log(VSWR-1)
37)	<b>Optical and RF Horizons (x)</b>
38)	Earth Radius (a) =6,371 km 4/3 that of the actual radius, which corresponds to approximately 8 500 km
39)	$x \approx \sqrt{2h_t a} + \sqrt{2h_r a} \quad \text{when } x \ll a$
40)	feet≈0.3048 meter 1,852 m= 1Nautical Mile for h = 28,000(feet) x ≈ 381,015(meters)/1,852 = 206.7(NM)
41)	$x_{optical}(NM) \approx \sqrt{height(feet)}$
42)	$x_{electromagnetic}(meters) \approx 2,277\sqrt{h(feet)}$
43)	$x_{electromagnetic}(NM) \approx 1.23\sqrt{h(feet)}$
<b>General</b>	
44)	$\lambda = \frac{c}{f} \quad \lambda = 1 \text{ meter for } f = 300 \text{ MHz}$
45)	Doppler Shift $f_D \approx -2 \frac{\dot{R}}{\lambda}$

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